## CA inal SFM

## LIST OF IMPORTANT QUESTIONS

NOV 2029



## Security Valuation

## Study Session 2

## QUESTION NO. 1

In December, 2011 AB Co.'s share was sold for ₹ 146 per share. A long term earnings growth rate of $7.5 \%$ is anticipated. $A B C o$. is expected to pay dividend of $₹ 3.36$ per Share.
a) What rate of return an investor can expect to earn assuming that dividends are expected to grow along with earnings at $7.5 \%$ per year in perpetuity?
b) It is expected that AB Co. will earn about $10 \%$ on book Equity and shall retain $60 \%$ of earnings. In this case, whether, there would be any change in growth rate and Cost of Equity?

## QUESTION NO. 2

Seawell Corporation, a manufacturer of do-it-yourself hardware and housewares, reported earnings per share of $€ 2.10$ in 2003 , on which it paid dividends per share of $€ 0.69$. Earnings are expected to grow $15 \%$ a year from 2004 to 2008 , during this period the dividend payout ratio is expected to remain unchanged. After 2008, the earnings growth rate is expected to drop to a stable rate of $6 \%$, and the payout ratio is expected to increase to $65 \%$ of earnings. The firm has a beta of 1.40 currently, and is expected to have a beta of 1.10 after 2008. The market risk premium is $5.5 \%$. The Treasury bond rate is $6.25 \%$.
(a) What is the expected price of the stock at the end of 2008?
(b) What is the value of the stock, using the two-stage dividend discount model?

## QUESTION NO. 3

SAM Ltd. has just paid a dividend of ₹ 2 per share and it is expected to grow @ 6\% p.a. After paying dividend, the Board declared to take up a project by retaining the next three annual dividends. It is expected that this project is of same risk as the existing projects.
The results of this project will start coming from the $4^{\text {th }}$ year onward from now. The dividends will then be ₹ 2.50 per share and will grow @ 7\% p.a.
An investor has 1,000 shares in SAM Ltd. and wants a receipt of at least ₹ 2,000 p.a. from this investment.
Show that the market value of the share is affected by the decision of the Board. Also show as to how the investor can maintain his target receipt from the investment for first 3 years and improved income thereafter, given that the cost of capital of the firm is $8 \%$.

## QUESTION NO. 4

The current EPS of $M / s$ VEE Ltd. is ₹ 4 . The company has shown an extraordinary growth of $40 \%$ in its earnings in the last few year This high growth rate is likely to continue for the next 5 years after which growth rate in earnings will decline from $40 \%$ to $10 \%$ during the next 5 years and remain stable at $10 \%$ thereafter. The decline in the growth rate during the five year transition period will be equal and linear. Currently, the company's pay-out ratio is $10 \%$. It is likely to remain the same for the next five years and from the beginning of the sixth year till the end of the 10th year, the pay-out will linearly increase and stabilize at $50 \%$ at the end of the 10 th year. The post tax cost of capital is $17 \%$ and the PV factors are given below:

| Years | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{9}$ | $\mathbf{1 0}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| PVIF <br> @17\% | 0.855 | 0.731 | 0.625 | 0.534 | 0.456 | 0.390 | 0.333 | 0.285 | 0.244 | 0.209 |

You are required to calculate the intrinsic value of the company's stock based on expected dividend. If the current market price of the stock is ₹ 125 , suggest if it is advisable for the investor to invest in the company's stock or not.

## QUESTION NO. 5

Anson Ford, CFA, is analysing the financial statements of Sting's Delicatessen. He has a 2009 income statement and balance sheet, as well as 2010 income statement \& balance sheet (as shown in the tables below). Assume there will be no sales of long-term assets in 2010. Calculate forecasted free cash flow to the firm (FCFF) and free cash flow to equity (FCFE) for 2010.

## Sting's Income Statement

| Income Statement | 2010 Forecast | 2009 Actual |
| :--- | ---: | ---: |
| Sales | $\$ 300$ | $\$ 250$ |
| Cost of goods sold | 120 | 100 |
| Gross profit | 180 | 150 |
| SG\&A | 35 | 30 |
| Depreciation | 50 | 40 |
| EBIT | 95 | 80 |
| Interest expense | 15 | 10 |
| Pre-tax earnings | 80 | 70 |
| Taxes (at 30\%) | 24 | 21 |
| Net income | 56 | 49 |

Sting's Balance Sheet

| Balance Sheet | $\mathbf{2 0 1 0}$ Forecast | 2009 Actual |
| :--- | ---: | ---: |
| Cash | $\$ 10$ | $\$ 5$ |
| Account Receivable | 30 | 15 |
| Inventory | 40 | 30 |
| Current Assets | $\$ 80$ | $\$ 50$ |
| Gross property, plant and equipment | 400 | 300 |
| Accumulated depreciation | 190 | 140 |
| Total Assets | $\$ 290$ | $\$ 210$ |
|  |  |  |
| Account Payable | $\$ 20$ | $\$ 20$ |
| Short Term Debt | 20 | 10 |
| Current Liabilities | $\$ 40$ | $\$ 30$ |
| Long Term Debt | 114 | 100 |
| Common Stock | 50 | 50 |
| Retained earnings | 86 | 30 |
| Total liabilities and owners' equity | $\$ 290$ | $\$ 210$ |

## Corporate Valuation

## Study Session 3

## QUESTION NO. 1

Following information's are available in respect of XYZ Ltd. which is expected to grow at a higher rate for 4 years after which growth rate will stabilize at a lower level:

## Base year information:

| Revenue | ₹ 2,000 crores |
| :--- | ---: |
| EBIT | ₹ 300 crores |
| Capital expenditure | ₹ 280 crores |
| Depreciation | ₹ 200 crores |

Information for high growth and stable growth period are as follows:

|  | High Growth | Stable Growth |
| :--- | ---: | ---: |
| Growth in Revenue \& EBIT | $20 \%$ | $10 \%$ |
| Growth in capital expenditure and <br> depreciation | $20 \%$ | Capital Expenditure are offset by <br> depreciation |
| Risk Free Rate | $10 \%$ | $9 \%$ |
| Equity Beta | 1.15 | 1 |
| Market Risk Premium | $6 \%$ | $5 \%$ |
| Pre Tax Cost of debt | $13 \%$ | $12.86 \%$ |
| Debt equity ratio | $1: 1$ | $2: 3$ |

For all time, working capital is $25 \%$ of revenue and corporate tax rate is $30 \%$. What is the value of the firm?

## QUESTION NO. 2

Following details are available for X Ltd.
Income Statement for the year ended 31st March, 2018

| Particulars | Amount |
| :--- | ---: |
| Sales | 40,000 |
| Gross Profit | 12,000 |
| Administrative Expenses | 6,000 |
| Profit Before tax | 6,000 |
| Tax @ 30\% | 1,800 |
| Profit After Tax | 4,200 |
| Balance sheet as on 31st March, 2018 | Amount |
| Particulars | 10,000 |
| Fixed Assets | 6,000 |
| Current Assets | 16,000 |
| Total Assets | 15,000 |
| Equity Share Capital | 1,000 |
| Sundry Creditors | 16,000 |
| Total Liabilities |  |

The Company is contemplating for new sales strategy as follows :
(i) Sales to grow at $30 \%$ per year for next four years.
(ii) Assets turnover ratio, net profit ratio and tax rate will remain the same.
(iii) Depreciation will be $15 \%$ of value of net fixed assets at the beginning of the year.
(iv) Required rate of return for the company is $15 \%$

Evaluate the viability of new strategy.

## QUESTION NO. 3

Calculate the value of share of Avenger Ltd. from the following information:

| Equity capital of company | $₹ 1,200$ crores |
| :--- | ---: |
| Profit of the company | $₹ 300$ crores |
| Par value of share | $₹ 40$ each |
| Debt ratio of company | 25 |
| Long run growth rate of the company | $8 \%$ |
| Beta 0.1; risk free interest rate | $8.7 \%$ |
| Market returns | $10.3 \%$ |
| Change in working capital per share | $₹ 4$ |
| Depreciation per share | $₹ 40$ |
| Capital expenditure per share | $₹ 48$ |

## QUESTION NO. 4

Rahim Enterprises is a manufacturer and exporter of woollen garments to European countries. Their business is expanding day by day and in the previous financial year the company has registered a $25 \%$ growth in export business. The company is in the process of considering a new investment project. It is an all equity financed company with 10,00,000 equity shares of face value of $₹ 50$ per share. The current issue price of this share is ₹ 125 ex-divided. Annual earning are ₹ 25 per share and in the absence of new investments will remain constant in perpetuity. All earnings are distributed at present. A new investment is available which will cost ₹ $1,75,00,000$ in one year's time and will produce annual cash inflows thereafter of ₹ $50,00,000$. Analyse the effect of the new project on dividend payments and the share price.

## QUESTION NO. 5

The valuation of Hansel Limited has been done by an investment analyst. Based on an expected free cash flow of ₹ 54 lakhs for the following year and an expected growth rate of 9 percent, the analyst has estimated the value of Hansel Limited to be ₹ 1800 lakhs. However, he committed a mistake of using the book values of debt and equity.
The book value weights employed by the analyst are not known, but you know that Hansel Limited has a cost of equity of 20 percent and post-tax cost of debt of 10 percent.
The value of equity is thrice its book value, whereas the market value of its debt is nine-tenths of its book value. What is the correct value of Hansel Ltd?

## QUESTION NO. 6

Capital structure of Sun Ltd., as at 31.3.2003 was as under: (₹ in Lacs)

| Equity share capital | 80 |
| :--- | :--- |
| $8 \%$ Preference share capital | 40 |
| $12 \%$ Debentures | 64 |
| Reserves | 32 |

Sun Ltd., earns a profit of ₹ 32 Lacs annually on an average before deduction of income-tax, which works out to $35 \%$, and interest on debentures.
Normal return on equity shares of companies similarly placed is $9.6 \%$ provided:
a) Profit after tax covers fixed interest and fixed dividends at least 3 times.
b) Capital gearing ratio is 0.75 .
c) Yield on share is calculated at $50 \%$ of profits distributed and at $5 \%$ on undistributed profits.

Google Play

Sun Ltd., has been regularly paying equity dividend of $8 \%$.
Compute the value per equity share of the company, taken
(i) $1 \%$ for every one time of difference for Interest and Fixed Dividend Coverage Ratio,
(ii) $2 \%$ for every one time of difference for Capital Gearing Ratio.

## QUESTION NO. 7

The directors of Implant Inc. wishes to make an equity issue to finance a $\$ 10 \mathrm{~m}$ (million) expansion scheme which has an excepted Net Present Value of $\$ 2.2 \mathrm{~m}$ and to re-finance an existing $\$ 6 \mathrm{~m} 15 \%$ Bonds due for maturity in 5 year's time. For early redemption of these bonds there is a $\$ 3,50,000$ penalty charges. The Co. has also obtained approval to suspend these pre-emptive rights and make a $\$ 15 \mathrm{~m}$ placement of shares which will be at a price of $\$ 0.5$ per share. The floatation cost of issue will be $4 \%$ of Gross proceeds. Any surplus funds from issue will be invested in IDRs which is currently yielding 10\% per year.
The Present capital structure of Co . is as under:

|  | $\mathbf{\prime} 000$ |
| :--- | ---: |
| Ordinary Share (\$1 per share) | 7,000 |
| Share Premium | 10,500 |
| Free Reserves | 25,500 |
|  | 43,000 |
| $15 \%$ Term Bonds | 6,000 |
| $11 \%$ Debenture (2012-2020) | 8,000 |
|  | 57,000 |

Current share price is $\$ 2$ per share and debenture price is $\$ 103$ per debenture. Cost of capital of Co. is $10 \%$. It may be further presumed that stock market is semi-strong form efficient and no information about the proposed use of funds from the issue has been made available to the public. You are required to calculate expected share price of company once full details of the placement and to which the finance is to be put, are announced.

## QUESTION NO. 8

You are interested in buying some equity stocks of RK Ltd. The company has 3 divisions operating in different industries. Division A captures $10 \%$ of its industries sales which is forecasted to be ₹ 50 crore for the industry. Division B and C captures $30 \%$ and $2 \%$ of their respective industry's sales, which are expected to be ₹ 20 crore and ₹ 8.5 crore respectively. Division A traditionally had a 5\% net income margin, whereas divisions B and C had $8 \%$ and $10 \%$ net income margin respectively. RK Ltd. has $3,00,000$ shares of equity stock outstanding, which sell at ₹ 250 .
The company has not paid dividend since it started its business 10 years ago. However from the market sources you come to know that RK Ltd. will start paying dividend in 3 years' time and the pay-out ratio is $30 \%$. Expecting this dividend, you would like to hold the stock for 5 year. By analysing the past financial statements, you have determined that RK Ltd.'s required rate of return is $18 \%$ and that P/E ratio of 10 for the next year and on ending P/E ratio of 20 at the end of the fifth year are appropriate.

## Required:

(i) Would you purchase RK Ltd. equity at this time based on your one year forecast?
(ii) If you expect earnings to grow @ $15 \%$ continuously, how much are you willing to pay for the stock of RK Ltd?
Ignore taxation.
PV factors are given below :

| Years | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :--- | ---: | ---: | ---: | ---: | ---: |
| PVIF@ 18\% | 0.847 | 0.718 | 0.609 | 0.516 | 0.437 |

## QUESTION NO. 9

There are two companies ABC Ltd. and XYZ Ltd. are in same in industry. On order to increase its size ABC Ltd. made a takeover bid for XYZ Ltd.

Equity beta of ABC and XYZ is 1.2 and 1.05 respectively. Risk Free Rate of Return is $10 \%$ and Market Rate of Return is $16 \%$. The growth rate of earnings after tax of ABC Ltd. in recent years has been $15 \%$ and XYZ's is $12 \%$. Further both companies had continuously followed constant dividend policy.
Mr. V, the CEO of ABC requires information about how much premium above the current market price to offer for XYZ's shares.
Two suggestions have forwarded by merchant bankers.
(i) Price based on XYZ's net worth as per B/S, adjusted in light of current value of assets and estimated after tax profit for the next 5 years.
(ii) Price based on Dividend Valuation Model, using existing growth rate estimates. Summarised Balance Sheet of both companies is as follows.
(₹ In lacs)

|  | ABC Ltd. | XYZ Ltd. |  | ABC Ltd. | XYZ Ltd. |
| :--- | ---: | ---: | :--- | ---: | ---: |
| Equity Share Capital | 2,000 | 1,000 | Land \& Building | 5,600 | 1,500 |
| General Reserves | 4,000 | 3,000 | Plant \& Machinery | 7,200 | 2,800 |
| Share Premium | 4,200 | 2,200 |  |  |  |
| Long Term Loans | 5,200 | 1,000 |  |  |  |
| Current Liabilities |  |  | Current Assets |  |  |
| Sundry Creditors | 2,000 | 1,100 | Accounts Receivable | 3,400 | 2,400 |
| Bank Overdraft | 300 | 100 | Stock | 3,000 | 2,100 |
| Tax Payable | 1,200 | 400 | Bank/Cash | $\mathbf{2 0 0}$ | 400 |
| Dividend Payable | 500 | 400 |  | - | - |
|  | $\mathbf{1 9 , 4 0 0}$ | $\mathbf{9 , 2 0 0}$ |  | $\mathbf{1 9 , 4 0 0}$ | $\mathbf{9 , 2 0 0}$ |


|  | ABC <br> Ltd. | XYZ <br> Ltd. |  | ABC <br> Ltd. | XYZ <br> Ltd. |
| :--- | ---: | ---: | :--- | ---: | ---: |
| To Net Interest | 1,200 | $\mathbf{2 2 0}$ | By Net Profit | 7,000 | 2,550 |
| To Taxation | 2,030 | 820 |  |  |  |
| To Distributable Profit | 3,770 | 1,510 |  | - | - |
|  | 7,000 | 2,550 |  | 7,000 | 2,550 |
| To Dividend | 1,130 | 760 | By Distributable Profit | 3,770 | 1,510 |
| To Balance c/d | 2,640 | 750 |  | - | - |
|  | 3,770 | 1,510 |  | 3,770 | 1,510 |

## Additional information

(1) ABC Ltd.'s land \& building have been recently revalued. XYZ Ltd.'s have not been revalued for 4 years, and during this period the average value of land \& building have increased by $25 \%$ p.a.
(2) The face value of share of $A B C$ Ltd. is ₹ 10 and of $X Y Z \mathrm{Ltd}$. is ₹ 25 per share.
(3) The current market price of shares of ABC Ltd. is ₹ 310 and of XYZ Ltd.'s ₹ 470 per share.

With the help of above data and given information you are required to calculate the premium per share above XYZ's current share price by two suggested valuation methods. Discuss which of these two values should be used for bidding the XYZ's shares.

## QUESTION NO. 10

XY Ltd., a Cement manufacturing Company has hired you as a financial consultant of the company. The Cement Industry has been very stable for some time and the cement companies SK Ltd. \& AS Ltd. are similar in size and have similar product market mix characteristic. Use comparable method to value the equity of XY Ltd. In performing analysis, use the following ratios:
(i) Market to book value
(ii) Market to replacement cost
(iii) Market to sales
(iv) Market to Net Income

The following data are available for your analysis:

|  | SK Ltd. | AS Ltd. | XY Ltd. |
| :--- | ---: | ---: | ---: |
| Market Value | 450 | 400 |  |
| Book Value | 400 | 300 | 250 |
| Replacement Cost | 600 | 550 | 500 |
| Sales | 550 | 450 | 500 |
| Net Income | 18 | 16 | 14 |

## QUESTION NO. 11

Following is the information of $\mathrm{M} / \mathrm{s}$. DY Ltd. for the year ending 31/03/2021:

| Particulars |  |
| :--- | ---: |
| Sales | ₹ 1000 Lakh |
| Operating Expenses Including Interest | ₹ 620 Lakh |
| 8\% Debentures | ₹ 250 Lakh |
| Equity Share Capital (Face value of ₹ 10 each) | ₹ 250 Lakh |
| Reserves and Surplus | ₹ 900 Lakh |
| Market Value of DY Ltd | $30 \%$ |
| Corporate Tax Rate | $7 \%$ |
| Risk free Rate of Return | $12 \%$ |
| Market Rate of Return | 1.4 |
| Equity Beta |  |

You are required to-
(i) Calculate Weighted Average Cost of Capital of DY Ltd.
(ii) Calculate Economic Value Added
(iii) Calculate Market Value Added

# $\mathbb{T}$ /aghat LIST OF IMPORTANT CUESTIONS SFM NOV 2022 <br> Mergers, Acquisition \& Corporate Restructuring 

## Study Session 4

## QUESTION NO. 1

XYZ Ltd. wants to purchase ABC Ltd. by exchanging 0.7 of its share for each share of $A B C$ Ltd. Relevant financial data are as follows :

| Equity shares outstanding | 1000000 | 400000 |
| :--- | ---: | ---: |
| EPS (₹) | 40 | 28 |
| Market price per share (₹) | 250 | 160 |

a) Illustrate the impact of merger on EPS of both the companies.
b) The management of $A B C$ Ltd. has quoted a share exchange ratio of $1: 1$ for the merger. Assuming that P/E ratio of XYZ Ltd. will remain unchanged after the merger, what will be the gain from merger for $A B C$ Ltd.?
c) What will be the gain / loss to shareholders of XYZ Ltd. ?
d) Determine the maximum exchange ratio acceptable to shareholders of XYZ Ltd.

## QUESTION NO. 2

R Ltd. and S Ltd. operating in same industry are not experiencing any rapid growth but providing a steady stream of earnings. $R$ Ltd.'s management is interested in acquisition of S . Ltd. due to its excess plant capacity. Share of S Ltd. is trading in market at ₹ 3.20 each. Other data relating to $S$ Ltd. is as follows:
Balance Sheet of S Ltd.

| Liabilities | Amount (₹) | Assets | Amount (₹) |
| :--- | :--- | :--- | :--- |
| Current Liabilities | $1,59,80,000$ | Current Assets | $2,48,75,000$ |
| Long Term Liabilities | $\mathbf{1 , 2 8 , 0 0 , 0 0 0}$ | Other Assets | $94,00,000$ |
| Reserve \& Surplus | $2,79,95,000$ |  <br> Equipment | $3,45,00,000$ |
| Share Capital <br> (80 Lakhs shares of ₹ 1.5 each) | $1,20,00,000$ |  |  |
| Total | $6,87,75,000$ | Total | $6,87,75,000$ |


| Particulars | R Ltd. (₹) | S Ltd. (₹) | Combined Entity (₹) |
| :--- | ---: | ---: | ---: |
| Profit after Tax | $86,50,000$ | $49,72,000$ | $1,21,85,000$ |
| Residual Net Cash Flows per year | $90,10,000$ | $54,87,000$ | $1,85,00,000$ |
| Required return on equity | $13.75 \%$ | $13.05 \%$ | $12.5 \%$ |

## You are required to compute the following:

(i) Minimum price per share $S$ Ltd. should accept from R Ltd.
(ii) Maximum price per share R Ltd. shall be willing to offer to S Ltd.
(iii) Floor Value of per share of $S$ Ltd., whether it shall play any role in decision for its acquisition by R Ltd.

## QUESTION NO. 3

The following information relating to the acquiring Company A Ltd. and the target Company B Ltd. are available. Both the Companies are promoted by Multinational Company, Trident Ltd.
The promoter's holding is 50\% and 60\% respectively in A Ltd. and B Ltd.:

|  | A Ltd. | B Ltd. |
| :--- | ---: | ---: |
| Share Capital (₹) | 200 Lakhs | 100 Lakhs |
| Free Reserves and Surplus (₹) | 800 Lakhs | 500 Lakhs |
| Paid up Value per share (₹) | 100 | 10 |
| Free Float Market Capitalization (₹) | 400 Lakhs | 128 Lakhs |
| P/E Ratio (times) | 10 | 4 |

Trident Ltd. is interested to do justice to the shareholders of both the Companies. For the swap ratio weights are assigned to different parameters by the Board of Directors as follows:

| Book Value: | $25 \%$ |
| :--- | :--- |
| EPS (Earning per share): | $50 \%$ |
| Market Price: | $25 \%$ |

a) What is the swap ratio based on above weights?
b) What is the Book Value, EPS and expected Market price of A Ltd. after acquisition of B Ltd. (assuming P/E. ratio of A Ltd. remains unchanged and all assets and liabilities of B Ltd. are taken over at book value).
c) Calculate:
(i) Promoter's revised holding in the A Ltd.
(ii) Free float market capitalization,
(iii) Also calculate No. of Shares, Earning per Share (EPS) and Book Value (B.V.), if after acquisition of B Ltd., A Ltd. decided to:

1. Issue Bonus shares in the ratio of $1: 2$; and
2. Split the stock (share) as ₹5 each fully paid

## QUESTION NO. 4

Given is the following information:

|  | Day Ltd. | Night Ltd. |
| :--- | ---: | ---: |
| Net Earnings | ₹ 5 crores | ₹ 3.5 crores |
| No. of Equity Shares | $10,00,000$ | $7,00,000$ |

The shares of Day Ltd. and Night Ltd. trade at 20 and 15 times their respective P/E ratios.
Day Ltd. considers taking over Night Ltd. By paying ₹ 55 crores considering that the market price of Night Ltd. reflects its true value. It is considering both the following options:
I. Takeover is funded entirely in cash.
II. Takeover is funded entirely in stock.

You are required to calculate the cost of the takeover and advise Day Ltd. on the best alternative.

## QUESTION NO. 5

The following is the Balance-sheet of Grape Fruit Company Ltd as on March 31st 2011.

| Liabilities |  | Assets | (₹ in lacs) |
| :--- | ---: | :--- | ---: |
| 6 lacs equity shares of ₹100/- each | 600 | Land \& Building |  |
| 2 lacs 14\% Preference shares of | 200 | Plant \& Machinery |  |
| ₹100/- each |  |  | 300 |
| 13\% Debentures | 200 | Furnitures \& Fixtures | 50 |
| Debenture Interest accrued and <br> Payable <br> Loan from Bank | 26 | Inventory | 150 |
| Trade Creditors | 74 | Sundry debtors <br> Cash at Bank | 70 |

The Company did not perform well and has suffered sizable losses during the last few years. However, it is now felt that the company can be nursed back to health by proper financial restructuring and consequently the following scheme of reconstruction has been devised:
(i) Equity shares are to be reduced to ₹ $25 /-$ per share, fully paid up;
(ii) Preference shares are to be reduced (with coupon rate of $10 \%$ ) to equal number of shares of ₹50 each fully paid up.
(iii) Debenture holders have agreed to forego interest accrued to them. Beside this, they have agreed to accept new debentures carrying a coupon rate of $9 \%$.
(iv) Trade creditors have agreed to forgo 25 per cent of the amount due to them.
(v) The company issues 6 lac of equity shares at ₹ $25 /-$ each and the entire sum was to be paid on application. The existing shareholders have agreed to subscribe to the new issue.
(vi) While Land and Building is to be revalued at ₹450 lacs, Plant \& Machinery is to be written down to ₹ 120 lacs. A provision amounting to ₹ 15 lacs is to be made for bad and doubtful debts.

## You are required to

a) Show the impact of financial restructuring/re-construction
b) Prepare the fresh balance sheet after the reconstructions is completed on the basis of the above proposals.

## QUESTION NO. 6

a) Personal Computer Division of Distress Ltd., a computer hardware manufacturing company has started facing financial difficulties for the last 2 to 3 years. The management of the division headed by Mr. Smith is interested in a buyout on 1 April 2013. However, to make this buy-out successful there is an urgent need to attract substantial funds from venture capitalists.
Ven Cap, a European venture capitalist firm has shown its interest to finance the proposed buy-out. Distress Ltd. is interested to sell the division for ₹ 180 crore and Mr. Smith is of opinion that an additional amount of $₹ 85$ crore shall be required to make this division viable. The expected financing pattern shall be as follows:

| Source | Mode | Amount (₹ Crore) |
| :--- | :--- | ---: |
| Management | Equity Shares of ₹ 10 each | 60.00 |
| VenCap VC | Equity Shares of ₹ 10 each | 22.50 |
|  | 9\% Debentures with attached warrant of ₹ 100 each | 22.50 |
|  | 8\% Loan | 160.00 |
| Total |  | 265.00 |

b) The warrants can be exercised any time after 4 years from now for 10 equity shares @ ₹ 120 per share.
c) The loan is repayable in one go at the end of 8 th year. The debentures are repayable in equal annual installment consisting of both principal and interest amount over a period of 6 years.
d) Mr. Smith is of view that the proposed dividend shall not be kept more than $12.5 \%$ of distributable profit for the first 4 years. The forecasted EBIT after the proposed buyout is as follows:

| Year | $2013-14$ | $2014-15$ | $2015-16$ | $\mathbf{2 0 1 6 - 1 7}$ |
| :--- | :--- | :--- | :--- | :--- |
| EBIT (₹ crore) | 48 | 57 | 68 | 82 |

e) Applicable tax rate is $35 \%$ and it is expected that it shall remain unchanged at least for $5-6$ years. In order to attract VenCap, Mr. Smith stated that book value of equity shall increase by $20 \%$ during above 4 years. Although, VenCap has shown their interest in investment but are doubtful about the projections of growth in the value as per projections of Mr. Smith. Further VenCap also demanded that warrants should be convertible in 18 shares instead of 10 as proposed by Mr. Smith.
f) You are required to determine whether or not the book value of equity is expected to grow by $20 \%$ per year. Further if you have been appointed by Mr. Smith as advisor then whether you would suggest to accept the demand of VenCap of 18 shares instead of 10 or not.

## QUESTION NO. 7

ICL is proposing to take over SVL with an objective to diversify. ICL's profit after tax (PAT) has grown @ 18 per cent per annum and SVL's PAT is grown @ 15 per cent per annum. Both the companies pay dividend regularly. The summarised Profit \& Loss Account of both the companies are as follows:
₹ in Crores

| Particulars | ICL | SVL |
| :--- | ---: | ---: |
| Net Sales | 4,545 | 1,500 |
| PBIT | 2,980 | 720 |
| Interest | 750 | 25 |
| Provision for Tax | 1,440 | 445 |
| PAT | 790 | 250 |
| Dividends | 235 | 125 |


|  | ICL |  | SVL |  |
| :--- | ---: | ---: | ---: | ---: |
| Fixed Assets |  |  |  |  |
| Land \& Building (Net) | 720 |  | 190 |  |
| Plant \& Machinery (Net) | 900 |  | 350 |  |
| Furniture \& Fixtures (Net) | 30 | 1,650 | 10 | 550 |
| Current Assets |  | 775 |  | 580 |
| Less: Current Liabilities |  |  |  |  |
| Creditors | 230 |  | 130 |  |
| Overdrafts | 35 |  | 10 |  |
| Provision for Tax | 145 |  | 50 |  |
| Provision for dividends | 60 | 470 | 50 | 240 |
| Net Assets |  | 1,955 |  | 890 |
| Paid up Share Capital (₹ 10 per share) | 250 |  | 125 |  |
| Reserves and Surplus | 1,050 | 1,300 | 660 | 785 |
| Borrowing |  | 655 |  | 105 |
| Capital Employed |  | 1,955 |  | 890 |

## Market Price Share ( $₹$ )

52
75
ICL's Land \& Buildings are stated at current prices. SVL's Land \& Buildings are revalued three years ago. There has been an increase of 30 per cent per year in the value of Land \& Buildings.
SVL is expected to grow @ 18 per cent each year, after merger.
ICL's Management wants to determine the premium on the shares over the current market price which can be paid on the acquisition of SVL. You are required to determine the premium using:
(i) Net Worth adjusted for the current value of Land \& Buildings plus the estimated average profit after tax (PAT) for the next five years.
(ii) The dividend growth formula.
(iii) ICL will push forward which method during the course of negotiations?

| Period (t) | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :--- | ---: | ---: | ---: | ---: | ---: |
| FVIF $(30 \%, \boldsymbol{t})$ | 1.300 | 1.690 | 2.197 | 2.856 | 3.713 |
| FVIF $(15 \%, \boldsymbol{t})$ | 1.15 | 2.4725 | 3.9938 | 5.7424 | 7.7537 |

# Thy CAFINAL LIST OF IMPORTANT QUESTIONS SFM NOV 2022 

## QUESTION NO. 8

B Ltd. wants to acquire S Ltd. and has offered a swap ratio of 2 : 3 (2 shares for every 3 share of S Ltd.) Following information is available:

| Particulars | B Ltd. | S Ltd. |
| :--- | ---: | ---: |
| Profit after tax (in ₹) | $21,00,000$ | $4,50,000$ |
| Equity shares outstanding (Nos.) | $6,00,000$ | $1,80,000$ |
| EPS (in ₹) | 3.5 | 2.5 |
| PE Ratio | 10 times | 7 times |
| Price quoting per share on BSE before the merger <br> announcement | 35 | 17.5 |

## Required:

(i) The number of equity shares to be issued by B Ltd. for acquisition of S Ltd.
(ii) What is the EPS of B Ltd. after the acquisition?
(iii) Determine the equivalent earnings per share of $S$ Ltd. and calculate per share gain or loss to shareholders of S Ltd.
(iv) What is the expected market price per share of B Ltd. after the acquisition, assuming its PE Multiple remains unchanged?
(v) Determine the market value of the merged firm.
(vi) After the announcement of merger, price of shares of S Ltd. rose by 10\% on BSE. Mr. X, an investor, having 10,000 shares of $S$ Ltd. is having another investment opportunity, which yields annual return of $14 \%$ is seeking your advise whether he needs to offload the shares in the market or accept the shares from B Ltd.

## QUESTION NO. 9

The CEO of a company thinks that shareholders always look for EPS. Therefore he considers maximization of EPS as his company's objective. His company's current Net Profits are ₹ 80.00 lakhs and P/E multiple is 10.5 . He wants to buy another firm which has current income of ₹ 15.75 lakhs \& $\mathrm{P} / \mathrm{E}$ multiple of 10 .
What is the maximum exchange ratio which the CEO should offer so that he could keep EPS at the current level, given that the current market price of both the acquirer and the target company are ₹ 42 and ₹ 105 respectively?
If the CEO borrows funds at $15 \%$ and buys out Target Company by paying cash, how much should he offer to maintain his EPS? Assume tax rate of $30 \%$.

## Mutual Funds

## Study Session 5

## QUESTION NO. 1

Mr. Y has invested in the three mutual funds (MF) as per the following details:

| Particulars | MF ' ${ }^{\prime}$ ' | MF ${ }^{\prime}{ }^{\prime}$ | MF 'Z' |
| :---: | :---: | :---: | :---: |
| Amount of Investment (₹) | 2,00,000 | 4,00,000 | 2,00,000 |
| Net Assets Value (NAV) at the time of purchase (₹) | 10.30 | 10.10 | 10 |
| Dividend Received up to 31.03.2018 (₹) | 6,000 | 0 | 5,000 |
| NAV as on 31.03.2018 (₹) | 10.25 | 10 | 10.20 |
| Effective Yield per annum as on 31.03.2018 (percent) | 9.66 | -11.66 | 24.15 |

Assume 1 Year $=365$ days
Mr. Y has misplaced the documents of his investment. Held him in finding the date of his original investment after ascertaining the following:
(i) Number of units in each scheme;
(ii) Total NAV;
(iii) Total Yield; and
(iv) Number of days investment held.

## QUESTION NO. 2

Mr. X on 1.7.2000, during the initial offer of some Mutual Fund invested in 10,000 units having face value of ₹ 10 for each unit. On 31.3.2001 the dividend operated by the MF was $10 \%$ and Mr. X found that his annualized yield was 153.33\%. On 31.12.2002, 20\% dividend was given. On 31.3.2003 Mr. X redeemed all his balance of $11,296.11$ units when his annualized yield was $73.52 \%$. What are the NAVs on 31.3.2001, 31.12.2002 and 31.03.2003?

## QUESTION NO. 3

On 1st April, an open ended scheme of mutual fund had 300 lakh units outstanding with Net Assets Value (NAV) of ₹ 18.75. At the end of April, it issued 6 Lakh units at opening NAV plus $2 \%$ load, adjusted for dividend equalization. At the end of May, 3 Lakh units were repurchased at opening NAV less $2 \%$ exit load adjusted for dividend equalization. At the end of June, $70 \%$ of its available income was distributed.
In respect of April - June quarter, the following additional information are available :

|  | ₹ in lakh |
| :--- | ---: |
| Portfolio value appreciation | 425.470 |
| Income of April | 22.950 |
| Income of May | 34.425 |
| Income of June | 45.450 |

You are required to calculate :
a) Income available for distribution;
b) Issue price at the end of April,
c) Repurchase price at the end of May, and
d) Net asset value (NAV) as on 30th June.

## QUESTION NO. 4

M/S. Corpus an AMC, on 1.04 .2015 has floated two schemes viz. Dividend Plan and Bonus Plan. Mr. $X$, an investor has invested in both the schemes. The following details (except the issue price) are available:

| Date | Dividend (\%) | Bonus Ratio | NAV |  |
| :---: | :---: | :---: | :---: | :---: |
|  |  |  | Dividend Plan | Bonus Plan |
| 1.04.2015 |  |  | ? | ? |
| $31.12 .2016$ |  | 1 :4 (One unit on 4 units held) | 47 | 40 |
| 31.03.2017 | 12 |  | 48 | 42 |
| 31.03.2018 | 10 |  | 50 | 39 |
| $31.12 .2018$ |  | 1 :5 (One unit on 5 units held) | 46 | 43 |
| $31.03 .2019$ | $15$ |  | 45 | 42 |
| 31.03.2020 | - |  | 49 | 44 |

## Additional details

| Investment (₹) | $₹ 9,20,000$ | $₹ 10,00,000$ |
| :--- | :--- | :--- |
| Average Profit $(₹)$ | $₹ 27,748.60$ |  |
| Average Yield (\%) |  | 6.40 |
| Y |  |  |

You are required to calculate the issue price of both the schemes as on 1.04.2015.

## QUESTION NO. 5

Mr. Alex, a practicing Chartered Accountant, can earn a return of 15 percent by investing in equity shares on his own. He is considering a recently announced equity based mutual fund scheme in which initial expenses are 6 percent and annual recurring expenses are 2 percent.
(i) How much should the mutual fund earn to provide Mr. Alex a return of 15 percent per annum?
(ii) Mr. Alex's current Annual Professional Income is ₹ 40 Lakhs. His porffolio value is ₹ 50 Lakhs and now he is spending $10 \%$ of his time to manage his portfolio. If he spends this time on profession, his professional income will go up in same proportion. He is thinking to invest his entire portfolio into a Multicap Fund, assuming the fund's NAV will grow at 13\% per annum (including dividend).
You are requested to advise Mr. Alex, whether he can invest the portfolio into Multicap Funds? If so, what is the net financial benefit?

## QUESTION NO. 6

Based on the following data, estimate the Net Asset Value (NAV) 1st July 2016 on per unit basis of a Debt Fund:

| Name of Security | Face Value ₹ | Purchase Price ₹ | Maturity Date | No. of Securities | Coupon Date(s) | Duration of Bonds |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & 10.71 \% \\ & \text { GOI } 2028 \end{aligned}$ | 100 | 104.78 | 31st March, 2028 | 100000 | 31 st March | 7.3494 |
| $\begin{aligned} & 10 \% \\ & \text { GOI } 2023 \end{aligned}$ | 100 | 100.00 | 31 st March, 2023 | 50000 | 31 st March \& 30th September | 5.086 |
| $\begin{aligned} & 9.5 \% \text { GOI } \\ & 2021 \end{aligned}$ | 100 | 97.93 | $\begin{array}{r} 31 s t \\ \text { December, } \\ 2021 \end{array}$ | 40000 | 30th June \& 31 st December | 4.3949 |
| $\begin{aligned} & 8.5 \% \\ & \text { SGL } 2025 \end{aligned}$ | 100 | 91.36 | 30th June 2025 | 20000 | 30th June | 6.5205 |

Number of Units (₹ 10 face value each): 100000
All securities were purchased at a time when applicable Yield to Maturity (YTM) was 10\%. On NAV date, the required yield increased by 75 basis point and Cash in hand and accrued expenses were ₹ $6,72,800$ and ₹ $2,37,400$ respectively.

## Derivatives Analysis \& Valuation (Futures)

## Study Session 6

## QUESTION NO. 1

The NSE-50 Index futures are traded with rupee value being ₹ 100 per index point. On 15th September, the index closed at 1195, and December futures (last trading day December 15) were trading at 1225. The historical dividend yield on the index has been $3 \%$ per annum and the borrowing rate was $9.5 \%$ per annum.
(i) Determine whether on September 15, the December futures were under priced or overpriced?
(ii) What arbitrage transaction is possible to gain out this mispricing?
(iii) Calculate the gains and losses if the index on 15th December closes at (a) 1260 (b) 1175.

Assume 365 days in a year for your calculations.

## QUESTION NO. 2

The Following data relate to A Ltd.'s Portfolio:

| Shares | X Ltd. | Y Ltd. | Z Ltd. |
| :--- | :--- | :--- | :--- |
| No. of Shares (lakh) | 6 | 8 | 4 |
| Price per share $(₹)$ | 1000 | 1500 | 500 |
| Beta | 1.50 | 1.30 | 1.70 |

The CEO is of opinion that the portfolio is carrying a very high risk as compared to the market risk and hence interested to reduce the portfolio's systematic risk to 0.95 . Treasury Manager has suggested two below mentioned alternative strategies:
(i) Dispose off a part of his existing portfolio to acquire risk free securities, or
(ii) Take appropriate position on Nifty Futures, currently trading at 8250 and each Nif ty points multiplier is ₹ 210 .

## You are required to:

(a) Interpret the opinion of CEO, whether it is correct or not.
(b) Calculate the existing systematic risk of the portfolio,
(c) Advise the value of risk-free securities to be acquired,
(d) Advise the number of shares of each company to be disposed off,
(e) Advise the position to be taken in Nifty Futures and determine the number of Nifty contracts to be bought/sold; and
(f) Calculate the new systematic risk of portfolio if the company has taken position in Nifty Futures and there is $2 \%$ rise in Nifty.
Note: Make calculations in ₹ lakh and upto 2 decimal points.
QUESTION NO. 3
A is an investor and having in its Portfolio Shares worth ₹ $1,20,00,000$ at current price and Cash ₹ $10,00,000$. The Beta $(\beta)$ of Share Portfolio is 1.4. After four months the price of shares dropped by 1.8\%.

## You are required to determine:

(i) Current Portfolio Beta and
(ii) Portfolio Beta after four months-if A on current date goes for long position on ₹ $1,30,00,000$ Nifty futures.

## QUESTION NO. 4

Mr. X, is a Senior Portfolio Manager at ABC Asset Management Company. He expects to purchase a portfolio of shares in 90 days. However he is worried about the expected price increase in shares in coming day and to hedge against this potential price increase he decides to take a position on a 90-
day forward contract on the Index. The index is currently trading at 2290. Assuming that the continuously compounded dividend yield is $1.75 \%$ and risk free rate of interest is $4.16 \%$, you are required to determine:
(a) Calculate the justified forward price on this contract.
(b) Suppose after 28 days of the purchase of the contract the index value stands at 2450 then determine gain/ loss on the above long position.
(c) If at expiration of 90 days the Index Value is 2470 then what will be gain on long position.

Note: Take 365 days in a year and value of $e^{0.005942}=1.005960, e^{0.001849}=1.001851$.
QUESTION NO. 5
A company is long on 10 MT of copper @ ₹ 474 per kg (spot) and intends to remains so for the ensuing quarter. The standard deviation of changes of its spot and future prices are $4 \%$ and $6 \%$ respectively, having correlation coefficient of 0.75 .
What is its hedge ratio? What is the amount of the copper future it should short to achieve a perfect hedge?

## QUESTION NO. 6

Mr. SG sold five 4-Month Nifty Futures on 1st February 2020 for ₹ $9,00,000$. At the time of closing of trading on the last Thursday of May 2020 (expiry), Index turned out to be 2100. The contract multiplier is 75 .
Based on the above information calculate:
(i) The price of one Future Contract on 1st February 2020.
(ii) Approximate Nifty Sensex on 1st February 2020 if the Price of Future Contract on same date was theoretically correct. On the same day Risk Free Rate of Interest and Dividend Yield on Index was $9 \%$ and $6 \%$ p.a. respectively.
(iii) The maximum Contango/ Backwardation.
(iv) The pay-off of the transaction.

Note: Carry out calculation on month basis.

## Derivatives Analysis \& Valuation (Options)

## Study Session 7

## QUESTION NO. 1

Mr. X established the following spread on the Delta Corporation's stock
(i) Purchased one 3-month call option with a premium of ₹ 30 and an exercise price of ₹ 550 .
(ii) Purchased one 3-month put option with a premium of ₹ 5 and an exercise price of ₹ 450 .

Delta Corporation's stock is currently selling at ₹ 500 . Determine profit or loss, if the price of Delta Corporation's:
(i) Remains at ₹ 500 after 3 months.
(ii) Falls at ₹ 350 after 3 months.
(iii) Rises to ₹ 600 . Assume the size option is 100 shares of Delta Corporation.

## QUESTION NO. 2

You as an investor had purchased a 4 month call option on the equity shares of $X$ Ltd. of ₹ 10, of which the current market price is ₹ 132 and the exercise price ₹ 150 . You expect the price to range between ₹ 120 to ₹ 190 .
The expected share price of X Ltd. and related probability is given below:

| Expected Price (₹) | 120 | 140 | 160 | 180 | 190 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Probability | .05 | .20 | .50 | .10 | .15 |

Compute the following:
a) Expected Share price at the end of 4 months.
b) Value of Call Option at the end of 4 months, if the exercise price prevails.
c) In case the option is held to its maturity, what will be the expected value of the call option?

## QUESTION NO. 3

Spot Price is ₹ 60 . A One year European Call Option is being quoted in the market at option premium of ₹ 15 with Exercise Price of ₹ 55 . Risk Free Rate of return is $12 \%$ p.a.The stock can either rise or fall after a year. If it can fall by $30 \%$ by what percentage (\%) can it rise?

## QUESTION NO. 4

A two year tree for a share of stock in ABC Ltd., is as follows:


Consider a two years American call option on the stock of ABC Ltd., with a strike price of ₹ 98 . The current price of the stock is ₹ 100. Risk free return is 5 per cent per annum with a continuous compounding and $\mathrm{e}^{0.05}=1.05127$.

Assume two time periods of one year each.
Using the Binomial Model, calculate:
(i) The probability of price moving up and down;
(ii) Expected pay offs at each nodes i.e. N1, N2 and N3 (round off upto 2 decimal points).

## QUESTION NO. 5

$A B$ Ltd.'s equity shares are presently selling at a price of ₹ 500 each. An investor is interested in purchasing $A B$ Ltd.'s shares. The investor expects that there is a $70 \%$ chance that the price will go up to ₹ 650 or a $30 \%$ chance that it will go down to ₹ 450 , three months from now. There is a call option on the shares of the firm that can be exercised only at the end of three months at an exercise price of ₹ 550 .

## Calculate the following:

(i) If the investor wants a perfect hedge, what combination of the share and option should he select?
(ii) Explain how the investor will be able to maintain identical position regardless of the share price.
(iii) If the risk-free rate of return is $5 \%$ for the three months period, what is the value of the option at the beginning of the period?
(iv) What is the expected return on the option?

## QUESTION NO. 6

From the following data for certain stock, find the value of a call option:

| Price of stock now | $=$ | $₹ 80$ |
| :--- | ---: | ---: |
| Exercise price | $=$ | $₹ 75$ |
| Standard deviation of continuously compounded annual return | $=$ | 0.40 |
| Maturity period | $=$ | 6 months |
| Annual interest rate | $=$ | $12 \%$ |

Given

| Number of S.D. from Mean, $(\mathbf{z})$ | Area of the left or right (one tail) |  |
| :--- | :--- | :--- |
| 0.25 |  | 0.4013 |
| 0.30 | 0.3821 |  |
| 0.55 | 0.2912 |  |
| 0.60 | $=1.062$ | 0.2743 |
| $\mathrm{e}^{0.12 \times 0.5}=0.0646$ |  |  |
| In 1.0667 | $=$ |  |

# Foreign Exchange Exposure \& Risk Management 

## Study Session 8

## QUESTION NO. 1

The risk free rate of interest rate in USA is $8 \%$ p.a. and in UK is $5 \%$ p.a. The spot exchange rate between US $\$$ and UK $£$ is $1 \$=£ 0.75$.
Assuming that is interest is compounded on daily basis then at which forward rate of 2 year there will be no opportunity for arbitrage.
Further, show how an investor could make risk-less profit, if two year forward price is $1 \$$
$=0.85$ £.
Given e-0. $06=0.9418$ \& e-0.16 $=0.8521, e 0.16=1.1735, e-0.1=0.9048$

## QUESTION NO. 2

On 1st January 2019 Global Ltd., an exporter entered into a forward contract with BBC Bank to sell US $\$ 2,00,000$ on 31 st March 2019 at ₹ $71.50 / \$$. However, due to the request of the importer, Global Ltd. received the amount on 28 February 2019. Global Ltd. requested the Bank to take delivery of the remittance on 2nd March 2019. The Inter- banking rates on 28th February were as follows:

| Spot Rate | $₹ 71.20 / 71.25$ |
| :--- | :--- |
| One month premium | $5 / 10$ |

If Bank agrees to take early delivery then what will be the net inflow to Global Ltd. assuming that the prevailing prime lending rate is $15 \%$. Assume 365 days in a year.

## QUESTION NO. 3

On 10th July, an importer entered into a forward contract with bank for US \$ 50,000 due on 10th September at an exchange rate of ₹ 66.8400 . The bank covered its position in the interbank market at ₹ 66.6800 .
How the bank would react if the customer requests on 20th September:
(i) to cancel the contract?
(ii) to execute the contract?
(iii) to extend the contract with due date to fall on 10th November?

The exchange rates for US\$ in the interbank market were as below:

|  | 10th September | 20th September |
| :--- | ---: | ---: |
| Spot US\$1 = | $66.1500 / 1700$ | $65.9600 / 9900$ |
| Spot/September | $66.2800 / 3200$ | $66.1200 / 1800$ |
| Spot/October | $66.4100 / 4300$ | $66.2500 / 3300$ |
| Spot/November | $66.5600 / 6100$ | $66.4000 / 4900$ |

Exchange margin was $0.1 \%$ on buying and selling.
Interest on outlay of funds was 12\% p.a.
You are required to show the calculations to:
a) cancel the Contract,
b) execute the Contract, and
c) extend the Contract as above.

## QUESTION NO. 4

NP and Co. has imported goods for US \$ 7,00,000. The amount is payable after three months. The company has also exported goods for US \$4,50,000 and this amount is receivable in two months. For receivables amount a forward contract is already taken at ₹ 48.90.
The market rates for ₹ and Dollar are as under:

| Spot | ₹ $48.50 / 70$ |
| :--- | ---: |
| Two months | $25 / 30$ points |
| Three months | $40 / 45$ points |

The company wants to cover the risk and it has two options as under:
a) To cover payables in the forward market and
b) To lag the receivables by one month and cover the risk only for the net amount. No interest for delaying the receivables is earned. Evaluate both the options if the cost of Rupee Funds is $12 \%$. Which option is preferable?

## QUESTION NO. 5

JKL Ltd., an Indian company has an export exposure of JPY 10,000,000 payable August 31, 2014. Japanese Yen (JPY) is not directly quoted against Indian Rupee.
The current spot rates are:

| INR/US \$ | ₹ 62.22 |
| :--- | ---: |
| JPY/US\$ | JPY 102.34 |

It is estimated that Japanese Yen will depreciate to 124 level and Indian Rupee to depreciate against US $\$$ to ₹ 65 .
Forward rates for August 2014 are

| INR/US \$ | ₹ 66.50 |
| :--- | ---: |
| JPY/US\$ | JPY 110.35 |

## Required:

Calculate the expected loss, if the hedging is not done. How the position will change, if the firm takes forward cover?
If the spot rates on August 31, 2014 are:

| INR/US \$ | ₹ 66.25 |
| :--- | ---: |
| JPY/US\$ | JPY 110.85 |

Is the decision to take forward cover justified?

## QUESTION NO. 6

You have following quotes from Bank $A$ and Bank B :

|  | Bank A | Bank B |
| :--- | ---: | ---: |
| SPOT | USD/CHF 1.4650/55 | USD/CHF 1.4653/60 |
| 3 months | $5 / 10$ |  |
| 6 months | $10 / 15$ |  |
| SPOT | GBP/USD $1.7645 / 60$ | GBP/ USD 1.7640/50 |
| 3 months | $25 / 20$ |  |
| 6 months | $35 / 25$ |  |

## Calculate:

a) How much minimum CHF amount you have to pay for 1 Million GBP spot?
b) Considering the quotes from Bank A only, for GBP/CHF what are the Implied Swap points for Spot over 3 months?

## QUESTION NO. 7

Your bank's London office has surplus funds to the extent of US $\$ 500000$ for a period of 3 months. The cost of funds to the bank is 4 \% p.a. It proposes to invest these funds in London, New York or Frankfurt and obtain the best yield, without any exchange risk to the bank. The following rates of interest are available at the three centres of domestic funds there at for a period of 3 months.

| London | 5 \% p.a. |
| :--- | ---: |
| New York | 8 \% p.a. |
| Frankfurt | $3 \%$ p.a. |

The market rates in London for US dollars and EURO are as under:
London on New York

| Spot | $1.5350 / 90$ |
| :--- | ---: |
| 1 month | $15 / 18$ |
| 2 months | $30 / 35$ |
| 3 months | $80 / 85$ |

## London on Frankfurt

| Spot | $1.8260 / 90$ |
| :--- | ---: |
| 1 month | $60 / 55$ |
| 2 months | $95 / 90$ |
| 3 months | $145 / 140$ |

At which centre, will the investment be made \& what will be the net gain (to the nearest pound) to the bank on the invested funds?

## QUESTION NO. 8

DSE Ltd. is an export oriented business in Kolkata. DSE Ltd. invoices in customers currency. Its receipts of US \$ 3,00,000 is due on July 1st, 2019.
Market information as at April 1st 2019


On July, the spot rate US $\$ / ₹$ is 0.0146 and currency future rate is 0.0147 Comment which of the following methods would be most advantageous for DSE Ltd.
(i) Using forward contract.
(ii) Using currency futures
(iii) Not hedging currency risks.

It may be assumed that variation in margin would be settled on the maturity of the futures contract.

## QUESTION NO. 9

Best of Luck Ltd. London will have to make a payment of $\$ 3,64,897$ in six months' time. The company is considering the various choices it has in order to hedge its transaction exposure.

| Exchange rates: |  |
| :--- | :--- |
| Spot rate | $\$ 1.5617-1.5673$ |
| Six month forward rate | $\$ 1.5455-1.5609$ |


|  | $\begin{array}{r} \text { OF IMPORTAN } \\ \text { NOV } 20 \end{array}$ | UESTIONS |
| :---: | :---: | :---: |
| Money Market rates: |  |  |
|  | Borrow (\%) | Invest (\%) |
| US | 6 | 4.5 |
| UK | 7 | 5.5 |
| Foreign currency option prices (1 unit is $£ 12,500$ ): |  |  |
| Exercise price | Call option (March) | Put option (March) |
| \$ 1.70 | \$ 0.037 | \$ 0.096 |

By making the appropriate calculations decide which of the following hedging alternatives is the most attractive to Best of Luck Ltd:
a) Forward market
b) Money market Cover
c) Currency options

## QUESTION NO. 10

With the relaxation of investment norms in India in international market upto $\$ 2,50,000 \mathrm{Mr}$. X to hedge himself against the risk of declining Indian economy and weakening of Indian Rupee during last few year decided to diversify into International Market.
Accordingly, Mr. X invested a sum of ₹ 1.58 crore on 1.1.20x1 in Standard \& Poor Index. On 1.1.20x2 Mr. X sold his investment. The other relevant data is given below:

|  | $\mathbf{1 . 1 . 2 0 x 1}$ | $\mathbf{1 . 1 . 2 0 \times 2}$ |
| :--- | :--- | :--- |
| Index of Stock Market in India | 7395 | $?$ |
| Standard \& Poor Index | 2028 | 1919 |
| Exchange Rate | $62.00 / 62.25$ | $67.25 / 67.50$ |

## You are required to:

(i) Determine the return for a US investor.
(ii) Determine return of Mr. X of holding period.
(iii) Determine the value of Index of Stock Market in India as on 1.1.20x2 at which Mr. X would be indifferent between investment in Standard \& Poor Index and Indian Stock Market.

## QUESTION NO. 11

A German subsidiary of an US based MNC has to mobilize 100000 Euro's working capital for the next 12 months. It has the following options:

| Loan from German Bank | $:$ | $@ 5 \%$ p.a. |
| :--- | :--- | :--- |
| Loan from US Parent Bank | $:$ | $@ 4 \%$ p.a. |
| Loan from Swiss Bank | $:$ | @ 3\% p.a. |

Banks in Germany charge an additional $0.25 \%$ p.a. towards loan servicing. Loans from outside Germany attract withholding tax of $8 \%$ on interest payments. If the interest rates given above are market determined, examine which loan is the most attractive using interest rate differential.
QUESTION NO. 12
You as a dealer in foreign exchange have the following position in Swiss Francs on 31st October, 2009:

|  | Swiss Francs (SF) |
| :--- | ---: |
| Balance in the Nostro A/c Credit | $1,00,000$ |
| Opening Position Overbought | 50,000 |
| Purchased a bill on Zurich | 80,000 |
| Sold forward TT | 60,000 |


| Forward purchase contract cancelled | 30,000 |
| :--- | :--- |
| Remitted by TT | 75,000 |
| Draft on Zurich cancelled | 30,000 |

What steps would you take, if you are required to maintain a credit Balance of Swiss Francs 30,000 in the Nostro A/c and keep as overbought position on Swiss Francs 10,000?

## QUESTION NO. 13

K Ltd. currently operates from 4 different buildings and wants to consolidate its operations into one building which is expected to cost ₹ 90 crores. The Board of K Ltd. had approved the above plan and to fund the above cost, agreed to avail an External Commercial Borrowing (ECB) of GBP 10 m from G Bank Ltd. on the following conditions:

- The Loan will be availed on 1 st April, 2019 with interest payable on half yearly rest.
- Average Loan Maturity life will be 3.4 years with an overall tenure of 5 years.
- Upfront Fee of $1.20 \%$.
- Interest Cost is GBP 6 months LIBOR + Margin of 2.50\%.
- The 6 month LIBOR is expected to be $1.05 \%$.

K Ltd. also entered into a GBP-INR hedge at 1 GBP $=$ INR 90 to cover the exposure on account of the above ECB Loan and the cost of the hedge is coming to $4.00 \%$ p.a.
As a Finance Manager, given the above information and taking the 1 GBP $=\operatorname{INR} 90$ :
(i) Calculate the overall cost both in percentage and rupee terms on an annual basis.
(ii) What is the cost of hedging in rupee terms?
(iii) If $K$ Ltd. wants to pursue an aggressive approach, what would be the net gain/loss for K Ltd. if the INR depreciates/appreciates against GBP by $10 \%$ at the end of the 5 years assuming that the loan is repaid in GBP at the end of 5 years?
Ignore time value and taxes and calculate to two decimals.

## QUESTION NO. 14

On 1st February 2020, XYZ Ltd. a laptop manufacturer imported a particular type of Memory Chips from SKH Semiconductor of South Korea. The payment is due in one month from the date of Invoice, amounting to 1190 Million South Korean Won (SKW). Following Spot Exchange Rates (1st February) are quoted in two different markets:

| USD/ INR | $75.00 / 75.50$ | in Mumbai |
| :--- | :--- | :--- |
| USD/ SKW | $1190.00 / 1190.75$ | in New York |

Since hedging of Foreign Exchange Risk was part of company's strategic policy and no contract for hedging in SKW was available at any in-shore market, it approached an off-shore Non- Deliverable Forward (NDF) Market for hedging the same risk.
In NDF Market a dealer quoted one-month USD/ SKW at 1190.00/1190.50 for notional amount of USD 100,000 to be settled at reference rate declared by Bank of Korea.
After 1 month (1st March 2020) the dealer agreed for SKW 1185/ USD as rate for settlement and on the same day the Spot Rates in the above markets were as follows:

| USD/ INR | $75.50 / 75.75$ | in Mumbai |
| :--- | :--- | :--- |
| USD/ SKW | $1188.00 / 1188.50$ | in New York |

Analyze the position of company under each of the following cases, comparing with Spot Position of 1 st February:
(i) Do Nothing.
(ii) Opting for NDF Contract.

Note: Both ₹/ SKW Rate and final payment (to be computed in ₹ Lakh) to be rounded off upto 4 decimal points.

## QUESTION NO. 15

A US investor chose to invest in Sensex for a period of one year. The relevant information is given below.

| Size of investment $(\$)$ | $20,00,000$ |
| :--- | :--- |
| Spot rate lyear ago $(₹ / \$)$ | $42.50 / 60$ |
| Spot rate now $(₹ / \$)$ | $43.85 / 90$ |
| Sensex 1 year ago | 3,256 |
| Senex now | 3,765 |
| Inflation in US | $5 \%$ |
| Inflation in India | $9 \%$ |

(i) Compute the nominal rate of return to the US investor.
(ii) Compute the real depreciation /appreciation of Rupee.
(iii) What should be the exchange rate if relevant purchasing power parity holds good?
(iv) What will be the real return to an Indian investor in Sensex?

## QUESTION NO. 16

$\mathrm{M} / \mathrm{s}$. Sky products Ltd., of Mumbai, an exporter of sea foods has submitted a 60 days bill for EUR 5,00,000 drawn under an irrevocable Letter of Credit for negotiation. The company has desired to keep $50 \%$ of the bill amount under the Exchange Earners Foreign Currency Account (EEFC). The rates for ₹/USD and USD/EUR in inter-bank market are quoted as follows:

|  | ₹/ USD | USD/EUR |
| :--- | :--- | :--- |
| Spot | $67.8000-67.8100$ | $1.0775-1.8000$ |
| 1 month forward | $10 / 11$ Paise | $0.20 / 0.25$ Cents |
| 2 months forward | $21 / 22$ Paise | $0.40 / 0.45$ Cents |
| 3 months forward | $32 / 33$ Paise | $0.70 / 0.75$ Cents |

Transit Period is 20 days. Interest on post shipment credit is $8 \%$ p.a. Exchange Margin is $0.1 \%$. Assume 365 days in a year.
You are required to calculate:
(i) Exchange rate quoted to the company
(ii) Cash inflow to the company
(iii) Interest amount to be paid to bank by the company.

## QUESTION NO. 17

You, a foreign exchange dealer of your bank, are informed that your bank has sold a T.T. on Corporation for Danish Kroner 10,00,000 at the rate of Danish Kroner $1=$ ₹ 6.5150 , You are required to cover the transaction either in London or New York market.
The rates on that date are as under:

| Mumbai- London | ₹ 74.3000 - ₹ 74.3200 |
| :--- | ---: |
| Mumbai - New York | ₹ 49.2500 - ₹ 49.2625 |
| London- Copenhagen | DKK 11.4200 - DKK 11.4350 |
| New York- Copenhagen | DKK 07.5670 - DKK 07.5840 |

In which market will you cover the transaction, London or New York, and what will be the exchange profit or loss on the transaction? Ignore brokerages.

## QUESTION NO. 18

ABC Ltd. of UK has exported goods worth Can \$5,00,000 receivable in 6 months. The exporter wants to hedge the receipt in the forward market. The following information is available:
Spot Exchange Rate

# LIST OF IMPORTANT QUESTIONS NOV 2022 

The forward rates truly reflect the interest rates differential. Find out the gain/loss to UK exporter if Can \$ spot rates (i) declines $2 \%$, (ii) gains $4 \%$ or (iii) remains unchanged over next 6 months.

## QUESTION NO. 19

An importer customer of your bank wishes to book a forward contract with your bank on $3^{\text {rd }}$ September for sale to him of SGD 5,00,000 to be delivered on 30th October.
The spot rates on 3rd September are USD/INR 49.3700/3800 and USD/SGD 1.7058/68. The swap points are:

|  | USD / INR | USD/SGD | $48 / 49$ |
| :--- | ---: | :--- | ---: |
| Spot/September | $0300 / 0400$ | 1st month forward | $96 / 97$ |
| Spot/October | $1100 / 1300$ | 2nd month forward | $138 / 140$ |
| Spot/November | $1900 / 2200$ | 3rd month forward |  |
| Spot/December | $2700 / 3100$ |  |  |
| Spot/January | $3500 / 4000$ |  |  |

Calculate the rate to be quoted to the importer by assuming an exchange margin of 5 paisa.

## 

## Study Session 9

## QUESTION NO. 1

The following market data is available:
Spot USD/JPY 116.00

| Spot USD/JPY 116.00 |  |  |
| :--- | ---: | ---: |
| Deposit rates p.a. | USD | JPY |
| 3 months | $4.50 \%$ | $0.25 \%$ |
| 6 months | $5.00 \%$ | $0.25 \%$ |

Forward Rate Agreement (FRA) for Yen is Nil.
a) What should be 3 months FRA rate at 3 months forward?
b) The 6 \& 12 months LIBORS are $5 \%$ \& $6.5 \%$ respectively.
c) A bank is quoting 6/12 USD FRA at 6.50-6.75\%. Is any arbitrage opportunity available? Calculate

## QUESTION NO. 2

An Indian company obtains the following quotes ( $₹ / \$$ )

## profit in such case.

| Spot: | $35.90 / 36.10$ |
| :--- | :--- |
| 3 - Months forward rate: | $36.00 / 36.25$ |
| 6 - Months forward rate: | $36.10 / 36.40$ |

The company needs \$ funds for six months. Determine whether the company should borrow in \$ or ₹ Interest rates are :
3 - Months interest rate : ₹ : 12\%, \$: 6\%
6 - Months interest rate : ₹ : $11.50 \%, \$: 5.5 \%$
Also determine what should be the rate of interest after 3-months to make the company indifferent between 3-months borrowing and 6-months borrowing in the case of:
(i) Rupee borrowing
(ii) Dollar borrowing

Note: For the purpose of calculation you can take the units of dollar and rupee as 100 each.

## QUESTION NO. 3

A Inc. and B Inc. intend to borrow \$200,000 and \$200,000 in $¥$ respectively for a time horizon of one year. The prevalent interest rates are as follows:

| Company | $\boldsymbol{¥}$ Loan | \$ Loan |
| :--- | ---: | ---: |
| A Inc | $5 \%$ | $9 \%$ |
| B Inc | $8 \%$ | $10 \%$ |

The prevalent exchange rate is $\$ 1=¥ 120$.
They entered in a currency swap under which it is agreed that B Inc will pay A Inc @ $1 \%$ over the $¥$ Loan interest rate which the later will have to pay as a result of the agreed currency swap whereas A Inc will reimburse interest to B Inc only to the extent of $9 \%$. Keeping the exchange rate invariant, quantify the opportunity gain or loss component of the ultimate outcome, resulting from the designed currency swap.

## QUESTION NO. 4

XYZ Inc. having a $£ 10$ million floating rate loan on July 1, 2013 with resetting of coupon rate every 6 months equal to LIBOR +50 bp . XYZ is interested in a collar strategy by selling a Floor and buying a Cap. XYZ buys the 3 years Cap and sell 3 years Floor as per the following details on July 1, 2013:

| Notional Principal Amount | $\$ 10$ million |
| :--- | :--- |
| Reference Rate | 6 months LIBOR |
| Strike Rate | $4 \%$ for Floor and 7\% for Cap |
| Premium | $0^{*}$ |

*Since Premium paid for Cap = Premium received for Floor
Using the following data you are required to determine:
(i) Effective interest paid out at each reset date,
(ii) The average overall effective rate of interest p.a.

| Reset Period | LIBOR (\%) |
| :--- | :---: |
| $31-12-2013$ | 6.00 |
| $30-06-2014$ | 7.50 |
| $31-12-2014$ | 5.00 |
| $30-06-2015$ | 4.00 |
| $31-12-2015$ | 3.75 |
| $30-06-2016$ | 4.25 |

## QUESTION NO. 5

TMC Holding Ltd. has a portfolio of shares of diversified companies valued at ₹ 400 crore enters into a swap arrangement with None Bank on the terms that it will get $1.15 \%$ quarterly on notional principal of ₹ 400 crore in exchange of return on portfolio which is exactly tracking the Sensex which is presently 21600.

You are required to determine the net payment to be received/ paid at the end of each quarter if Sensex turns out to be 21860, 21780, 22080 and 21960.

## QUESTION NO. 6

The Treasury desk of a global bank incorporated in UK wants to invest GBP 200 million on 1st January, 2019 for a period of 6 months and has the following options:
(1) The Equity Trading desk in Japan wants to invest the entire GBP 200 million in high dividend yielding Japanese securities that would earn a dividend income of JPY 1,182 million. The dividends are declared and paid on 29th June. Post dividend, the securities are expected to quote at a $2 \%$ discount. The desk also plans to earn JPY 10 million on a stock borrow lending activity because of this investment. The securities are to be sold on June 29 with a T+1 settlement and the amount remitted back to the Treasury in London.
(2) The Fixed Income desk of US proposed to invest the amount in 6 month G-Secs that provides a return of $5 \%$ p.a.
The exchange rates are as follows:

| Currency Pair | 1-Jan-2019 (Spot) | 30-Jun-2019 (Forward) |
| :--- | :--- | :--- |
| GBP-JPY | 148.0002 | 150.0000 |
| GBP- USD | 1.28000 | 1.30331 |

## QUESTION NO. 7

IB an Indian firm has its subsidiary in Japan and Zaki a Japanese firm has its subsidiary in India and face the following interest rates:

| Company | IB | Zaki |
| :--- | :--- | :--- |
| INR floating rate | BPLR $+0.50 \%$ | BPLR $+2.50 \%$ |
| JPY (Fixed rate) | $2 \%$ | $2.25 \%$ |

Zaki wishes to borrow Rupee Loan at a floating rate and IB wishes to borrow JPY at a fixed rate. The amount of loan required by both the firms is same at the current exchange rate. A financial institution
may arrange a swap and requires 25 basis points as its commission. Gain, if any, is to be shared by the firms equally.
You are required to find out:
(i) Whether a swap can be arranged which may be beneficial to both the firms?
(ii) What rate of interest will the firms end up paying?

## BOND VALUATION

## Study Session 10

## QUESTION NO. 1

MP Ltd. issued a new series of bonds on January 1,2000 . The bonds were sold at par (₹ 1,000 ), having a coupon rate $10 \%$ p.a. and mature on 31 st December, 2015. Coupon payments are made semiannually on June 30th and December 31 st each year. Assume that you purchased an outstanding MP Ltd. Bond on 1st March, 2008 when the going interest rate was $12 \%$.

## Required:

a) What was the YTM of MP Ltd. Bonds as on January 1, 2000?
b) What amount you should pay to complete the transaction for purchasing the bond on 1 st March 2008 ? Of that amount how much should be accrued interest and how much would represent bonds basic value.

## QUESTION NO. 2

XL Ispat Ltd. has made an issue of 14 per cent non-convertible debentures on January 1, 2007. These debentures have a face value of ₹ 100 and is currently traded in the market at a price of ₹ 90 .
Interest on these NCDs will be paid through post-dated cheques dated June 30 and December
31. Interest payments for the first 3 years will be paid in advance through post-dated cheques while for the last 2 years post-dated cheques will be issued at the third year. The bond is redeemable at par on December 31, 2011 at the end of 5 years.

## Required:

(i) Estimate the current yield and YTM of the bond.
(ii) Calculate the duration of the NCD.
(i) Assuming that intermediate coupon payments are, not available for reinvestment calculate the realised yield on the NCD.

## QUESTION NO. 3

The following data is related to $8.5 \%$ Fully Convertible (into Equity shares) Debentures issued by JAC Ltd. at ₹ 1000 .

| Market Price of Debenture | ₹ 900 |
| :--- | :--- |
| Conversion Ratio | 30 |
| Straight Value of Debenture | ₹ 700 |
| Market Price of Equity share on the date of Conversion | ₹ 25 |
| Expected Dividend Per Share | ₹ 1 |

## You are required to calculate:

a) Conversion Value of Debenture
b) Market Conversion Price
c) Conversion Premium per share
d) Ratio of Conversion Premium
e) Premium over Straight Value of Debenture
f) Favourable income differential per share
g) Premium pay back period

## QUESTION NO. 4

$\mathrm{M} / \mathrm{s}$. Earth Limited has $11 \%$ bond worth of ₹ 2 Crores outstanding with 10 years remaining to maturity. The company is contemplating the issue of a ₹ 2 Crores 10 year bond carrying the coupon rate of $9 \%$ and use the proceeds to liquidate the old bonds.

The unamortized portion of issue cost on the old bonds is ₹ 3 lakhs which can be written off no sooner the old bonds are called. The company is paying $30 \%$ tax and it's after tax cost of debt is $7 \%$. Should Earth Limited liquidate the old bonds?
You may assume that the issue cost of the new bonds will be ₹ 2.5 lakhs and the call premium is $5 \%$.
QUESTION NO. 5
The following is the Yield structure of AAA rated debenture:

| Period (or Maturity) | Yield (\%) |
| :--- | :---: |
| 3 months | $8.5 \%$ |
| 6 months | 9.25 |
| 1 year | 10.50 |
| 2 years | 11.25 |
| 3 years and above | 12.00 |

a) Based on the expectation theory calculate the implicit one-year forward rates in year 2 and year 3.
b) If the interest rate increases by 50 basis points, what will be the percentage change in the price of the bond having a maturity of 5 years? Assume that the bond is fairly priced at the moment at ₹ 1,000.

## QUESTION NO. 6

The following data are available for three bonds A, B and C. These bonds are used by a bond portfolio manager to fund an outflow scheduled in 6 years. Current yield is $9 \%$. All bonds have face value of ₹ 100 each and will be redeemed at par. Interest is payable annually.

| Bond | Maturity (Years) | Coupon rate |
| :--- | :--- | :--- |
| A | 10 | $10 \%$ |
| B | 8 | $11 \%$ |
| C | 5 | $9 \%$ |

(i) Calculate the duration of each bond.
(ii) The bond portfolio manager has been asked to keep $45 \%$ of the portfolio money in Bond A. Calculate the percentage amount to be invested in bonds B and C that need to be purchased to immunise the portfolio.
(iii) After the portfolio has been formulated, an interest rate change occurs, increasing the yield to $11 \%$. The new duration of these bonds are: Bond $A=7.15$ Years, Bond $B=6.03$ Years and Bond $C=$ 4.27 years.

Is the portfolio still immunized? Why or why not?
(iv) Determine the new percentage of $B$ and $C$ bonds that are needed to immunize the portfolio. Bond A remaining at $45 \%$ of the portfolio.
Present values be used as follows:

| Present Values | $\mathbf{1 1}$ | $\mathbf{t 2}$ | $\mathbf{t 3}$ | $\mathbf{1 4}$ | $\mathbf{t 5}$ |
| :--- | :--- | :--- | :--- | :--- | :--- |
| PVIFO.09, $\boldsymbol{\dagger}$ | 0.917 | 0.842 | 0.772 | 0.708 | 0.650 |
|  | $\mathbf{1 6}$ | $\mathbf{\$ 7}$ | $\mathbf{1 8}$ | $\mathbf{1 9}$ | $\mathbf{\dagger 1 0}$ |
| PVIFO.09, $\boldsymbol{\dagger}$ | 0.596 | 0.547 | 0.502 | 0.460 | 0.4224 |

## QUESTION NO. 7

The following data are available for a bond:
Face Value ₹ 10,000 to be redeemed at par on maturity
Coupon rate 8.5 per cent per annum
Years to Maturity 5 years
Yield to Maturity (YTM) 10 per cent You are required to calculate:
(i) Current market price of the Bond,
(ii) Macaulay's Duration,
(iii) Volatility of the Bond,
(iv) Convexity of the Bond,
(v) Expected market price, if there is a decrease in the YTM by 200 basis points
(a) By Macaulay's Duration based estimate
(b) By Intrinsic Value Method.

Given

| Years | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :--- | ---: | ---: | ---: | ---: | ---: |
| PVIF $(10 \%, \mathrm{n})$ | 0.909 | 0.826 | 0.751 | 0.683 | 0.621 |
| PVIF $(8 \%, \mathrm{n})$ | 0.926 | 0.857 | 0.794 | 0.735 | 0.681 |

## QUESTION NO. 8

In March 2020, XYZ Bank sold some 7\% Interest Rate Futures underlying Notional 7.50\% Coupon Bonds. The exchange provides following details of eligible securities that can be delivered:

| Security | Quoted Price of Bonds | Conversion Factor |
| :--- | ---: | ---: |
| 7.96 GOI 2023 | 1037.40 | 1.0370 |
| 6.55 GOI 2025 | 926.40 | 0.9060 |
| 6.80 GOI 2029 | 877.50 | 0.9195 |
| 6.85 GOI 2026 | 972.30 | 0.9643 |
| 8.44 GOI 2027 | 1146.30 | 1.1734 |
| 8.85 GOI 2028 | 1201.70 | 1.2428 |

Recommend the Security that should be delivered by the XYZ Bank if Future Settlement Price is 1000.

## QUESTION NO. 9

ABC Ltd. wants to issue $9 \%$ Bonds redeemable in 5 years at its face value of ₹ 1,000 each. The annual spot yield curve for similar risk class of Bond is as follows:

| Year | Interest Rate |
| :--- | :--- |
| 1 | $12 \%$ |
| 2 | $11.62 \%$ |
| 3 | $11.33 \%$ |
| 4 | $11.06 \%$ |
| 5 | $10.80 \%$ |

(i) Evaluate the expected market price of the Bond if it has a Beta value of 1.10 due to its popularity because of lesser risk.
(ii) Interpret the nature of the above yield curve and reasons for the same.

Note: Use PV Factors upto 4 decimal points and value in ₹ upto 2 decimal points.

#  

## Study Session 11

## QUESTION NO. 1

B Ltd. has been enjoying a substantial net cash inflow and until the surplus funds are needed to meet tax and dividend payments, and to finance further capital expenditure in several months' time, they have been invested in a small portfolio of short - term equity investments. Details of the portfolio, which consists of shares in four companies, are as follows:

| Company | No. of Shares <br> Held | Equity Beta | M.P.S. (₹) | Dividend Yield |
| :--- | ---: | ---: | ---: | ---: |
| D Ltd. | 60,000 | 1.16 | 4.29 | $19.5 \%$ |
| E Ltd. | 80,000 | 2.28 | 2.92 | $24.0 \%$ |
| F Ltd. | $1,00,000$ | 0.90 | 2.17 | $17.5 \%$ |
| G Ltd. | $1,25,000$ | 1.50 | 3.14 | $26.0 \%$ |
| Th. |  |  |  |  |

The current market return is $19 \%$ per year and the risk free rate is $11 \%$ per year.
a) On the basis of the data given, calculate the risk of short-term investment portfolio relative to that of the market.
b) Recommend with reasons whether B Ltd. should change the composition of its portfolio.

## QUESTION NO. 2

There are two Mutual Funds viz. D Mutual Fund Ltd. and K Mutual Fund Ltd. Each having close ended equity schemes.
NAV as on 31-12-2014 of equity schemes of D Mutual Fund Ltd. is ₹70.71 (consisting 99\% equity and remaining cash balance) and that of $K$ Mutual Fund Ltd. is 62.50 (consisting $96 \%$ equity and balance in cash).
Following is the other information:

| Particular | Equity Schemes |  |  |
| :--- | ---: | ---: | :---: |
|  | D Mutual Fund Ltd. | K Mutual Fund Ltd. |  |
| Sharpe Ratio | 2 | 3.3 |  |
| Treynor Ratio | 15 | 15 |  |
| Standard deviation | 11.25 | 5 |  |

There is no change in portfolios during the next month and annual average cost is ₹ 3 per unit for the schemes of both the Mutual Funds.
If Share Market goes down by $5 \%$ within a month, calculate expected NAV after a month for the schemes of both the Mutual Funds.
For calculation, consider 12 months in a year and ignore number of days for particular month.

## QUESTION NO. 3

Mr. Abhishek is interested in investing ₹ $2,00,000$ for which he is considering following three alternatives:
(i) Invest ₹ 2,00,000 in Mutual Fund X (MFX)
(ii) Invest ₹ 2,00,000 in Mutual Fund Y (MFY)
(iii) Invest ₹ $1,20,000$ in Mutual Fund X (MFX) and ₹ 80,000 in Mutual Fund $Y$ (MFY)

Average annual return earned by MFX and MFY is $15 \%$ and $14 \%$ respectively. Risk free rate of return is $10 \%$ and market rate of return is $12 \%$.
Covariance of returns of MFX, MFY and market portfolio Mix are as follow:

|  | MFX | MFY | Mix |
| ---: | ---: | ---: | ---: |
| MFX | 4.800 | 4.300 | 3.370 |


| MFY | 4.300 | 4.250 | 2.800 |
| :--- | ---: | ---: | ---: |
| Mix | 3.370 | 2.800 | 3.100 |

## You are required to calculate:

a) Variance of return from MFX, MFY and market return,
b) Portfolio return, beta, portfolio variance and portfolio standard deviation,
c) Expected return, systematic risk and unsystematic risk; and
d) Sharpe ratio, Treynor ratio and Alpha of MFX, MFY and Portfolio Mix

## QUESTION NO. 4

Mr. X owns a portfolio with the following characteristics:

|  | Security A | Security B | Risk Free <br> Security |
| :--- | :---: | :---: | :---: |
| Factor 1 sensitivity | 0.80 | 1.50 | 0 |
| Factor 2 sensitivity | 0.60 | 1.20 | 0 |
| Expected Return | $15 \%$ | $20 \%$ | $10 \%$ |

It is assumed that security returns are generated by a two factor model.
a) If Mr. X has ₹ $1,00,000$ to invest and sells short ₹ 50,000 of security $B$ and purchases ₹ $1,50,000$ of security A what is the sensitivity of Mr. X's portfolio to the two factors?
b) If Mr . X borrows $₹ 1,00,000$ at the risk free rate and invests the amount he borrows along with the original amount of ₹ $1,00,000$ in security $A$ and $B$ in the same proportion as described in part (i), what is the sensitivity of the portfolio to the two factors?
What is the expected return premium of factor 2?

## QUESTION NO. 5

The following information is available for the share of $X$ Ltd. and stock exchange for the last 4 years

|  | X LTD. |  | Index of Stock | Return <br> Market | from Funds | Return from Govt. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Share Price | Divided Yield |  |  |  |  |
| Present Year | 197 | 10\% | 2182 | 16\% |  | 15\% |
| 1 Years ago | 164.2 | 12\% | 1983 | 15\% |  | 15\% |
| 2 Years ago | 155 | 8\% | 1665 | 16\% |  | 16\% |
| 3 Years ago | 121 | 10\% | 1789 | 10\% |  | 14\% |
| 4 Years ago | 95 | 10\% | 1490 | 18\% |  | 15\% |

## With above information available please calculate:

a) Expected Return on X Ltd.'s share.
b) Expected Return on Market Index.
c) Risk Free Rate of Return
d) Beta of $X$ Ltd.

## QUESTION NO. 6

Mr. Shyam is holding the following securities:

| Particulars of Securities | Cost ₹ | Dividend Interest ₹ | Market Price ₹ | Beta |
| :--- | ---: | ---: | ---: | ---: |
| Gold Ltd. | 10,000 | 1,725 | 9,800 | 0.60 |
| Silver Ltd. | 15,000 | 1,000 | 16,200 | 0.80 |
| Bronze Ltd. | 14,000 | 700 | 20,000 | 0.60 |
| GOI Bonds | 36,000 | 3,600 | 34,500 | 0.01 |

Average return of the portfolio is $15.7 \%$. Using Average Beta, Calculate:
a) Expected rate of return in each case, using the Capital Asset Pricing Model (CAPM)
b) Risk free rate of return.

## QUESTION NO. 7

The returns and market portfolio for a period of four years are as under:

| Year | \% Return of Stock B | \% Return on Market Portfolio |
| :--- | :--- | :--- |
| 1 | 10 | 8 |
| 2 | 12 | 10 |
| 3 | 9 | 9 |
| 4 | 3 | -1 |

For stock $B$, you are required to determine:
(i) Characteristic line; and
(ii) The Systematic and Unsystematic risk.

## QUESTION NO. 8

Indira has a fund of ₹ 3 lacs which she wants to invest in share market with rebalancing target after every 10 days to start with for a period of one month from now. The present NIFTY is 5326 . The minimum NIFTY within a month can at most be 4793.4. She wants to know as to how she would rebalance her portfolio under the following situations, according to the theory of Constant Proportion Portfolio Insurance Policy, using "2" as the multiplier:

1. Immediately to start with.
2. 10 days later-being the $1^{\text {st }}$ day of rebalancing if NIFTY falls to 5122.96.
3. 10 days further from the above date if the NIFTY touches 5539.04.

For the sake of simplicity, assume that the value of her equity component will change in tandem with that of the NIFTY and the risk free securities in which she is going to invest will have no Beta.

## QUESTION NO. 9

The risk free rate of return is $5 \%$. The expected rate of return on the market portfolio is $11 \%$. The expected rate of growth in dividend of $X$ Ltd. is $8 \%$. The last dividend paid was
₹ 2.00 per share. The beta of $X$ Ltd. equity stock is 1.5 .
(i) What is the present price of the equity stock of $X$ Ltd.?
(ii) How would the price change when:

- The inflation premium increases by $3 \%$
- The expected growth rate decreases by $3 \%$ and
- The beta decreases to 1.3.


## International Financial Management

## Study Session 12

## QUESTION NO. 1

XY Limited is engaged in large retail business in India. It is contemplating for expansion into a country of Africa by acquiring a group of stores having the same line of operation as that of India. The exchange rate for the currency of the proposed African country is extremely volatile. Rate of inflation is presently $40 \%$ a year. Inflation in India is currently 10\% a year. Management of XY Limited expects these rates likely to continue for the foreseeable future.
Estimated projected cash flows, in real terms, in India as well as African country for the first three years of the project are as follows:

|  | Year-0 | Year-1 | Year-2 | Year-3 |
| :--- | ---: | ---: | ---: | ---: |
| Cash flows in Indian ₹ (000) | $-50,000$ | $-1,500$ | $-2,000$ | $-2,500$ |
| Cash flows in African Rands (000) | $-2,00,000$ | 50,000 | 70,000 | 90,000 |

XY Ltd. assumes the year 3 nominal cash flows will continue to be earned each year indefinitely. It evaluates all investments using nominal cash flows and a nominal discounting rate. The present exchange rate is African Rand 6 to ₹ 1 .
You are required to calculate the net present value of the proposed investment considering the following:
(i) African Rand cash flows are converted into rupees and discounted at a risk adjusted rate.
(ii) All cash flows for these projects will be discounted at a rate of $20 \%$ to reflect it's high risk.

Ignore taxation.

|  | Year-1 | Year - 2 | Year - 3 |
| :--- | ---: | ---: | ---: |
| PVIF @ 20\% | 0.833 | 0.694 | 0.579 |

## QUESTION NO. 2

Opus Technologies Ltd., an Indian IT company is planning to make an investment through a wholly owned subsidiary in a software project in China with a shelf life of two years. The inflation in China is estimated as 8 percent. Operating cash flows are received at the year end.
For the project an initial investment of Chinese Yuan (CN\#) 30,00,000 will be in a piece of land. The land will be sold after the completion of project at estimated value of CN¥ 35,00,000. The project also requires an office complex at cost of CN¥ 15,00,000 payable at the beginning of project. The complex will be depreciated on straight-line basis over two years to a zero salvage value. This complex is expected to fetch CN¥5,00,000 at the end of project.
The company is planning to raise the required funds through GDR issue in Mauritius. Each GDR will have 5 common equity shares of the company as underlying security which are currently trading at ₹ 200 per share (Face Value = ₹ 10 ) in the domestic market. The company has currently paid a dividend of $25 \%$ which is expected to grow at $10 \%$ p.a. The total issue cost is estimated to be 1 percent of issue size.
The annual sales is expected to be 10,000 units at the rate of CN¥ 500 per unit. The price of unit is expected to rise at the rate of inflation. Variable operating costs are 40 percent of sales. Current Fixed Operating costs is CN\# 22,00,000 per year which is expected to rise at the rate of inflation.
The tax rate applicable in China for business income and capital gain is 25 percent and as per GOI Policy no further tax shall be payable in India. The current spot rate of CN¥ 1 is ₹ 9.50 . The nominal interest rate in India and China is $12 \%$ and $10 \%$ respectively and the international parity conditions hold.

## You are required to :

a) Identify expected future cash flows in China and determine NPV of the project in CN¥.
b) Determine whether Opus Technologies should go for the project or not, assuming that there neither there is any restriction nor any charges/taxes payable on the transfer of funds from China to India.

## QUESTION NO. 3

Equity of KGF Ltd. (KGFL) is ₹ 410 Crores, its debt, is worth ₹ 170 Crores. Printer Division segments value is attributable to $74 \%$, which has an Asset Beta $(\beta p)$ of 1.45 , balance value is applied on Spares and Consumables Division, which has an Asset Beta ( $\beta s c$ ) of 1.20 KGFL Debt beta ( $\beta \mathrm{D}$ ) is 0.24 .
You are required to calculate:
(i) Equity Beta ( $\mathrm{\beta E}$ ),
(ii) Ascertain Equity Beta ( $\beta \mathrm{E}$ ), if KGF Ltd. decides to change its Debt Equity position by raising further debt and buying back of equity to have its Debt Equity Ratio at 1.90. Assume that the present Debt Beta ( $\beta D 1$ ) is 0.35 and any further funds raised by way of Debt will have a Beta ( $\beta D 2$ ) of 0.40.
(iii) Whether the new Equity Beta $(\beta E)$ justifies increase in the value of equity on account of leverage?

| Decline in value of USD (\%) | Reduction in local cost of production <br> (USD/unit) | Probability |
| :--- | :--- | :--- |
| 0 | - | 0.4 |
| 10 | 0.30 | 0.4 |
| 15 | 0.15 Additional reduction | 0.2 |

The plant at the current rate of exchange will have a depreciation of USD 1 million annually. Assume local Tax rate as $30 \%$.
You are required to find out:
(i) Annual Cash Flow After Tax (CFAT) under all the different scenarios of exchange rate.
(ii) Expected value of CFAT assuming no repatriation of profits.
(iii) Viability of the investment proposal assuming an initial investment of USD 25 million on plant and working capital with a required rate of return of $11 \%$ on investment and on the basis of CFAT arrived under option (ii). The CFAT will grow @ $3 \%$ per annum in perpetuity.

## Miscellaneous

## Study Session 13

## QUESTION NO. 1

ABB Ltd. has a surplus cash balance of ₹ 180 lakhs and wants to distribute $50 \%$ of it to the equity shareholders. The company decides to buyback equity shares. The company estimates that its equity share price after re-purchase is likely to be $15 \%$ above the buyback price. if the buyback route is taken. Other information is as under:

1. Number of equity shares outstanding at present (Face value ₹ 10 each) is ₹ 20 lakhs.
2. The current EPS is ₹ 5 .

You are required to calculate the following:
I. The price at which the equity shares can be re-purchased, if market capitalization of the company should be ₹ 400 lakhs after buy back.
II. Number of equity shares that can be re-purchased.
III. The impact of equity shares re-purchase on the EPS, assuming that the net income remains unchanged.

## QUESTION NO. 2

Telbel Ltd. is considering undertaking a major expansion an immediate cash outlay of ₹ 150 crore. The Board of Director of company are expecting to generate an additional profit of ₹ 15.30 crore after a period of one year. Further, it is expected that this additional profit shall grow at the rate of $4 \%$ for indefinite period in future.
Presently, Telbel Ltd. is completely equity financed and has 50 crore shares of $₹ 10$ each. The current market price of each share is ₹ 22.60 (cum dividend). The company has paid a dividend of ₹ 1.40 per share in last year. For the last few years dividend is increasing at a compound rate of $6 \%$ p.a. and it is expected to be continued in future also. This growth rate shall not be affected by expansion project in any way.
Board of Directors are considering following ways of financing the possible expansion:
(1) A right issue on ratio of $1: 5$ at price of ₹ 15 per share.
(2) A public issue of shares.

## In both cases the dividend shall become payable after one year. You as a Financial Consultant

 required to:(a) Determine whether it is worthwhile to undertake the project or not.
(b) Calculate ex-dividend market price of share if complete expansion is financed from the right issue.
(c) Calculate the number of new equity shares to be issued and at what price assuming that new shareholders do not suffer any loss after subscribing new shares.
(d) Calculate the total benefit from expansion to existing shareholders under each of two financing option.

## QUESTION NO. 3

From the following particulars, calculate the effective rate of interest p.a. as well as the total cost of funds to Bhaskar Ltd., which is planning a CP issue:

| Issue Price of CP | $₹ 97,550$ |
| :--- | :--- |
| Face Value | $₹ 1,00,000$ |
| Maturity Period | 3 Months Issue Expenses: |
| Brokerage | $0.15 \%$ for 3 months |
| Rating Charges | $0.50 \%$ p.a |
| Stamp Duty | $0.175 \%$ for 3 months |

## QUESTION NO. 4

AXY Ltd. is able to issue commercial paper of ₹ $50,00,000$ every 4 months at a rate of $12.5 \%$ p.a. The cost of placement of commercial paper issue is ₹ 2,500 per issue. AXY Ltd. is required to maintain line of credit ₹ $1,50,000$ in bank balance. The applicable income tax rate for AXY Ltd. is $30 \%$. What is the cost of funds (after taxes) to AXY Ltd. for commercial paper issue? The maturity of commercial paper is four months.
QUESTION NO. 5
The closing value of Sensex for the month of October, 2007 is given below:

| Date Closing | Sensex Value |
| :--- | :--- |
| 1.10 .07 | 2800 |
| 3.10 .07 | 2780 |
| 4.10 .07 | 2795 |
| 5.10 .07 | 2830 |
| 8.10 .07 | 2760 |
| 9.10 .07 | 2790 |
| 10.10 .07 | 2880 |
| 11.10 .07 | 2960 |
| 12.10 .07 | 2990 |
| 15.10 .07 | 3200 |
| 16.10 .07 | 3300 |
| 17.10 .07 | 3450 |
| 19.10 .07 | 3360 |
| 22.10 .07 | 3290 |
| 23.10 .07 | 3360 |
| 24.10 .07 | 3340 |
| 25.10 .07 | 3290 |
| 29.10 .07 | 3240 |
| 30.10 .07 | 3140 |
| 31.10 .07 | 3260 |

You are required to test the weak form of efficient market hypothesis by applying the run test at $5 \%$ and $10 \%$ level of significance.
Following value can be used :
Value of $t$ at $5 \%$ is 2.101 at 18 degrees of freedom
Value of $t$ at $10 \%$ is 1.734 at 18 degrees of freedom

## QUESTION NO. 6

Using the chop-shop approach (or Break-up value approach), assign a value for Cornett GMBH. Whose stock is currently trading at a total market price of $€ 4$ million. For Cornett, the accounting data set forth three business segments: consumer wholesaling, specialty services, and assorted centers Data for the firm's three segments are as follows:

| BUSINESS SEGMENT | Segment Sales | Segment Assets | Segment Income |
| :--- | :--- | :--- | :--- |
| Consumer Wholesaling | $€ 1,500,000$ | $€ 750,000$ | $€ 100,000$ |
| Specialty services | $€ 800,000$ | $€ 700,000$ | $€ 150,000$ |
| Assorted centers | $€ 2,000,000$ | $€ 3,000,000$ | $€ 600,000$ |

Industry data for "pure-play" firms have been compiled and are summarized as follows:

| BUSINESS SEGMENT | Capitalization/Sales | Capitalization/Assets | Capitalization/Op <br> erating Income |
| :--- | :--- | :--- | :--- |
| Consumer wholesaling | 0.75 | 0.60 | 10 |
| Specialty services | 1.10 | 0.90 | 7 |
| Assorted centers | 1.00 | 0.60 | 6 |

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## QUESTION NO. 7

Mr. X is of the opinion that market has recently shown the Weak Form of Market Efficiency. In order to test the validity of his impression he has collected the following data relating to the movement of the SENSEX for the last 20 days.

| Days | Open | High | Low | Close |
| :--- | ---: | ---: | ---: | ---: |
| 1 | 33470.94 | 33513.79 | 33438.03 | 33453.99 |
| 2 | 33453.64 | 33478.11 | 33427.82 | 33434.83 |
| 3 | 33414.06 | 33440.29 | 33397.65 | 33431.93 |
| 4 | 33434.94 | 33446.18 | 33377.78 | 33383.41 |
| 5 | 33372.92 | 33380.27 | 33352.12 | 33370.93 |
| 6 | 33375.85 | 33389.49 | 33331.42 | 33340.75 |
| 7 | 33340.89 | 33340.89 | 33310.95 | 33330.98 |
| 8 | 33326.84 | 33340.91 | 33306.17 | 33335.08 |
| 9 | 33307.16 | 33328.22 | 33296.43 | 33301.97 |
| 10 | 33298.64 | 33318.60 | 33254.28 | 33259.03 |
| 11 | 33260.04 | 33228.85 | 33241.66 | 33251.53 |
| 12 | 33255.92 | 33289.46 | 33249.46 | 33285.89 |
| 13 | 33288.86 | 33535.67 | 33255.98 | 33329.28 |
| 14 | 33335.00 | 33346.21 | 33276.72 | 33284.17 |
| 15 | 33293.83 | 33310.86 | 33278.54 | 33298.78 |
| 16 | 33300.02 | 33337.79 | 33300.02 | 33325.38 |
| 17 | 33323.36 | 33356.34 | 33322.44 | 33329.95 |
| 18 | 33322.81 | 33345.98 | 33317.44 | 33319.67 |
| 19 | 33317.51 | 33321.18 | 33294.19 | 33302.32 |
| 20 | 33290.86 | 33324.96 | 33279.62 | 33319.61 |

## You are required:

To test the Weak Form of Market Efficiency using Auto-Correlation test, taking time lag of 10 days. QUESTION NO. 8
Bank A enters into a Repo for 21 days with Bank B in 8\% Government of India Bonds 2020 @ 6.10\% for ₹ 5 crore. Assuming that clean price is ₹ 97.30 and initial margin is $1.50 \%$ and days of accrued interest are 240 days (assume 360 days in a year).

## Compute:

(i) the dirty price.
(ii) The repayment at maturity.

## QUESTION NO. 9

ABC Ltd. is considering a project $X$, which is normally distributed and has mean return of $₹ 2$ crore with Standard Deviation of ₹ 1.60 crore.
In case ABC Ltd. loses on any project more than ₹ 1.00 crore there will be financial difficulties. Determine the probability the company will be in financial difficulty.
Given: Standard Normal Distribution Table (Z-Score) providing area between Mean and Z score

| Z Score | Area | Z Score | Area |
| :--- | :--- | :--- | :--- |
| 1.85 | 0.4678 | 1.88 | 0.4699 |
| 1.86 | 0.4686 |  | 1.89 |
| 1.87 | 0.4693 |  | 0.4706 |

## CA FINAL LIST OF IMPORTANT QUESTIONS' SOLUTIONS NOV 2029 <br> Security Valuation

## Study Session 2

## SOLUTION 1

(i) According to Dividend Discount Model approach the firm's expected or required return on equity is computed as follows:
$=\frac{D_{1}}{P_{0}}+g$
Where,
$K_{e}=$ Cost of equity share capital
$D_{1}=$ Expected dividend at the end of year 1
$P_{O}=$ Current market price of the share.
$\mathrm{g}=$ Expected growth rate of dividend.
Therefore, $K_{e}=\frac{3.36}{146}+7.5 \%=0.0230+0.075=0.098$ Or, $K_{e}=9.80 \%$
(ii) With rate of return on retained earnings (r) 10\% and retention ratio (b) 60\%, new growth rate will be as follows:
$\mathrm{g}=$ bri.e. $=0.10 \times 0.60=0.06$
Accordingly dividend will also get changed and to calculate this, first we shall calculate previous retention ratio (b1) and then EPS assuming that rate of return on retained earnings ( r ) is same. With previous Growth Rate of $7.5 \%$ and $r=10 \%$ the retention ratio comes out to be: $0.075=b_{1} \times 0.10$
$b_{1}=0.75$ and payout ratio $=0.25$ with 0.25 payout ratio the EPS will be as follows:
$\frac{3.36}{0.25}=13.44$
With new $0.40(1-0.60)$ payout ratio the new dividend will be
$D_{1}=13.44 \times 0.40=5.376$
Accordingly new $K_{e}$ will be
$K_{e}=\frac{5.376}{146}+6.0 \%$
or, $=K_{e}=9.68 \%$

## SOLUTION 2

The expected rate of return on equity after $2008=0.0625+1.10(0.055)=12.3 \%$ The dividends from 2003 onwards can be estimated as:

| Year | 2003 | 2004 | 2005 | 2006 | 2007 | 2008 | 2009 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Earnings Per Share (€) | 2.1 | 2.415 | 2.78 | 3.19 | 3.67 | 4.22 | 4.48 |
| Dividends Per Share $(€)$ | 0.69 | 0.794 | 0.913 | 1.048 | 1.206 | 1.387 | 2.91 |

a. The price as of $2008=€ 2.91 /(0.123-0.06)=€ 46.19$
b. The required rate of return upto $2008=0.0625+1.4(0.055)=13.95 \%$.

The dividends upto 2008 are discounted using this rate as follow:

| Year | PV of Dividend |
| :--- | :--- |
| 2004 | $0.794 / 1.1395=0.70$ |
| 2005 | $0.913 /(1.1395) 2=0.70$ |
| 2006 | $1.048 /(1.1395) 3=0.70$ |
| 2007 | $1.206 /(1.1395) 4=0.72$ |
| 2008 | $1.387 /(1.1395) 5=0.72$ |
| Total | 3.54 |

The current price $=€ 3.54+€ 46.19 /(1.1395) 5=€ 27.58$.

* Values have been rounded off.


## SOLUTION 3

Value of share at present $=\frac{D_{1}}{K_{e}-g}$
$=\frac{2(1.06)}{0.08-0.06}=₹ 106$
However, if the Board implement its decision, no dividend would be payable for 3 years and the dividend for year 4 would be ₹ 2.50 and growing at $7 \%$ p.a. The price of the share, in this case, now would be:
$P_{O}=\frac{2.50}{0.08-0.07} \times \frac{1}{(1+0.08)^{3}}=₹ 198.46$
So, the price of the share is expected to increase from ₹ 106 to ₹ 198.45 after the announcement of the project. The investor can take up this situation as follows:

| Expected market price after 3 years | $\frac{2.50}{0.08-0.07}$ | ₹ 250.00 |
| :--- | :--- | :--- |
| Expected market price after 2 years | $\frac{2.50}{0.08-0.07} \times \frac{1}{(1+0.08)}$ | ₹ 231.00 |
| Expected market price after 1 years | $\frac{2.50}{0.08-0.07} \times \frac{1}{(1+0.08)^{2}}$ | ₹ 214.33 |

In order to maintain his receipt at ₹ 2,000 for first 3 year, he would sell
10 shares in first year @ ₹ 214.33 for ₹ $2,143.30$
9 shares in second year @ ₹ 231.48 for ₹ $2,083.32$
8 shares in third year @ ₹ 250 for
₹ 2,000.00
At the end of 3rd year, he would be having 973 shares valued @ ₹ 250 each i.e.₹ $2,43,250$. On these 973 shares, his dividend income for year 4 would be @ ₹ 2.50 i.e. ₹ $2,432.50$.
So, if the project is taken up by the company, the investor would be able to maintain his receipt of at least ₹ 2,000 for first three years and would be getting increased income thereafter.

## SOLUTION 4

(a) Working Notes:
(i) Computation of Growth Rate in Earning and EPS

| Year | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{9}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Growth <br> in <br> Earning | $40 \%$ | $40 \%$ | $40 \%$ | $40 \%$ | $40 \%$ | $34 \%$ | $28 \%$ | $\mathbf{2 2 \%}$ | $16 \%$ |
| EPS (₹) | 5.60 | 7.84 | 10.98 | 15.37 | 21.51 | 28.82 | 36.89 | 45.00 | 52.20 |

(ii) Computation of Payout Ratio and Dividend

| Year | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ | $\mathbf{6}$ | $\mathbf{7}$ | $\mathbf{8}$ | $\mathbf{9}$ | $\mathbf{1 0}$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Payout <br> Ratio | $10 \%$ | $10 \%$ | $10 \%$ | $10 \%$ | $10 \%$ | $18 \%$ | $26 \%$ | $34 \%$ | $42 \%$ | $50 \%$ |
| Dividend <br> (₹) | 0.56 | 0.78 | 1.10 | 1.54 | 2.15 | 5.19 | 9.59 | 15.30 | 21.92 | 28.71 |

(iii) Calculation of PV of Dividend

| Year | Dividend (₹) | PVF | PV of Dividend (₹) |
| :--- | :--- | :--- | :--- |
| 1 | 0.56 | 0.855 | 0.48 |
| 2 | 0.78 | 0.731 | 0.57 |
| 3 | 1.10 | 0.625 | 0.69 |
| 4 | 1.54 | 0.534 | 0.82 |
| 5 | 2.15 | 0.456 | 0.98 |
| 6 | 5.19 | 0.390 | 2.02 |


| 7 | 9.59 | 0.333 | 3.19 |
| :--- | :--- | :--- | :--- |
| 8 | 15.30 | 0.285 | 4.36 |
| 9 | 21.92 | 0.244 | 5.35 |
| 10 | 28.71 | 0.209 | 6.00 |
|  |  |  | $\mathbf{2 4 . 4 6}$ |

$$
\text { TV }=\frac{28.71(1.10)}{0.17-0.10} \times 0.209=₹ 94.29
$$

Intrinsic Value = ₹ $24.46+₹ 94.29=₹ 118.75$
Since the Intrinsic Value of Equity share is less than current market price, it is not advisable to invest in the same.
SOLUTION 5

W.N.2

Net Invt in w/c.


$=125$ (actelow)
Ignore cash \& thort-term Borrowings
N.N.3

Net Borrowings

$$
\begin{aligned}
& =(1149+20)_{2010}-(100+10)_{2009} \\
& =124
\end{aligned}
$$

$\ddagger$
It includes long - term $\ell$ short = torn debts.


$$
\begin{align*}
& \text { Playing Puzzle } \\
& \begin{aligned}
\text { (1) CFO } & =N I+\text { Rep } 1-1 \text { in } W C \\
& =56+550=25 \\
& =81
\end{aligned} \tag{1}
\end{align*}
$$



## 

## Study Session 3

## SOLUTION 1

High growth phase :
$k_{e}=0.10+1.15 \times 0.06=0.169$ or $16.9 \%$.
$k_{d}=0.13 \times(1-0.3)=0.091$ or $9.1 \%$.
Cost of capital $=0.5 \times 0.169+0.5 \times 0.091=0.13$ or $13 \%$.
Stable growth phase :
$k_{e}=0.09+1.0 \times 0.05=0.14$ or $14 \%$.
$k_{d}=0.1286 \times(1-0.3)=0.09$ or $9 \%$.
Cost of capital $=0.6 \times 0.14+0.4 \times 0.09=0.12$ or $12 \%$.
Determination of forecasted Free Cash Flow of the Firm (FCFF)
(₹ in crores)

|  | Yr. 1 | Yr. 2 | Yr 3 | Yr. 4 | Terminal <br> Year |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Revenue | 2,400 | 2,880 | 3,456 | $4,147.20$ | $4,561.92$ |
| EBIT | 360 | 432 | 518.40 | 622.08 | 684.29 |
| EAT | 252 | 302.40 | 362.88 | 435.46 | 479.00 |
| Capital Expenditure | 96 | 115.20 | 138.24 | 165.89 | - |
| Less Depreciation |  |  |  |  |  |
| $\Delta$ Working Capital | 100.00 | 120.00 | 144.00 | 172.80 | 103.68 |
| Free Cash Flow (FCF) | 56.00 | 67.20 | 80.64 | 96.77 | 375.32 |

(₹in crores)

|  | Yr. 1 | Yr. 2 | Yr 3 | Yr. 4 | Terminal <br> Year |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Revenue | 2,400 | 2,880 | 3,456 | $4,147.20$ | $4,561.92$ |
| EBIT | 360 | 432 | 518.40 | 622.08 | 684.29 |
| EAT | 252 | 302.40 | 362.88 | 435.46 | 479.00 |
| Add: Depreciation | 240 | 288 | 345.60 | 414.72 | 456.19 |
|  | 492 | 590.40 | 708.48 | 850.18 | 935.19 |
| Less: Capital Exp. | 336 | 403.20 | 483.84 | 580.61 | 456.19 |
| $\Delta$ WC | 100.00 | 120.00 | 144.00 | 172.80 | 103.68 |
|  | 56.00 | 67.20 | 80.64 | 96.77 | 375.32 |

Present Value (PV) of FCFF during the explicit forecast period is:

| FCFF (₹ in crores) |
| :--- | :--- |
| 56.00 |
| 67.20 |
| 80.64 |
| 96.77 | | Terminal Value of Cash Flow |
| :--- |
| $\frac{375.32}{0.12-0.10}$ |
| PV of the terminal, value is: |


| PVF @ 13\% | PV (₹ in crores) |
| ---: | ---: |
| 0.885 | 49.56 |
| 0.783 | 52.62 |
| 0.693 | 55.88 |
| 0.613 | $₹ 59.32$ |
|  | 217.38 |

Terminal Value of Cash Flow
$\frac{375.32}{0.12-0.10}$

$$
=₹ 18,766.00 \text { Crores }
$$

PV of the terminal, value is:
₹ $18,766.00$ Crores $x \frac{1}{(1.03)^{4}}$
The value of the firm is :
₹ 217.38 Crores + ₹ $11,503.56$ Crores $=$ ₹ $11,720.94$ Crores

## QUESTION 2

| Projected Balance Sheet |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
|  | Year 1 | Year 2 | Year 3 | Year 4 | Year 5 |
| Fixed Assets (25\% of Sales) | 13,000 | 16,900 | 21,970 | $\mathbf{2 8 , 5 6 1 . 0 0}$ | $\mathbf{2 8 , 5 6 1 . 0 0}$ |
| Current Assets (15\% of Sales) | 7,800 | 10,140 | 13,182 | $17,136.60$ | $17,136.60$ |
| Total Assets | 20,800 | 27,040 | 35,152 | $45,697.60$ | $45,697.60$ |
| Equity (37.5\% of sales) | 19,500 | 25,350 | 32,955 | $42,841.50$ | $42,841.50$ |
| Sundry Creditors (2.5\% of Sales) | 1,300 | 1,690 | 2,197 | $2,856.10$ | $2,856.10$ |
| Total Liabilities | 20,800 | 27,040 | 35,152 | $45,697.60$ | $45,697.60$ |

Projected Cash Flows:-

|  | Year 1 | Year 2 | Year 3 | Year 4 | Year 5 |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Sales | 52,000 | 67,600 | $87,880.00$ | $1,14,244.00$ | $1,14,244.00$ |
| PBT (15\% of sales) | 7,800 | 10,140 | $13,182.00$ | $17,136.60$ | $17,136.60$ |
| PAT (10.5\% of sales) | 5,460 | 7,098 | $9,227.40$ | $11,995.62$ | $11,995.62$ |
| Depreciation | 1,500 | 1,950 | $2,535.00$ | $3,295.50$ | $4,284.15$ |
| Addition to Fixed Assets | 4,500 | 5,850 | $7,605.00$ | $9,886.50$ | $4,284.15$ |
| Increase in Net Current Assets | 1,500 | 1,950 | $2,535.00$ | $3,295.50$ | - |
| Operating cash flow | 960 | 1,248 | $1,622.40$ | $2,109.12$ | $11,995.62$ |

Projected Cash Flows:-
Present value of Projected Cash Flows:-

| Cash Flows | PVF at 15\% | PV |
| :--- | ---: | ---: |
| 960 | 0.870 | 835.20 |
| 1248 | 0.756 | 943.49 |
| 1622.40 | 0.658 | 1067.54 |
| 2109.12 | 0.572 | 1206.42 |
|  |  | $4,052.65$ |


| Residual Value $\quad=11,995.62 / 0.15=79,970.80$ |  |  |
| :---: | :---: | :---: |
| Present value of Residual value | = | 79,970.80 $\times$ PVF ( $15 \%$, 4) |
|  | = | $79,970.80 \times 0.572=45,743.30$ |
| Total shareholders' value | $=$ | $\begin{aligned} & 45743.30+4052.65= \\ & 49795.95 \end{aligned}$ |
| Pre-strategy value | $=$ | $4200 / 0.15=28,000$ |
| $\therefore$ Value of strategy | $=$ | $49795.95-28,000=21795.95$ |

## SOLUTION 3

(c) No. of Shares $=\frac{₹ 1200 \text { crore }}{₹ 40}=30$ Crores

EPS $=\frac{P A T}{\text { No.of shares }}=\frac{₹ 300 \text { crore }}{30 \text { crore }}=₹ 10.00$
FCFE $=$ Net income $-[(1-b)($ capex - dep $)+(1-b)(\Delta W C)]$
FCFE $=10.00-[(1-0.25)(48-40)+(1-0.25)(4)]$
$=10.00-[6.00+3.00]=1.00$
Cost of Equity $=\mathrm{Rf}+\mathrm{B}(\mathrm{Rm}-\mathrm{Rf})$
$=8.7+0.1(10.3-8.7)=8.86 \%$
$\mathrm{Po}=\frac{F C F E(1+g)}{k e-g}=\quad \frac{1.00(1+0.08)}{0.0886-0.08}=\frac{1.08}{0.0086}=₹ 125.58$

## SOLUTION 4

(i) Let us first compute the Cost of Equity ke $=\frac{D}{P}=\frac{25}{125}=20 \%$
(ii) Current Earning $=₹ 25 \times 10,00,000=₹ 2,50,00,000$

The new project can be financed by retaining ₹ $1,75,00,000$ of ₹ $2,50,00,000$ earning next year, reducing dividend payment to ₹ $75,00,000$ or
$=\frac{75,00,000}{10,00,000}=₹ 7.50$ per share
(iii) In the following years, dividend will increase due to the cash generated by the new project.

Dividend per share in year 2 shall be:
$=\frac{25,00,000+50,00,000}{10,00,000}=₹ 30$ per share
(iv) The new share price can be calculated by finding the Present Value of the revised dividend payments:
$P=\frac{7.50}{1.20}+\frac{30.00}{0.20} \times \frac{1}{1.20}=₹ 131.25$ per share

## SOLUTION 5

Cost of capital by applying Free Cash Flow to Firm (FCFF) Model is as follows:-
Value of Firm $=V_{O}=\frac{F C F F_{1}}{K_{c}-g_{n}}$
Where -
FCFF $_{1} \quad=$ Expected FCFF in the year 1
$K_{c} \quad=$ Cost of capital
$g_{n} \quad=\quad$ Growth rate forever
Thus, ₹ 1800 lakhs $=$ ₹ 54 lakhs $/\left(K_{c}-g_{n}\right)$
Since $\mathrm{g}=9 \%$, then $K_{c}=12 \%$
Now, let $X$ be the weight of debt and given cost of equity $=20 \%$ and cost of debt $=10 \%$, then $20 \%(1-X)+10 \% X=12 \%$
Hence, $X=0.80$, so book value weight for debt was $80 \%$
Correct weight should be 60 of equity and 72 of debt.
Cost of capital $=K c=20 \%(60 / 132)+10 \%(72 / 132)=14.5455 \%$ and correct firm's value $=$ ₹ 54 lakhs $/(0.1454-0.09)=$ ₹ 974.73 lakhs.

## SOLUTION 6

(a) Calculation of Profit after tax (PAT)

|  | $\mathbf{₹}$ |
| :--- | ---: |
| Profit before interest and tax (PBIT) | $32,00,000$ |
| Less: Debenture interest (₹ 64,00,000 <br> $12 / 100)$ | $7,68,000$ |
| Profit before tax (PBT) | $24,32,000$ |
| Less: Tax @ 35\% | $8,51,200$ |
| Profit after tax (PAT) | $15,80,800$ |
| Less: Preference Dividend |  |
| (₹ 40,00,000 $\times 8 / 100$ ) 3,20,000 |  |
| Equity Dividend (₹ 80,00,000 $\times 8 / 100)$ | $9,60,000$ |
| Retained earnings (Undistributed profit) | $6,20,800$ |

## Calculation of Interest and Fixed Dividend Coverage

$=\frac{\text { PAT }+ \text { Debenture interest }}{\text { Debenture interest + Preference dividend }}$
$=\frac{15,80,800+7,68,000}{7,68,000+3,20,000}=\frac{23,48,800}{10,88,000}=2.16$ Times
(b) Calculation of Capital Gearing Ratio

Capital Gearing Ratio $=\frac{\text { Fixed interest bearing funds }}{\text { Equity shareholders' funds }}$
$=\frac{\text { Preference Share Capital }+ \text { Debentures }}{\text { Equity Share Capital }+ \text { Reserves }}=\frac{40,00,000+64,00,000}{80,00,000+32,00,000}=\frac{1,04,00,000}{1,12,00,000}=0.93$
(c) Calculation of Yield on Equity Shares:

Yield on equity shares is calculated at 50\% of profits distributed and 5\% on undistributed profits:

|  | ₹ |
| :--- | ---: |
| $50 \%$ on distributed profits ( ₹ $6,40,000 \times 50 / 100)$ | $3,20,000$ |
| $5 \%$ on undistributed profits $(₹ 6,20,800 \times 5 / 100)$ | 31,040 |
| Yield on equity shares | $3,51,040$ |

$$
\begin{aligned}
\text { Yield on equity shares } \% & =\frac{\text { Yield on shares }}{\text { Equity share Capital }} \times 100 \\
& =\frac{3,51,040}{80,00,000} \times 100=4.39 \% \text { or, } 4.388 \%
\end{aligned}
$$

## Calculation of Expected Yield on Equity shares

Note: There is a scope for assumptions regarding the rates (in terms of percentage for every one time of difference between Sun Ltd. and Industry Average) of risk premium involved with respect to Interest and Fixed Dividend Coverage and Capital Gearing Ratio. The below solution has been worked out by assuming the risk premium as:
(i) $1 \%$ for every one time of difference for Interest and Fixed Dividend Coverage.
(ii) $2 \%$ for every one time of difference for Capital Gearing Ratio.
(a) Interest and fixed dividend coverage of Sun Ltd. is 2.16 times but the industry average is 3 times. Therefore, risk premium is added to Sun Ltd. Shares @ $1 \%$ for every 1 time of difference.
Risk Premium $=3.00-2.16(1 \%)=0.84(1 \%)=0.84 \%$
(b) Capital Gearing ratio of Sun Ltd. is 0.93 but the industry average is 0.75 times. Therefore, risk premium is added to Sun Ltd. shares @ $2 \%$ for every 1 time of difference.
Risk Premium $=(0.75-0.93)(2 \%)$

$$
=0.18(2 \%)=0.36 \%
$$

|  | (\%) |
| :--- | ---: |
| Normal return expected | 9.60 |
| Add: Risk premium for low interest and fixed dividend coverage | 0.84 |
| Add: Risk premium for high interest gearing ratio | 0.36 |
| Value of Equity Share | 10.80 |

$=\frac{\text { Actual yield }}{\text { Expected yield }} \times$ Paid up value of share $=\frac{4.39}{10.80} \times 100=₹ 40.65$

## SOLUTION 7

In semi-strong form of stock market, the share price should accurately reflect new relevant information when it is made publicly available including Implant Inc. expansion scheme and redemption of the term loan.

| The existing Market Value $\$ 2 \times 7,000,000$ |  | $\$ 14,000,000$ |
| :--- | ---: | ---: |
| The new investment has an expected NPV | $\$ 2,200,000$ |  |
| Proceeds of New Issue |  |  |
| Issue Cost of | $\$ 5000,000$ |  |
| PV of Benefit of early redemption |  |  |
| Interest of $\$ 900,000(\$, 6,000,000 \times 15 \%) \times 3.791$ | $3,411,900$ |  |
| PV of Repayment in 5 years $\$ 6,000,000 \times 0.621$ | $3,726,000$ |  |
| Redemption Cost Now | $7,137,900$ |  |
| Penalty charges | $(6,000,000)$ |  |
| Expected Total Market value | $(350,000)$ | 787,900 |
| New No. of shares (30 Million +7 Million) |  | $31,387,900$ |
| Expected Share Price of Company |  | $37,00,000$ |

## SOLUTION 8

## Working Notes:

Computation of Earning Per Share (EPS)

| Particulars |  | Amount (₹) |
| :--- | :--- | ---: |
| Margin of Division A | (₹ 50 crore $\times 10 \% \times 5 \%$ ) | $25,00,000$ |
| Margin of Division B | (₹ 20 crore $30 \% \times 8 \%$ ) | $48,00,000$ |
| Margin of Division C | (₹ 8.5 crore $\times 2 \% \times 10 \%$ ) | $1,70,000$ |
|  |  | $74,70,000$ |
| No. of Equity Shares |  | ₹ $24.00,000$ |
| EPS |  |  |

(i) Market Price based on One Year Forecast

Expected Market Price at the end of the year = ₹ $24.90 \times 10=$ ₹ 249
PV of the Expected Price = ₹ $249 \times 0.847=₹ 210.90$
I would NOT like to purchase the share as the expected market price of shares is less than its current price of ₹ 250 .
(ii) If Earning is expected to grow @ $15 \%$

| Year | EPS (₹) | Dividend (₹) | PVF@18\% | PV (₹) |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 28.64 | --- | 0.847 | --- |
| 2 | 32.93 | --- | 0.718 | ---92 |
| 3 | 37.87 | 11.36 | 0.609 | 6.92 |
| 4 | 43.55 | 13.07 | 0.516 | 6.56 |
| 5 | 50.08 | 15.02 | 0.437 | 20.22 |

Share Price after 5 years $=\frac{15.02(1.15)}{0.18-0.15}=₹ 575.77$
PV of the Market Price after 5 years = ₹ $575.77 \times 0.437=₹ 251.61$
Total PV of Inflows = ₹ $20.22+₹ 251.61=₹ 271.83$
Thus, the maximum price I would be willing to pay for the share shall be ₹ 271.83 .

## SOLUTION 9

(a) Net Assets Method

To compute the value of shares as per this method we shall compute the Net Assets.
(i) Value of Land \& Building of XYZ Ltd. = ₹ 1,500 lac (1.25) $4=₹ 3,662.11$ lac. Thus, net asset value will be:

|  | ₹ |
| :--- | ---: |
| Land \& Building | 3,662.11 lac |
| Plant \& Machinery | $2,800.00$ lac |
| Account Receivable | $2,400.00$ lac |
| Stock | $2,100.00$ lac |
| Bank/Cash | 400.00 lac |
|  | $11,362.11$ lac |
| Less: Bank Overdraft | 100.00 lac |
| Sundry Creditors | $1,100.00$ lac |
| Tax Payable | 400.00 lac |
| Dividend Payable | 400.00 lac |
| Long Term Loan | $1,000.00$ lac |
|  | 8362.11 lac |

(ii) Estimated profit for next 5 years
$=₹ 1,510 \operatorname{lac}(1.12)+₹ 1,510 \operatorname{lac}(1.12) 2+₹ 1,510 \operatorname{lac}(1.12) 3+₹ 1,510 \operatorname{lac}$
(1.12)4 + ₹ $1,510 \operatorname{lac}(1.12) 5$
= ₹ $1,691.20$ lac + ₹ $1,894.14$ lac + ₹ $2,121.44$ lac + ₹ $2,376.01$ lac +
₹ $2,661.14$ lac
$=$ ₹ $10,743.93$ lac.
The total yield value = ₹ 8,362.11 lac + ₹ 10,743.93 lac = ₹ 19, 106.04 lac
XYZ Ltd.s share's current market value = ₹ $470 \times 40$ lacs shares
$=₹ 1,88,00,00,000$
$=$ ₹ 18,800 lac
The premium is thus ₹ 306.04 lac (₹ $19,106.04$ lac - ₹ 18,800 lac) i.e. $₹ 7.65$ per share or $1.63 \%$ [7.65/470].
This is not a sound basis for valuation as it ignores the time value of money. The premium of $1.63 \%$ above the current market price is very small compared to those achieved in many real bids.
(b) Dividend Valuation Model
$\mathrm{Po}=\frac{D 1}{K e-g}=\frac{D o(1+g)}{k e-g}$
Do $=\frac{\text { ₹760 lac }}{40 \mathrm{lac}}=₹ 19$ per share
Thus D1 = ₹ $19(1+0.12)=₹ 21.28$
$K_{e}$ using CAPM
$K_{e}=R f+\beta j(R m-R f)=10 \%+1.05(16 \%-10 \%)=16.3 \%$
$\mathrm{PO}=\frac{₹ 21.28}{16.3 \%-12 \%}=\frac{21.28}{4.3 \%}=₹ 494.88$ per share
The premium is ₹ 24.88 (₹ 494.88 - ₹ 470 ) i.e. $5.29 \%$ above the current market price.
Thus, this method should be used for bidding shares of XYZ Ltd.'s share

## Assumptions

- Valuation is based on a constant growth rate and unchanged dividend policy.
- It will be more rational to assess the value of XYZ Ltd. incorporating post merger synergies.


## SOLUTION 10

Estimation of Ratios

| SI. <br> No. | Particulars | SK Ltd. | AS Ltd. | Average |
| :--- | :--- | :--- | :--- | :--- |
| (i) | Market to Book Value | $=\frac{450}{400}=1.125$ | $=\frac{400}{300}=1.333$ | 1.2290 |
| (ii) | Market to Replacement Cost | $=\frac{450}{600}=0.750$ | $=\frac{400}{550}=0.727$ | 0.7385 |
| (iii) | Market to Sales | $=\frac{450}{550}=0.818$ | $=\frac{400}{450}=0.889$ | 0.8535 |
| (iv) | Market to Net Income | $=\frac{450}{18}=25$ | $=\frac{400}{16}=25$ | 25 |

Application of Ratios to XY Ltd.

| SI. | Particulars | XY Ltd. (₹) | Average | Indicative Value of XY Ltd. (₹) |
| :--- | :--- | ---: | ---: | ---: |
| No. |  |  |  |  |
| (i) | Book Value | $\mathbf{2 5 0}$ | 1.2290 | $250 \times 1.2290=307.25$ |
| (ii) | Replacement Cost | 500 | 0.7385 | $500 \times 0.7385=369.25$ |
| (iii) | Sales | 500 | 0.8535 | $500 \times 0.8535=426.75$ |
| (iv) | Net Income | 14 | 25 | $14 \times 25=350.00$ |
| Average |  |  | ₹ |  |

Value of XY Ltd. according to the comparable method is ₹ 363.31

## SOLUTION 11

(i) Weighted Average Cost of Capital of DY Ltd.

Cost of Equity as per CAPM
ke $=$ Rf $+\beta \times$ Market Risk Premium
$=7 \%+1.4 \times[12 \%-7 \%]$
$=7 \%+7 \%=14 \%$
Cost of Debt kd $=8 \%(1-0.30)=5.60 \%$
WACC (ko) $=K_{e} \times \frac{E}{E+D}+K_{d} \times \frac{D}{E+D}=14.00 \times \frac{500}{750}+5.60 \times \frac{250}{750}$
$=9.33 \%+1.87 \%=11.20 \%$
(ii) Economic Value Added (EVA) of DY Ltd.

|  |  | ₹ Lakhs |
| :--- | :--- | ---: |
| Sales |  | ₹ 1,000 |
| Operating Expenses (excluding interest) |   <br>  ₹ 20 | $₹ 600$ |
|  |  |  |
| Less: Tax @ 30\% |  | $₹ 120$ |
| Net Operating Profit after Tax (NOPAT) |  | $₹ 280$ |

Calculation of Capital Employed

|  | ₹ Lakhs |
| :--- | ---: |
| Equity Share Capital | 250 |
| Reserves \& Surplus | 250 |
| $\mathbf{8 \%}$ Debentures | $\mathbf{2 5 0}$ |
| Total Capital Employed | $\mathbf{7 5 0}$ |

EVA $=$ NOPAT $-($ WACC $\quad$ Total Capital) EVA $=₹ 280$ Lakh - 0.1120 ₹ 750 lakhs EVA $=$ 196.00 lakhs
(iii) Determination of Market Value Added (MVA)

|  | ₹ Lakh |
| :--- | ---: |
| Market value of Equity Stock [₹ 900 Lakh - ₹ 250 Lakh] | 650 |
| Equity Fund [₹ 250 Lakh + ₹ 250 Lakh] | 500 |
| Market Value Added | 150 |

Alternatively, it can also be computed as follows:

|  | ₹ Lakh |
| :--- | ---: |
| Market value of DY Ltd. | 900 |
| Capital employed [₹ 250 Lakh + ₹ 250 Lakh + ₹ 250 Lakh] | 750 |
| Market Value Added | 150 |

## Mergers, Acquisitions \& Corporate Restructuring

## Study Session 4

## SOLUTION 1

## Working Notes :

(a)

|  | XYZ Ltd. | ABC Ltd. |
| :--- | ---: | ---: |
| Equity shares outstanding (Nos.) | $10,00,000$ | $4,00,000$ |
| EPS | $₹ 40$ | $₹ 28$ |
| Profit | $₹ 400,00,000$ | $₹ 112,00,000$ |
| PE Ratio | 6.25 | 5.71 |
| Market price per share | $₹ 250$ | $₹ 160$ |

(b) EPS after merger

| No. of shares to be issued $(4,00,000 \times 0.70)$ | $2,80,000$ |
| :--- | ---: |
| Exiting Equity shares outstanding | $10,00,000$ |
| Equity shares outstanding after merger | $12,80,000$ |
| Total Profit (₹ $400,00,000+₹ 112,00,000)$ | $₹ 512,00,000$ |
| EPS | $₹ 40$ |

(i) Impact of merger on EPS of both the companies

|  | XYZ Ltd. | ABC Ltd. |
| :--- | ---: | ---: |
| EPS after Merger | $₹ 40$ | $₹ 28$ |
| EPS before Merger | $₹ 40$ | $₹ 28^{*}$ |
|  | Nil | Nil |

* ₹ $40 \times 0.70$
(ii) Gain from the Merger if exchange ratio is 1: 1

| No. of shares to be issued | $4,00,000$ |
| :--- | ---: |
| Exiting Equity shares outstanding | $10,00,000$ |
| Equity shares outstanding after merger | $14,00,000$ |
| Total Profit (₹ $400,00,000+₹ 112,00,000)$ | $₹ 512,00,000$ |
| EPS | $₹ 36.57$ |
| Market Price of Share $₹ 36.57 \times 6.25)$ | $₹ 228.56$ |
| Market Price of Share before Merger | $₹ 160.00$ |
| Impact (Increase/ Gain) | $₹ 68.56$ |

(iii) Gain/ loss from the Merger to the shareholders of XYZ Ltd.

| Market Price of Share | ₹ 228.56 |
| :--- | ---: |
| Market Price of Share before Merger | ₹ 250.00 |
| Loss from the merger (per share) | ₹ 21.44 |

(iv) Maximum Exchange Ratio acceptable to XYZ Ltd. shareholders

|  | ₹ Lakhs |
| :--- | ---: |
| Market Value of Merged Entity (₹ $228.57 \times 1400000$ ) | 3199.98 |
| Less: Value acceptable to shareholders of XYZ Ltd. | 2500 |
| Value of merged entity available to shareholders of ABC Ltd. Market Price Per <br> Share | 699.98 |
| No. of shares to be issued to the shareholders of ABC Ltd. (lakhs) | 250 |
|  | 2.8 |

Thus maximum ratio of issue shall be $2.80: 4.00$ or 0.70 share of XYZ Ltd. for one share of $A B C$ Ltd.

## SOLUTION 2

(b) (i) Calculation of Minimum price per share S Ltd. should accept from R Ltd.

Value of S Ltd. $\quad=\frac{\text { Residual Cash Flow }}{k e-g}=\frac{54,87,000}{0.1305-0}=₹ 4,20,45,977$
Value per share of $S$ Ltd. $=\frac{4,20,45,977}{80,00,000}=₹ 5.26$
Book Value of per share of SLd. $=\frac{3,99,95,000}{80,00,000}=₹ 4.99$ or $₹ 5$
Therefore, the minimum price per share S Itd. should accept from R Ltd. is ₹ 5 (current book value)
(ii) Calculation of Maximum price per share R Ltd. shall be willing to offer to S Ltd.

Value of R Ltd. $=\frac{\text { Residual Cash Flow }}{k e-g}=\frac{90,10,000}{0.1375-0}=₹ 6,55,27,273$
Value of Combined entity $=\frac{1,85,00,000}{0.125-0}=₹ 14,80,00,000$
Value of synergy = Value of Combined entity - Individual values of R Ltd. and S Ltd.
= ₹ $14,80,00,000-$ (₹ 4,20,45,977 + ₹ $6,55,27,273$ )
= ₹ $4,04,26,750$
Maximum price per share R Ltd. shall be willing to offer to S Ltd. shall be computed as follows:
$=\frac{\text { Value of S Ltd.as per Residual cash flows }+ \text { Synergy benefits }}{\text { No.of shares }}$
$=\frac{4,20,45,977+4,04,26,750}{80,00,000}=₹ 10.31$
(iii) Floor value of per share of S Ltd shall be ₹ 3.20 (current market price) and it shall not play any role in decision for the acquisition of S Ltd. as it is lower than its current book value.

## SOLUTION 3

(a)

|  | A Ltd. | B Ltd. |
| :--- | ---: | ---: |
| Share Capital | 200 Lakh | 100 Lakh |
| Free Reserves | 800 Lakh | 500 Lakh |
| Total | 1000 Lakh | 600 Lakh |
| No. of Shares | 2 Lakh | 10 Lakh |
| Book Value per share | ₹ 500 | ₹ 60 |
| Promoter's holding | $50 \%$ | $60 \%$ |
| Non promoter's holding | $50 \%$ | $40 \%$ |
| Free Float Market Cap. i.e. relating to Public's <br> holding | 400 Lakh | 128 Lakh |
| Hence Total market Cap. |  |  |
| No. of Shares | 800 Lakh | 320 Lakh |
| Market Price | 2 Lakh | 10 Lakh |
| P/E Ratio | ₹ 400 | ₹ 32 |
| EPS | 10 | 4 |
| Profits (₹ 2 X 40 lakh) | 40 | 8 |
| ₹ 8 X 10 lakh) | ₹ 80 Lakh |  |
| Cala | - | ₹ 80 Lakh |

## Calculation of Swap Ratio

| Book Value | $1: 0.12$ | $0.12 \times 25 \%$ | 0.03 |
| :--- | ---: | ---: | ---: |
| EPS | $01: 00.2$ | $0.20 \times 50 \%$ | 0.1 |
| Market Price | $01: 00.1$ | $0.08 \times 25 \%$ | 0.02 |
| Total |  |  | $\mathbf{0 . 1 5}$ |

Swap ratio is for every one share of Abhishek Ltd., to issue 0.15 shares of Abhiman Ltd. Hence total no. of shares to be issued.
10 Lakh $\times 0.15=1.50$ lakh shares
(b) Book Value, EPS \& Market Price
Total No of Shares
2 Lakh + 1.5 Lakh = 3.5 Lakh
Total Capital
₹ 200 Lakh + ₹ 150 Lakh = ₹ 350 Lakh
Reserves
Book Value
₹ 800 Lakh + ₹ 450 Lakh = ₹ 1,250 Lakh
$\frac{350 \text { Lakh }+1,250 \text { Lakh }}{3.5 \text { Lakh }}=₹ 457.14$ per share
EPS

$$
\frac{\text { Total Profit }}{\text { No. of Share }}=\frac{80 \mathrm{Lakh}+80 \mathrm{Lakh}}{3.5 \mathrm{Lakh}}=\frac{160 \mathrm{Lakh}}{3.5}
$$

$$
=₹ 45.71
$$

Expected Market Price EPS (₹ 45.71) x P/ERatio (10) = ₹ 457.10
(c) (1) Promoter's holding

| Promoter's Revised | A Ltd. $50 \%$ i.e. | 1.00 Lakh shares |
| :--- | ---: | ---: |
| Holding | B Ltd. $60 \%$ i.e. | 0.90 Lakh shares |
|  | Total | 1.90 Lakh shares |

Promoter's \% = 1.90/3.50 x $100=54.29 \%$
(2) Free Float Market Capitalization

Free Float Market Capitalization
(3) (i) \& (ii)

Revised Capital ₹ 350 Lakh + ₹ 175 Lakh = ₹ 525 Lakh
No. of shares before Split (F.V ₹ 100)
No. of Shares after Split (F.V. ₹ 5 )
EPS
Book Value

$$
\begin{aligned}
& =\text { (3.5 Lakh - } 1.9 \text { Lakh) x ₹ } 457.10 \\
& =\text { ₹ } 731.36 \text { Lakh } \\
& \text { ₹ } 350 \text { Lakh }+ \text { ₹ } 175 \text { Lakh = ₹ } 525 \text { L } \\
& 5.25 \text { Lakh } \\
& 5.25 \times 20=105 \text { Lakh } \\
& 160 \text { Lakh } / 105 \text { Lakh = } 1.523 \\
& \text { Cap. ₹ } 525 \text { Lakh }+₹ 1075 \text { Lakh } \\
& \quad \text { No. of Shares = } 105 \text { Lakh } \\
& \text { = } 15.238 \text { per share }
\end{aligned}
$$

## SOLUTION 4

(a) Working Notes:

|  | Day Ltd. | Night Ltd. |
| :--- | ---: | ---: |
| Net Earnings | ₹ 5 crores | ₹ 3.5 crores |
| No. of Equity Shares | $10,00,000$ | $7,00,000$ |
| EPS | 50 | 50 |
| P/E | 20 times | 15 times |
| MPS | $₹ 1000$ | $₹ 750$ |
| Market Value | $1,00,00,00,000$ | $52,50,00,000$ |

(i) If takeover is funded by Cash

Since Market Price of Night Ltd. reflects its full value, cost of takeover to Day Ltd is
55 crore - 52.50 crore $=₹ 2.5$ crore.
(ii) If the takeover is funded by stock

Number of shares to be issued to Night Ltd.
= ₹ 55 Crore/ ₹ $1000=550000$ Lakhs
Market Value of Merged Firm = ₹ $1,00,00,00,000+₹ 52,50,00,000$
$=₹ 1,52,50,00,000$ i.e. ₹ 152.50 Crore
Proportion that Night Ltd.'s shareholders get in Day Ltd.'s Capital Structure will be:
$\frac{5.5 \text { lakhs }}{5.5 \text { lakhs }+10 \text { lakhs }}=0.3548$
True Cost of Merger $=₹ 152.50$ Crore $\times 0.3548$ - ₹ 55 Crore
= -₹ 0.893 Crore
Since true cost is negative in case of funding from stock, Day Ltd. would better off by funding the takeover by stock.

## SOLUTION 5

Impact of Financial Restructuring
(i) Benefits to Grape Fruit Ltd.
(a) Reduction of liabilities payable

|  | ₹ in lakhs |
| :--- | ---: |
| Reduction in equity share capital (6 lakh shares $\times$ ₹75 per share) | 450 |
| Reduction in preference share capital (2 lakh shares $\times$ ₹ $₹ 50$ per share) | 100 |
| Waiver of outstanding debenture Interest | 26 |
| Waiver from trade creditors (₹340 lakhs $\times 0.25$ ) | 85 |
| (b) Revaluation of Assets | 661 |
| Appreciation of Land and Building (₹450 lakhs - ₹200 lakhs) | 250 |
| Total (A) | $\mathbf{9 1 1}$ |

(ii) Amount of $\mathbf{₹ 9 1 1}$ lakhs utilized to write off losses, ficticious assets and over- valued assets.

| Writing off profit and loss account | 525 |
| :--- | ---: |
| Cost of issue of debentures | 5 |
| Preliminary expenses | 10 |
| Provision for bad and doubtful debts | 15 |
| Revaluation of Plant and Machinery | 120 |
| (₹300 lakhs - ₹180 lakhs) | 675 |
| Total (B) | $\mathbf{2 3 6}$ |
| Capital Reserve (A) - (B) |  |

(iii) Balance sheet of Grape Fruit Ltd as at 31st March 2011 (after re-construction) Liabilities

| Amount | Assets |  | Amount |
| ---: | :--- | ---: | ---: |
| 300 | Land \& Building |  | 450 |
| 100 | Plant \& Machinery |  | 180 |
| 236 | Furnitures \& Fixtures |  | 50 |
| 200 | Inventory |  | 150 |
| 74 | Sundry debtors | 70 |  |
| 255 | Prov. for Doubtful Debts | -15 | 55 |
|  | Cash-at-Bank (Balancing |  | 280 |
|  | figure)* |  |  |

1165
1165
*Opening Balance of ₹130/- lakhs + Sale proceeds from issue of new equity shares ₹150/lakhs.

## SOLUTION 6

## Working Notes

Calculation of Interest Payment on 9\% Debentures
PVAF $(9 \%, 6)=4.486$
Annual Installment $=\frac{22.50 \text { crore }}{4.486}=₹ 5.0156$ crore

| Year | Balance <br> Outstanding (₹ <br> Crore) | Interest (₹ <br> Crore) | Installment (₹ <br> Crore) | Principal <br> Repayment (₹ <br> Crore) | Balance (₹ <br> Crore) |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 22.5000 | 2.025 | 5.0156 | 2.9906 | 19.5094 |
| 2 | 19.5094 | 1.756 | 5.0156 | 3.2596 | 16.2498 |
| 3 | 16.2498 | 1.462 | 5.0156 | 3.5536 | 12.6962 |
| 4 | 12.6962 | 1.143 | 5.0156 | 3.8726 | 8.8236 |

Statement showing Value of Equity

| Particulars | $\mathbf{2 0 1 3 - 1 4}$ <br> (₹ Crore) | $\mathbf{2 0 1 4 - 1 5}$ <br> (₹ Crore) | $\mathbf{2 0 1 5 - 1 6}$ <br> (₹ Crore) | 2016-17 <br> (₹ Crore) |
| :--- | ---: | ---: | ---: | ---: | ---: |
| EBIT | 48.0000 | 57.0000 | 68.0000 | 82.000 |


| Interest on 9\% Debentures | 2.0250 | 1.7560 | 1.4620 | 1.1430 |
| :--- | ---: | ---: | ---: | ---: |
| Interest on 8\% Loan | 12.8000 | 12.8000 | 12.8000 | 12.8000 |
| EBT | 33.1750 | 42.4440 | 53.7380 | 68.0570 |
| Tax* @35\% | 11.6110 | 14.8550 | 18.8080 | 23.8200 |
| EAT | 21.5640 | 27.5890 | 34.9300 | 44.2370 |
| Dividend @12.5\% of EAT* | 2.6955 | 3.4490 | 4.3660 | 5.5300 |
|  | 18.8685 | 24.1400 | 30.5640 | 38.7070 |
| Balance b/f | Nil | 18.8685 | 43.0085 | 73.5725 |
| Balance c/f | 18.8685 | 43.0085 | 73.5725 | 112.2795 |
| Share Capital | 82.5000 | 82.5000 | 82.5000 | 82.5000 |
|  | 101.3685 | 125.5085 | 156.0725 | 194.7795 |

*Figures have been rounded off.
In the beginning of 2013-14 equity was ₹ 82.5000 crore which has been grown to $₹ 194.7795$ over a period of 4 years. In such case the compounded growth rate shall be as follows:
(194.7795/82.5000) $1 / 4-1=23.96 \%$

This growth rate is slightly higher than $20 \%$ as projected by Mr. Smith.
If the condition of VenCap for 18 shares is accepted the expected share holding after 4 years shall be as follows:

| No. of shares held by Management | 6.00 crore |
| :--- | :--- |
| No. of shares held by VenCap at the starting stage | 2.25 crore |
| No. of shares held by VenCap after 4 years | 4.05 crore |
| Total holding | 6.30 crore |

Thus, it is likely that Mr. Smith may not accept this condition of VenCap as this may result in losing their majority ownership and control to VenCap. Mr. Smith may accept their condition if management has further opportunity to increase their ownership through other forms.

## SOLUTION 7

(i) Computation of Premium (Net Worth Formula):

Amount ₹ in Crores

| Total Assets (Fixed assets + Current Assets) $=(550+580)$ | 1130 |
| :--- | ---: |
| Less: Liabilities (Current Liabilities + Borrowings) $=(240+105)$ | 345 |
| Net Assets Value | 785 |
| Current Value of Land after growing for three years @ $30 \%=190 \times 2.197$ | 417.43 |
| Less: Book Value | 190.00 |
| Increase in the Value of land | 227.43 |
| Adjusted NAV (785 + 227.43) | 1012.43 |
| Current Profit after Tax (@15 \% for 5 years i.e. $250 \times 7.7537$ | 1938.43 |
| Average Profit for 1 year = 1938.43/5 | 387.69 |
| Total Value of Firm (1012.43 + 387.69) | 1400.12 |
| Total Market Value = No of shares X MPS = 12.50 X 75 | 937.50 |
| Premium (Total Value - Market Value) | 462.62 |
| Premium (\%) = 462.62/937.50 * 100 | $49.35 \%$ |

(ii) Computation of Premium (Dividend Growth Formula):

| Existing Growth Rate | 0.15 |
| :--- | ---: |
| DPS $=125 / 12.50$ | 10 |
| MPS | 75 |
| Cost of Equity $(\mathrm{D} 1 / \mathrm{MP}+\mathrm{g})=[(10 \times 1.15 / 75)+0.15]$ | 0.3033 |
| Expected growth rate after merger | 0.18 |
| Expected Market Price $=10 \times[1.18 /(0.3033-0.18)]$ | 95.70 |
| Premium over current market price $(95.70-75) / 75 \times 100$ | $27.60 \%$ |

Alternatively, if given figure of dividend is considered as D1 then Premium over Current Market Price shall be computed as follows:

| Cost of Equity $\left(\frac{D 1}{P}+g\right)$ | $\left(\frac{10}{75}+0.15\right)$ | 0.2833 |
| :--- | :--- | :--- |
| Expected Growth Rate after Merger |  | 0.18 |
| Expected Market Price $10.00 /(0.2833-0.18)$ |  | 96.81 |
| Premium over Current Market Price $(96.81-75) / 75 \times 100$ |  | $29.08 \%$ |

(iii) During the course of negotiations, ICL will push forward valuation based on Growth Rate Method as it will lead to least cash outflow.

## SOLUTION 8

(i) The number of shares to be issued by B Ltd.:

The Exchange ratio is $2: 3$
So, new Shares $=1,80,000 \times \frac{2}{3}=1,20,000$ shares.
(ii) EPS of B Ltd. after acquisition:

| Total <br> Earnings | (₹ $21,00,000+₹ 4,50,000)$ | $₹ 25,50,000$ |
| :--- | :--- | :--- |
| No. <br> Shares | $(6,00,000+1,20,000)$ | $7,20,000$ |
| EPS | (₹ $25,50,000 / 7,20,000)$ | $₹ 3.5416$ or 3.54 |

(iii) Equivalent EPS of S Ltd. and gain/loss to shareholders:

| Equivalent EPS of S Ltd. (₹ $3.54 \times$ <br> $\frac{2}{3}$ ) | $₹ 2.36$ |
| :--- | :--- |
| Less: EPS before merger <br> Loss | $₹ 2.50$ |
| (₹ 0.14 ) |  |

(iv) New Market Price of B Ltd. (P/E remaining unchanged):

| Present P/E Ratio of B Ltd. | 10 times |
| :--- | :--- |
| Expected EPS after merger | $₹ 3.54$ |
| Expected Market Price ( $₹ 3.54 \times$ | $₹ 35.40$ |
| 10 ) |  |

(v) Market Value of merged firm:

| Total number of Shares | $7,20,000$ |
| :--- | :--- |
| Expected Market Price | $₹ 35.40$ |
| Total value $(7,20,000 \times 35.40)$ | $₹ 2,54,88,000$ |

(vi)
(1) Equivalent EPS of S Ltd.
(2) BSE price per share before merger announcement

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| (3)After the merger announcement $10 \%$ increase in price of <br> share | $₹ 1.75$ |
| :--- | ---: |
| (4) Present Market Price of share $(2+3)$ | $₹ 19.25$ |
| (5) Return on Market Price per share (1/4) | 12.26 |

As Mr. X is having another opportunity to earn $14 \%$ and expected return on S Ltd.'s share is $12.26 \%$, it is advisable to offload in market.

## 

## Study Session 5

## SOLUTION 1

(i) Number of Units in each Scheme

| $M^{\prime} X^{\prime}$ | $\frac{₹ ₹ 2,00,000}{₹ 10.30}$ | $=19,417.48$ |
| :--- | :---: | :--- |
| $M^{\prime} Y^{\prime}$ | $\frac{₹ 4,00,000}{₹ 10.10}$ | $=39,603.96$ |
| $M^{\prime} Z^{\prime}$ | $\frac{₹ 2,00,000}{₹ 10.00}$ | $=20,000.00$ |

(ii) Total NAV on 31.03.2018

| $M^{\prime}{ }^{\prime} X^{\prime}$ | $=19,417.48 \times ₹ 10.25$ | $₹ 1,99,029.17$ |
| :--- | :--- | :--- |
| $M F^{\prime}{ }^{\prime}{ }^{\prime}$ | $=39,603.96 \times ₹ 10.00$ | $₹ 3,96,039.60$ |
| $M^{\prime} Z^{\prime}$ | $=20,000.00 \times ₹ 10.20$ | $₹ 2,04,000.00$ |
| Total |  | $₹ 7,99,068.77$ |

(iii) Total Yield

|  | Capital Yield | Dividend Yield | Total |
| :---: | :---: | :---: | :---: |
| MF ' ${ }^{\prime}$ ' | $\begin{aligned} & \text { ₹ } 1,99,029.17 \text { - ₹ } 2,00,000 \\ & =\text { - ₹ } 970.83 \end{aligned}$ | ₹ 6,000 | ₹ 5,029.17 |
| MF 'Y' | $\begin{aligned} & \text { ₹ } 3,96,039.60 \text { - ₹ } 4,00,000 \\ & =-₹ 3,960.40 \end{aligned}$ | Nil | - ₹ 3,960.40 |
| MF 'Z' | $\begin{aligned} & \text { ₹ } 2,04,000 \text { - ₹ } 2,00,000 \\ & =₹ 4,000 \end{aligned}$ | ₹ 5,000 | ₹ 9,000.00 |
|  |  | Total | ₹ 10,068.77 |

Total Yield $=\frac{₹ 10,068.77}{₹ 8,00,000} \times 100=1.2586 \%$
(iv) No. of Days Investment Held

|  | MF ' ${ }^{\prime}$ ' | MF ' ${ }^{\prime}$ ' | MF 'Z' |
| :---: | :---: | :---: | :---: |
| Let No. of days be | X | Y | Z |
| Initial Investment (₹) | 2,00,000 | 4,00,000 | 2,00,000 |
| Yield (₹) | 5,029.17 | -3,960.40 | 9,000.00 |
| Yield (\%) | 2.5146 | -0.9901 | 4.5 |
| Period of Holding (Days) | $2.5146 \times \frac{365}{9.66}$ | $0.9901 \times \frac{365}{11.66}$ | $4.5 \times \frac{365}{24.15}$ |
|  | $=95$ Days | $=31$ Days | = 68 Days |
| Date of Original Investment | 26.12.17 | 28.02.18 | 22.01.18 |

## SOLUTION 2

Yield for 9 months

$$
\begin{aligned}
& =(153.33 \times 9 / 12)=115 \% \\
& =1,00,000 /-+(1,00,000 \times 115 \%) \\
& =₹ 2,15,000 /- \\
& =(2,15,000-10,000) / 10,000=₹ 20.50
\end{aligned}
$$

Market value of Investments as on 31.03.2001
Therefore, NAV as on 31.03.2001
(NAV would stand reduced to the extent of dividend payout, being ( $10,000 \times 10 \times 10 \%$ ) $=₹ 10,000$ )
Since dividend was reinvested by Mr. X, additional units acquired $=\frac{₹ 10,000}{₹ 20.50}=487.80$ units
Therefore, units as on 31.03.2001 $=10,000+487.80=10,487.80$
[Alternately, units as on 31.03.2001 $=(2,15,000 / 20.50)=10,487.80$ ]
Dividend as on 31.12.2002 $=10,487.80 \times 10 \times 0.2=$ ₹ $20,975.60$
Let $X$ be the NAV on 31.12.2002, then number of new units reinvested will be ₹20,975.60/X. Accordingly 11296.11 units shall consist of reinvested units and 10487.80 (as on 31.03 .2001 ). Thus, by way of equation it can be shown as follows:

$$
\begin{aligned}
& =11296.11=\frac{20975.60}{\mathrm{X}}+10487.80 \\
& =20,975.60 /(11,296.11-10,487.80) \\
& =₹ 25.95 \\
& =₹ 1,00,000(1+0.7352 \times 33 / 12) / 11296.11 \\
& =₹ 26.75
\end{aligned}
$$

## SOLUTION 3

## Calculation of Income available for Distribution

|  | Units (Lakh) | Per Unit (₹) | Total (₹ In lakh) |
| :--- | ---: | ---: | ---: |
| Income from April | 300 | 0.0765 | 22.95 |
| Add: Dividend equalization collected on issue | 6 | 0.0765 | 0.459 |
| Add: Income from May | 306 | 0.0765 | 23.409 |
| Less: Dividend equalization paid on |  | 0.1125 | 34.425 |
| repurchase | 306 | 0.189 | 57.834 |
|  | 3 | 0.189 | -0.567 |
| Add: Income from June |  |  |  |
|  | 303 | 0.189 | 57.267 |
| Less: Dividend Paid |  | 0.15 | 45.45 |
|  | 303 | 0.339 | 102.717 |

## Calculation of Issue Price at the end of April

|  | ₹ |
| :--- | ---: |
| Opening NAV | 18.75 |
| Add: Entry Load 2\% of ₹ 18.750 | 0.375 |
| Add: Dividend Equalization paid on Issue | 19.125 |
| Price | 0.0765 |
|  | $\mathbf{1 9 . 2 0 1 5}$ |

Calculation of Repurchase Price at the end of May

|  | ₹ |
| :--- | ---: |
| Opening NAV | 18.75 |
| Less: Exit Load 2\% of ₹ 18.750 | -0.375 |
|  | 18.375 |
| Add: Dividend Equalization paid on Issue | 0.189 |
| Price | 18.564 |

## Closing NAV

|  |  |  |
| :--- | ---: | ---: |
| Opening Net Asset Value (₹ $18.75 \times 300)$ |  | 5625.0000 |
| Portfolio Value Appreciation |  | 425.4700 |
| Issue of Fresh Units $(6 \times 19.2015)$ |  | 115.2090 |
| Income Received |  |  |
| $(22.950+34.425+45.450)$ |  | 6268.504 |
|  | -55.692 |  |
| Less: Units repurchased $(3 \times 18.564)$ | -71.9019 | $(-127.5939)$ |
| Income Distributed |  | 6140.9101 |
| Closing Net Asset Value |  | 303 lakh |
| Closing Units (300 $+6-3)$ lakh |  |  |
| Closing NAV as on $30^{\text {th }}$ June |  |  |

## SOLUTION 4

(i) Dividend Plan

| (a) | Average Annual gain over a period of 5 Years | 27748.60 |
| :--- | ---: | ---: |
| (b) | Total gain over a period of 5 years (a*5) | 138743 |
| (c) | Initial Investment | 920000 |
| (d) | Total value of investment (b+c) | 1058743 |
| (e) | NAV as on 31.3.2020 | 49 |
| (f) | Number of units at the end of the period as on 31.03.2019 (d/e) | 21607 |


| $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}=\mathbf{( 2 * 3 )}$ | $\mathbf{5}$ | $\mathbf{6}=\mathbf{1 /}$ <br> $(\mathbf{4 + 5})^{*}$ |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| Period | Units <br> held | Rate | Unit <br> value | Dividend | NAV | New <br> Units* | Balance Units <br> Pre Dividend |
| 31.03 .2019 | 21607 | 0.15 | 10 | 1.5 | 45 | 697 | 20910 |
| 31.03 .2018 | 20910 | 0.1 | 10 | 1 | 50 | 410 | 20500 |
| 31.03 .2017 | 20500 | 0.12 | 10 | 1.2 | 48 | 500 | 20000 |

Issue Price as on 0104.2015 Investment 920000/ Units purchased $20000(\mathrm{c} / \mathrm{i})=₹ 46$

* Let the units issued be X

X = (Closing Units/NAV + Dividend) $\times$ Dividend
(ii) Bonus Plan


## SOLUTION 5

(i) Personal earnings of Mr. Alex $=\mathrm{R} 1=15 \%$ Mutual Fund earnings $=\mathrm{R} 2$

$$
\begin{aligned}
& \text { R2 }=\frac{1}{1-\text { Initial Expenses }(\%)} \times \mathrm{R} 1+\text { Recurring expenses }(\%) \\
& =\frac{1}{1-0.06} \times 15 \%+2 \% \\
& =17.96 \%
\end{aligned}
$$

Mutual Fund earnings $=17.96 \%$
(ii) Net financial benefit to Mr. Alex if he invests his portfolio in Fund: Present Income of Mr. Alex

|  | ₹ Lakhs |
| :--- | ---: |
| Annual Professional Income (A) | 40.00 |
| Portfolio Value | 50.00 |
| Income on his Porffolio @ 15\% (B) | 7.50 |
| Total Income (A) + (B) | 47.50 |

Expected Income of Mr. Alex after investing the Portfolio in Multi-cap Fund:

|  | ₹ Lakhs |
| :--- | ---: |
| Annual Professional Income (A) | 40.00 |
| Additional Professional Income (B) | 4.00 |
| Portfolio Value | 50.00 |
| Income on his Portfolio @ 13\% (C) | 6.50 |
| Total Income (A) + (B) + (C) | 50.50 |

It is advisable to invest in Multi-cap Mutual Funds and devote the time on profession. He will get net benefit of ₹ 3 Lakhs (₹50.50-₹47.50)

## SOLUTION 6

## Working Notes:

(i) Calculation of Interest Accrued

| Name of Security | Maturity Date | Amount (₹) |  |  |
| :--- | ---: | ---: | :---: | :---: |
| $10.71 \%$ GOI 2028 | $100 \times 100000 \times 10.71 \% \times(3 / 12)$ | $2,67,750$ |  |  |
| $10 \%$ GOI 2023 | $100 \times 50000 \times 10.00 \% \times(3 / 12)$ | $1,25,000$ |  |  |
| Total |  |  |  | $3,92,750$ |

Note: Interests on two remaining securities shall not be considered as last interest was paid on 30.06.2016
(ii) Valuation of Securities

| Name of Security | Purchase Amount ₹ | Duration of Bonds | Volatility (\%) | $(+) /(-)$ | Total Amount ₹ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\begin{aligned} & \text { 10.71\% } \\ & \text { GOI } \\ & 2028 \end{aligned}$ | 1,04,78,000 | 7.3494 | $\frac{7.3494}{1.10} \times 0.75$ | - 5,25,053 | 99,52,947 |
|  |  |  | $=5.0110$ |  |  |
| $\begin{aligned} & 10 \% \text { GOI } \\ & 2023 \end{aligned}$ | 50,00,000 | 5.086 | $\frac{5.086}{1.05} \times 0.75$ | - 1,81,645 | 48,18,355 |
|  |  |  | $=3.6329$ |  |  |
| $\begin{aligned} & 9.5 \% \text { GOI } \\ & 2021 \end{aligned}$ | 39,17,200 | 4.3949 | $\frac{4.3949}{1.05} \times 0.75$ | - 1,22,969 | 37,94,231 |
|  |  |  | $=3.1392$ |  |  |
| $\begin{aligned} & 8.5 \% \text { SGL } \\ & 2025 \end{aligned}$ | 18,27,200 | 6.5205 | $\frac{6.5205}{1.10} \times 0.75$ | - 81,230 | 17,45,970 |
|  |  |  | $=4.4456$ |  |  |
|  |  |  |  |  | 2,03,11,503 |

## Calculation of NAV

| Particulars | $₹$ crores |
| :--- | ---: |
| Value of Securities as computed above | $2,03,11,503$ |
| Cash in hand | $6,72,800$ |
| Interest accrued | $3,92,750$ |
| Sub total assets (A) | $2,13,77,053$ |
| Less: Liabilities | $2,37,400$ |
| Expenditure accrued | $2,37,400$ |
| Sub total liabilities (B) | $2,11,39,653$ |
| Net Assets Value (A) - (B) | $1,00,000$ |
| No. of units | $₹ 211.40$ |
| Net Assets Value per unit (₹ 2,11,39,653/1,00,000) |  |

## Derivatives Analysis \& Valuation (Futures)

## Study Session 6

## SOLUTION 1

(i) Current price of the December Future = ₹ $100\left[1195+1195(0.095-0.03) \times \frac{91}{365}\right]$

$$
\begin{aligned}
& =₹ 100[1195+19.37] \\
& =₹ 1,21,437
\end{aligned}
$$

Since the current market price of December-15 is ₹ $1,22,500(₹ 100 \times 1225)$ it is overpriced.
(ii) Since the actual future is overpriced, the cash and carry arbitrage is possible i.e. sell the future contract and borrow to buy the stock.
(iii) September 15

Transaction
Cash Flow

| Buy $(1195 \times ₹ 100)=₹ 1,19,500$ worth of Stocks | $-₹ 1,19,500.00$ |
| :--- | ---: |
| Borrow ₹ $1,19,500 @ 9.50 \%$ for 91 days | + ₹ $1,19,500.00$ |
| Sell a Future Contract @ 1225 | 0 |
| Total | 0 |

(a) If on December 15, the Index closes at 1260

## Transaction

Cash Flow (₹)
Repay ₹ $1,19,500$ @ $9.50 \%$ for 91 days
Cancellation of Future Contract (1,22,500-1,26,000)

- 1,22,330.35

Sell 1,19,500 worth of Stocks @ 1,260

- 3,500.00
$\frac{1260}{1195} \times 1,19,500$
Dividend Earned @ 3\%
$+893.79$
$\frac{91}{365} \times 1,19,500 \times 3 \%$
Gain due to Arbitrage
+ 1,063.44
(b) If on December 15, the Index closes at 1175

| Transaction | Cash Flow (₹) |
| :--- | ---: |
| Repay ₹ 1,19,500 @ 9.50\% for 91 days | $\mathbf{- 1 , 2 2 , 3 3 0 . 3 5}$ |
| Cancellation of Future Contract (1,22,500 - 1,17,500) | $\mathbf{+ 5 , 0 0 0 . 0 0}$ |
| Sell 1,19,500 worth of Stocks @ 1,175 | $\mathbf{+ 1 , 1 7 , 5 0 0 . 0 0}$ |
| $\frac{1175}{1159} \times 1,19,500$ | $\mathbf{+ 8 9 3 . 7 9}$ |
| Dividend Earned @ 3\% |  |
| $\frac{91}{365} \times \mathbf{1 , 1 9 , 5 0 0 ~} \mathbf{3} \%$ | $\mathbf{+ 1 , 0 6 3 . 4 4}$ |
| Gain due to Arbitrage |  |

## SOLUTION 2

(a) Yes, the apprehension of CEO is correct as the current portfolio is more riskier than market as the beta (Systematic Risk) of market portfolio is as computed as follows:

| Shares | No. of <br> shares <br> (lakhs) (1) | Market Price of Per <br> Share (2) (₹) | (1) $\times(\mathbf{2 )}$ <br> (₹ lakhs) | \% to <br> total <br> (w) | B (x) | Wx |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| X Ltd. | 6.00 | 1000.00 | 6000.00 | 0.30 | 1.50 | 0.45 |
| Y Ltd. | 8.00 | 1500.00 | 12000.00 | 0.60 | 1.30 | 0.78 |
| Z Ltd. | 4.00 | 500.00 | 2000.00 | 0.10 | 1.70 | 0.17 |
|  |  |  | 20000.00 | 1.00 |  | 1.40 |

(b) Since the Beta of existing portfolio is 1.40, the systematic risk of the current portfolio is 1.40 .
(c) Required Beta

Let the proportion of risk-free securities for target beta $0.95=\mathrm{p}$
$0.95=0 \times p+1.40(1-p)$
$p=0.32$ i.e. $32 \%$
Shares to be disposed off to reduce beta ( $20000 \times 32 \%$ ) ₹ 6,400 lakh and Risk Free securities to be acquired for the same amount.
(d) Number of shares of each company to be disposed off

| Shares | \% to total <br> $\mathbf{( w )}$ | Proportionate <br> Amount (₹ lakhs) | Market Price <br> Per Share (₹) | No. of Shares <br> (Lakh) |
| :--- | ---: | ---: | ---: | ---: |
| X Ltd. | 0.30 | 1920.00 | 1000.00 | 1.92 |
| Y Ltd. | 0.60 | 3840.00 | 1500.00 | 2.56 |
| Z Ltd. | 0.10 | 640.00 | 500.00 | 1.28 |

(e) Since, the company is in long position in cash market it shall take short position in Future Market.

Number of Nifty Contract to be sold
$\frac{(1.40-0.95) \times 20000 \mathrm{lakh}}{8,250 \times 210}=519$ contracts
(f) If there is $2 \%$ rises in Nifty there will be $2.80 \%(2 \% \times 1.40)$ rise for portfolio of shares

|  | ₹ Lakh |
| :--- | ---: |
| Current Value of Portfolio of Shares | 20000 |
| Value of Portfolio after rise | 20560 |
| Mark-to-Market Margin paid (8250 $\times 0.020 \times ₹ 210 \times$ | 179.83 |
| 519$)$ | 20380.17 |
| Value of the portfolio after rise of Nifty | $1.90 \%$ |
| \% change in value of portfolio $(20380.17-20000) / 20000$ | $2 \%$ |
| \% rise in the value of Nifty | 0.95 |
| New Systematic Risk (Beta) |  |

## SOLUTION 3

(i) Current portfolio

Current Beta for share $=1.4$
Beta for cash $=0$
Current portfolio beta $=\frac{120 \text { lakhs }}{130 \text { lakhs }} \times 1.4+0 \times \frac{10 \text { lakhs }}{130 \text { lakhs }}=1.2923$
(ii) Portfolio beta after 4 months:

Beta for portfolio of shares $=\frac{\text { Change in Value of Portfolio of share }}{\text { Change in Value of Market Portfolio (Index) }}$
$1.4=\frac{0.018}{\text { Change in Value of Market Portfolio (Index) }}$
Change in value of market portfolio (Index) $=(0.018 / 1.4) \times 100=1.2857$

Position taken on 100 lakh Nifty futures
Value of index after 4 months
: Long
$=₹ 130$ lakh $\times$ ( $1.00-0.012857$ )
= ₹ 128.3286 lakh

Mark-to-market paid
Cash balance after payment of mark-to-market Value of portfolio after 4 months
₹ 130 lakh - ₹ 126.1686 lakh

Change in value of portfolio

Portfolio beta

```
= ₹ 1.6714 lakh
= ₹ }8.3286 lak
= ₹ 120 lakh x (1-0.018) + ₹ 8.3286 lakh
= ₹ 126.1686 lakh
```

$=\frac{₹ 130 \mathrm{lakh}-₹ 126.1686 \mathrm{lakh}}{₹ 130 \mathrm{lakh}}$
$=2.9472 \%$
$=0.029472 / 0.012857$
$=2.2923$

## SOLUTION 4

(a) The Forward Price shall be $=S_{0} e^{n(r-y)}$

Where
$\mathrm{S}_{0}=$ Spot price $\mathrm{n}=$ period
$r=$ risk free rate of interest $y=$ dividend yield Accordingly,
Forward Price $=2290 e^{90 / 365(0.0416-0.0175)}$
$=2290 e^{0.005942}$
$=2290(1.005960)$
$=2303.65$
(b) Gain/loss on Long Position after 28 days
$=2450-2290 e^{28 / 365(0.0416-0.0175)}$
$=2450-2290 e^{0.001849}$
$=2450-2290(1.001851)$
$=2450-2294.24$
$=155.76$
(c) Gain/loss on Long Position at maturity
$=S_{n}-S_{0} e^{n(r-y)}$
$=2470.00-2303.65$
$=166.35$

## SOLUTION 5

The optional hedge ratio to minimize the variance of Hedger's position is given by:
$H=p \frac{\sigma S}{\sigma F}$
Where
$\sigma_{\mathrm{S}}=$ Standard deviation of $\Delta S$
$\sigma_{F}=$ Standard deviation of $\Delta F$
$\rho=$ coefficient of correlation between $\Delta S$ and $\Delta F$
$\mathrm{H}=$ Hedge Ratio
$\Delta S=$ change in Spot price.
$\Delta \mathrm{F}=$ change in Future price.
Accordingly

$$
H=0.75 \times \frac{0.04}{0.06}=0.5
$$

No. of contract to be short $=10 \times 0.5=5$
Amount $=5000 \times ₹ 474=₹ 23,70,000$

## SOLUTON 6

(i) The price of one Future Contract

Let $X$ be the Price of Future Contract. Accordingly,
$5=\frac{₹ 9,00,000}{X}$
$X($ Price of One Future Contract) $=₹ 1,80,000$
(ii) Current Future price of the index $=\frac{{ }^{₹ 1,80,000}}{75}=2400$

Let Y be the current Nifty Index (on 1st February 2020) then
Accordingly, $Y+Y(0.09-0.06) \frac{4}{12}=2400$
and $Y=\frac{2400}{1.01}=2376.24$
Hence Nifty Index on 1st February 2020 shall be approximately 2376.
(iii) To determine whether the market is in Contango/ Backwardation first we shall compute Basis as follows:

Basis $=$ Spot Price - Future Price
If Basis is negative the market is said to be in Contango and when it is positive the market is said to be Backwardation.

Since current Spot Price is 2400 and Nifty Index is 2376 , the Basis is negative and hence there is Contango Market and maximum Contango shall be 24 (2400-2376).
(iv) Pay off on the Future transaction shall be [(2400-2100) x 375] =₹ 112500

The Future seller gains if the Spot Price is less than Futures Contract price as position shall be reversed at same Spot price. Therefore, Mr. SG has gained ₹ 1,12,500/- on the Short position taken.

## Canal <br> SFM <br> LIST OF IMPORTANT QUESTIONS' SOLUTIONS NOV 2022 <br> Derivatives Analysis \& Valuation (Options)

## Study Session 7

## SOLUTION 1

Total premium paid on purchasing a call and put option

$$
\begin{aligned}
& =(₹ 30 \text { per share } \times 100)+(₹ 5 \text { per share } \times 100) . \\
& =3,000+500=₹ 3,500
\end{aligned}
$$

In this case, X exercises neither the call option nor the put option as both will result in a loss for him.
Ending value $=-₹ 3,500+$ zero gain $=-₹ 3,500$
i.e Net loss = ₹3,500

Since the price of the stock is below the exercise price of the call, the call will not be exercised. Only put is valuable and is exercised.
Total premium paid $=₹ 3,500$
Ending value $=-₹ 3,500+₹[(450-350) \times 100]=-₹ 3,500+₹ 10,000=₹ 6,500$
Net gain $=$ ₹ 6,500
In this situation, the put is worthless, since the price of the stock exceeds the put's exercise price.
Only call option is valuable and is exercised.
Total premium paid $=₹ 3,500$
Ending value $=-3,500+[(600-550) \times 100]$
Net Gain $\quad=-3,500+5,000=₹ 1,500$

## SOLUTION 2

(1) Expected Share Price

$$
\text { = ₹120X } 0.05+₹ 140 \times 0.20+₹ 160 \times 0.50+₹ 180 \times 0.10+₹ 190 \times 0.15
$$

$$
=₹ 6+₹ 28+₹ 80+₹ 18+₹ 28.50=₹ 160.50
$$

(2) Value of Call Option
= ₹ 150 - ₹ $150=$ Nil
(3) If the option is held till maturity the expected Value of Call Option

| Expected price (X) | Value of call (C) | Probability (P) | CP |
| :--- | ---: | ---: | ---: |
| ₹ 120 | 0 | 0.05 | 0 |
| ₹ 140 | 0 | 0.20 | 0 |
| $₹ 160$ | $₹ 10$ | 0.50 | $₹ 5$ |
| ₹ 180 | $₹ 30$ | 0.10 | ₹ |
| $₹ 190$ | ₹ 40 | 0.15 | ₹ |
|  |  | Total | ₹ 14 |

Alternatively, it can also be calculated as follows:
Expected Value of Option

| $(120-150) \times 0.1$ | Not Exercised* |
| :--- | :--- |
| $(140-150) \times 0.2$ | Not Exercised* |
| $(160-150) \times 0.5$ | 5 |
| $180-150) \times 0.1$ | 3 |
| $(190-150) \times 0.15$ | 6 |
|  | 14 |

* If the strike price goes below ₹ 150 , option is not exercised at all.


## SOLUTION 3

Spot price $=60$ [Given] ; Low Price at one year $=70 \%$ of ₹ $60=$ ₹ 42 [Given];
High price (after calculation) $=₹ 81 \%$ Increase in price $=\frac{81-60}{60} \times 100=35 \%$
Working Note:

| (1) Maturity | Value of Call <br> as on Expiry | Probability | Expected Value |
| :---: | :---: | :---: | :---: |
| X | $\mathrm{X}-55$ | $\frac{60(1+.12)-42}{X-42}(W N-1)$ | $16.8(\mathrm{WN}-3)$ |
| 42 | 0 | $\frac{60(1+.12)-42}{X-42}(W N-2)$ | 0 |
|  |  |  | $\mathbf{1 6 . 8}$ |

(2) Probability of price Increase $(p)=\frac{60(1+.12)-42}{x-42}$ and therefore

Probability of price Decrease ( $1-p$ ) $=1-\frac{60(1+.12)-42}{x-42}$
(3) Option Premium after one year $=15(1+.12) 1=16.8$

Now: $(x-55) \frac{60(1+.12)-42}{x-42}=16.8 \geq \frac{(x-55)}{x-42} \times 25.2=16.8 \geq \frac{(x-55)}{x-42}=.67 \times 55=67 \times-28.14$
$\geq X-0.67 X=28.14+55 \geq 33 X=26.86 \geq X=81.40 \geq 81$ (approx.)

## SOLUTION 4

(i) Using the single period model, the probability of price moving up is

$$
\mathrm{P}=\frac{R-d}{u-d}=\frac{1.05127-\frac{95}{100}}{\frac{108}{100}-\frac{95}{100}}=\frac{0.10127}{0.13}=0.779 \text { say } 0.78 \text { i.e. } 78 \%
$$

Therefore, the probability of price moving down $=1-0.78=0.22$ i.e. $22 \%$
(ii) Expected pay-off at

> Node N2
> $\frac{0.78 \times 18.64+0.22 \times 4.60}{1.05127}=\frac{15.55}{1.05127}=₹ 14.79$

## Node N3

$\frac{0.78 \times 4.60+0.22 \times 0}{1.05127}=\frac{3.588}{1.05127}=₹ 3.41$
Node N1

$$
\frac{0.78 \times 14.79+0.22 \times 3.41}{1.05127}=\frac{12.286}{1.05127}=₹ 11.69
$$

## SOLUTION 5

(i) To compute perfect hedge we shall compute Hedge Ratio ( $\Delta$ ) as follows:
$\Delta=\frac{\mathrm{C} 1-\mathrm{C} 2}{\mathrm{~S} 1-\mathrm{S} 2}=\frac{100-0}{650-450}=\frac{100}{200}=0.50$
The investor should purchase 0.50 share for every 1 call option
Or, the investor should purchase 1 share for every 2 Call Option.
(ii) How the investor will be able to maintain his position if he purchase 0.50 share for 1 call option written.
(a) If price of share goes upto ₹ 650 then value of purchased share will be:
Sale Proceeds of Investment
( $0.50 \times ₹ 650$ )
₹ 325
Loss on account of Short Position (₹ 650 - ₹ 550) ₹ 100
₹ 225
(b) If price of share comes down to ₹ 450 then value of purchased share will be: Sale Proceeds of Investment ( $0.50 \times$ ₹ 450)
₹ 225
(iii) The Value of Option, say, P at the beginning of the period shall be computed as follows:
(₹ 250 - P) $1.05=₹ 225$
₹ $262.50-1.05 \mathrm{P}=$ ₹ 225
₹ $37.5=1.05 \mathrm{P}$ P = ₹ 35.71
(iv) Expected Return on the Option

Expected Option Value $=(₹ 650-₹ 550) \times 0.70+₹ 0 \times 0.30=₹ 70$
Expected Rate of Return $=\frac{70-35.71}{35.71} \times 100=96.02 \%$

## SOLUTION 6

Applying the Black Scholes Formula, Value of the Call option now:
The Formula Value of option $=V_{S} N\left(d_{1}\right)-\frac{E}{e^{r t}} N\left(d_{2}\right)$

$$
d_{1} \quad=\frac{\operatorname{In}(S / E)+\left(r+\frac{\sigma^{2}}{2}\right) t}{\sigma \sqrt{t}}
$$

$d_{2}=d_{1}-\sigma \sqrt{t}$
Where,
C = Theoretical call premium
S = Current stock price
$\dagger=$ time until option expiration
$\mathrm{K}=$ option striking price
$r=$ risk-free interest rate
$\mathrm{N}=$ Cumulative standard normal distribution $\mathrm{e}=$ exponential term
$\sigma=$ Standard deviation of continuously compounded annual return.
In = natural logarithim
d1

$$
=\frac{\operatorname{In}(1.0667)+(0.12+0.08) 0.50}{0.40 \sqrt{0.50}}
$$

$=\frac{0.0646+0.20 \times 0.50}{040 \times 0.7071}$
$=\frac{0.1646}{0.2828}$
$=0.5820$
$\mathrm{d} 2=0.5820-0.2828=0.2992$
$N(\mathrm{~d} 1)=N(0.5820)=0.7197$
$\mathrm{N}(\mathrm{d} 2)=\mathrm{N}(0.2992)=0.6176$
$\mathrm{C}=V_{S} N\left(d_{1}\right)-\frac{E}{e^{r t}} N\left(d_{2}\right)$
$=80 \times 0.7197-\frac{75}{1.062} \times 0.6176$
$=57.57-70.62 \times 0.6176$
$=57.57-43.61$
= ₹ 13.96
Teaching Notes:
Students may please note following important point:
Values of $N(\mathrm{~d} 1)$ and $N(\mathrm{~d} 2)$ have been computed by interpolating the values of areas under respective numbers of SD from Mean $(Z)$ given in the question.
It may also be possible that in question paper areas under Z may be mentioned otherwise
e.g. Cumulative Area or Area under Two tails. In such situation the areas of the respective Zs given in the question will be as follows:
Cumulative Area

| Number of S.D. from Mean, $(\mathbf{z})$ | Cumulative Area |
| :--- | :--- |
| 0.25 | 0.5987 |
| 0.30 | 0.6179 |

## LIST OF IMPORTANT QUESTIONS' CA FINAL SOLUTIONS NOV 2022 SFM

|  | 0.55 | 0.7088 |
| :---: | :---: | :---: |
|  | 0.60 | 0.7257 |
| $\Gamma$ | Two tail area |  |
| $\rightarrow$ | Number of S.D. from Mean, (z) | Area of the left and right (two tail) |
| $\bigcirc$ | 0.25 | 0.8026 |
| - | 0.30 | 0.7642 |
| $\overline{3}$ | 0.55 | 0.5823 |
| $\bigcirc$ | 0.60 | 0.5485 |

## CA FINAL SFM <br> LIST OF IMPORTANT QUESTIONS' SOLUTIONS NOV 2022 <br> Foreign Exchange Exposure \& Risk Management

## Study Session 8

## SOLUTION 1

2 year Forward Rate will be calculated as follows: $\mathrm{F}=\mathrm{Se}^{\left(\mathrm{r}_{\mathrm{vk}}-\mathrm{r}_{\mathrm{v}_{\mathrm{s}}}\right)^{t}}$
Where F = Forward Rate
$\mathrm{S}=$ Spot Rate
$\mathrm{r}_{\mathrm{uk}} \quad=$ Risk Free Rate in UK
$r_{\text {us }} \quad=$ Risk Free Rate in US
$\dagger \quad=$ Time
Accordingly,
$F=0.75 e^{(0.05-0.08) 2}$
$=0.75 \times 0.9418$
$=0.7064$
Thus,
1 US \$ = £ 0.7064
If forward rate is 1 US $\$=0.85 £$ then an arbitrage opportunity exists. Take following steps.
a) Should borrow UK $£$
b) Buy US \$
c) Enter into a short forward contract on US \$ Accordingly,

The riskless profit would be
a) Say borrow $£ 0.7064 \mathrm{e}-(0.05)(2)=£ 0.6392$ and invest in UK for 2 yea₹
b) Now buy US $\$$ at US $\$ 1 \mathrm{e}-(0.08) 2=$ US $\$ 0.8521$, so that after two year it can be used to close out the position.
c) After two year the investment in US $\$$ will become US $\$ 0.8521 \mathrm{e}(0.08)(2)=$ US $\$ 0.8521 \times 1.1735$ =
1 US \$
d) Sell this US $\$$ for $£ 0.85$ and repay loan of $£ 0.6392$ along with interest i.e $£ 0.7064$. Thus arbitrage profit will be UK£ $0.85-$ UK£ $0.7064=$ UK£ 0.1436 say UK£ 0.144

## SOLUTION 2

(a) On 28th February 2019 bank would purchase form the exporter US\$ 200000 at the agreed rate i.e. ₹ $71.50 / \$$. However, bank will charge for this early delivery consisting of Swap Difference and Interest on outlay of funds.
(i) Swap Difference

| Bank sells at | ₹ 71.20 |
| :--- | ---: |
| It buys at | ₹ 71.35 |
| Swap loss per US\$ | ₹ 0.15 |
| Swap loss for \$ 200000 is ₹ 30,000 |  |

(ii) Interest on Outlay of funds

| On February Bank sell \$ in Market | $₹ 71.20$ |
| :--- | ---: |
| Bank buys from customer | $₹ 71.50$ |
| Outlay per US \$ | $₹ 0.30$ |
| Outlay of funds for US\$ 200000 | $₹ 60,000$ |

Interest of outlay of funds on ₹ 60,000 for 31 days ( $1^{\text {st }}$ March 2019 to $31^{\text {st }}$ March 2019) at $15 \%$ p.a. i.e. ₹ 764
(iii) Charges for early delivery

| Swap Loss | $₹ 30,000$ |
| :--- | ---: |
| Interest on Outlay of Funds | $₹ 764$ |
|  | $₹ 30,764$ |

(iv) Net Inflow to Global Ltd.

| Proceed of US \$200000@₹ 71.50 | $₹ 1,43,00,000$ |
| :--- | ---: |
| Less: Charges for early delivery | $₹ 30,764$ |
| Net Inflow | ₹ $1,42,69,236$ |

## SOLUTION 3

In each of the case first the FEADI Rule of Automatic Cancellation shall be applied and customer shall pay the charges consisted of following:
(a) Exchange Difference
(b) Swap Loss
(c) Interest on Outlay Funds
(a) Exchange Difference
(1) Cancellation Rate:

The forward sale contract shall be cancelled at Spot TT Purchase for $\$$ prevailing on the date of cancellation as follows:

| \$/ ₹ Market Buying Rate | ₹ 65.9600 |
| :--- | ---: |
| Less: Exchange Margin @ 0.10\% | ₹ 0.0660 |
|  | ₹ $\mathbf{6 5 . 8 9 4 0}$ |

(2) Amount payable on $\$ 50,000$

| Bank sells $\$ 50,000$ @ ₹ 66.8400 | ₹ $33,42,000$ |
| :--- | ---: |
| Bank buys $\$ 50,000$ @ ₹ 65.8950 | ₹ $32,94,750$ |
| Amount payable by customer | ₹ 47,250 |

(b) Swap Loss

On 10th September the bank does a swap sale of \$ at market buying rate of ₹ 66.1500 and forward purchase for September at market selling rate of ₹ 66.3200 .

| Bank buys at | ₹ 66.3200 |
| :--- | ---: |
| Bank sells at | ₹ 66.1500 |
| Amount payable by customer | ₹ $\mathbf{0 . 1 7 0 0}$ |

Swap Loss for \$50,000 in ₹ = ₹ 8,500
(c) Interest on Outlay of Funds

On 10thSeptember, the bank receives delivery under cover contract at ₹ 66.6800 and sell spot at ₹ 66.1500 .

| Bank buys at | ₹ 66.6800 |
| :--- | ---: |
| Bank sells at | ₹ 66.1500 |
| Amount payable by customer | ₹ 0.5300 |
| Outlay for \$ 50,000 in ₹ 26,500 |  |
| Interest on ₹ 26,500 @ 12\% for 10 days ₹ 87 |  |

(d) Total Cost

Cancellation Charges | ₹ $47,250.00$ |
| :--- | :--- |

Swap Loss ₹ 8,500.00
Interest
(e) New Contract Rate

The contract will be extended at current rate

| \$/ ₹ Market forward selling Rate for November | ₹ 66.4900 |
| :--- | ---: |
| Add: Exchange Margin @ 0.10\% | ₹ 0.0665 |

Add: Exchange Margin @ 0.10\%

Rounded off to ₹ 66.5575
(i) Charges for Cancellation of Contract = ₹ $55,838.00$ or ₹ $55,837.00$
(ii) Charges for Execution of Contract
Charges for Cancellation of Contract $\quad$ ₹ $55,837.00$

Spot Selling US\$ 50,000 on 20th September at ₹ $65.9900+0.0660$ (Exchange Margin) = ₹ 66.0560 rounded to ₹ 66.0550 ₹ $33,02,750.00$
₹ 33,58,587.00
(iii) Charges for Extension of Contract

Charges for Cancellation of Contract ₹ 55837
New Forward Rate
₹ 66.5575

## SOLUTION 4

(A) To cover payable and receivable in forward Market

| Amount payable after 3 months | $\$ 7,00,000$ |
| :--- | ---: |
| Forward Rate | $₹ 48.45$ |
| Thus Payable Amount (₹) (A) | $₹ 3,39,15,000$ |
| Amount receivable after 2 months | $\$ 4,50,000$ |
| Forward Rate | $₹ 48.90$ |
| Thus Receivable Amount (₹) (B) | $₹ 2,20,05,000$ |
| Interest @ 12\% p.a. for 1 month (C) | $₹ 2,20,050$ |
| Net Amount Payable in (₹) (A) - (B) - (C) | $₹ 1,16,89,950$ |

(B) Assuming that since the forward contract for receivable was already booked it shall be cancelled if we lag the receivables. Accordingly any profit/ loss on cancellation of contract shall also be calculated and shall be adjusted as follows:

| Amount Payable (\$) | $\$ 7,00,000$ |
| :--- | ---: |
| Amount receivable after 3 months | $\$ 4,50,000$ |
| Net Amount payable | $\$ 2,50,000$ |
| Applicable Rate | $₹ 48.45$ |
| Amount payable in (₹) (A) | $₹ 1,21,12,500$ |

Profit on cancellation of Forward cost (48.90-48.30) $\times 4,50,000$ (B) ₹2,70,000
Thus net amount payable in ( $₹$ ) $(A)+(B)=₹ 1,18,42,500$
Since net payable amount is least in case of first option, hence the company should cover payable and receivables in forward market.
Note: In the question it has not been clearly mentioned that whether quotes given for 2 and 3 months (in points terms) are premium points or direct quotes. Although above solution is based on the assumption that these are direct quotes, but students can also consider them as premium points and solve the question accordingly.

## SOLUTION 5

Since the direct quote for $¥$ and $₹$ is not available it will be calculated by cross exchange rate as follows:
₹/\$x \$/*

$$
=₹ / \neq
$$

$$
62.22 / 102.34=0.6080
$$

$$
\text { Spot rate on date of export } 1 \neq \quad \text { ₹ } 0.6080
$$

$$
\text { Expected Rate of } ¥ \text { for August } 2014=₹ 0.5242(₹ 65 / \neq 124)
$$

$$
\text { Forward Rate of } ¥ \text { for August } 2014=₹ 0.6026 \text { (₹ } 66.50 / \neq 110.35)
$$

(i) Calculation of expected loss without hedging

| Value of export at the time of export ( $₹ 0.6080 \times \neq 10,000,000$ ) Estimated payment to be received on Aug. 2014 (₹ 0.5242 x | ₹ 60,80,000 |
| :---: | :---: |
| ¥ $10,000,000$ ) | ₹ 52,42,000 |
| Loss | ₹ 8,38,000 |
| Hedging of loss under Forward Cover |  |
| ₹ Value of export at the time of export (₹ $0.6080 \times ¥ 10,000,000$ ) Payment to be received under Forward Cover (₹ $0.6026 \times ¥ 10,000,000$ ) | ₹ 60,80,000 |
| Loss | ₹ $60,26,000$ |
|  | ₹ 54,000 |

By taking forward cover loss is reduced to ₹ 54,000.
(ii) Actual Rate of $¥$ on August $2014=₹ 0.5977$ (₹ 66.25/ $¥ 110.85$ )

| Value of export at the time of export ( $₹ 0.6080 \times ¥ 10,000,000)$ Estimated |  |
| :--- | :--- |
| payment to be received on Aug. 2014 ( $₹ 0.5977 \times ¥ 10,000,000$ ) | $₹ 60,80,000$ |
| Loss | $₹ 59,77,00$ |
|  | $₹ 1,03,000$ |

The decision to take forward cover is still justified.

## SOLUTION 6

(i) To Buy 1 Million GBP Spot against CHF

First to Buy USD against CHF at the cheaper rate i.e. from Bank A. 1 USD = CHF 1.4655
Then to Buy GBP against USD at a cheaper rate i.e. from Bank B 1 GBP=USD 1.7650 By applying chain rule Buying rate would be
$1 \mathrm{GBP}=1.7650$ * 1.4655 CHF
1 GBP = CHF 2.5866
Amount payable CHF 2.5866 Million or CHF 25,86,600
$\begin{array}{ll}\text { (ii) Spot rate Bid rate } & \text { GBP } 1=\text { CHF } 1.4650^{*} 1.7645=\text { CHF } 2.5850 \\ \text { Offer rate } & \text { GBP } 1=\text { CHF } 1.4655^{*} 1.7660=\text { CHF } 2.5881\end{array}$
GBP / USD 3 months swap points are at discount
Outright 3 Months forward rate GBP $1=$ USD $1.7620 / 1.7640$
USD / CHF 3 months swap points are at premium
Outright 3 Months forward rate USD $1=$ CHF $1.4655 / 1.4665$
Hence
Spot rate GBP $1=$ CHF 2.5850 / 2.5881
Therefore 3 month swap points are at discount of 28/12.

## SOLUTION 7

(i) If investment is made at London

| Convert US $\$ 5,00,000$ at Spot Rate $(5,00,000 / 1.5390)$ | $£ 3,24,886$ |
| :--- | ---: |
| Add: $£$ Interest for 3 months on $£ 324,886 @ 5 \%$ | $£ 4,061$ |
|  | $£ 3,28,947$ |
| Less: Amount Invested | $\$ 5,00,000$ |
| Interest accrued thereon | $\$ 5,000$ |
|  | $\$ 5,05,000$ |
| Equivalent amount of $£$ required to pay the above sum $(\$ 5,05,000 / 1.5430)$ | $£ 3,27,285$ |
| Arbitrage Profit | $£ 1,662$ |

(ii) If investment is made at New York

Gain \$ 5,00,000 (8\%-4\%) x 3/12
\$5,000
Equivalent amount in $£ 3$ months (\$5,000/1.5475)
(iii) If investment is made at Frankfurt

Convert US\$ 500,000 at Spot Rate (Cross Rate) 1.8260/1.5390
€ 1.19
Euro equivalent US\$ 500,000

Add: Interest for 3 months @ 3\%
3 month Forward Rate of selling $€(1 / 1.8150)$
Sell $€$ in Forward Market $€ 5,97,699 \times £ 0.5510$
Less: Amounted invested and interest thereon
Arbitrage Profit
€ 4,449
€ 5,97,699
$£ 0.5510$
£ 3,29,332
£ 3,27,285
£ 2,047
Since out of three options the maximum profit is in case investment is made in New York. Hence it should be opted.

## SOLUTION 8

(i) Receipts using a forward contract $(3,00,000 / 0.0147)$
$=₹ 2,04,08,163$
(ii) Receipts using currency futures

The number of contracts needed is $(3,00,000 / 0.0151) / 6,40,000=31.04$
say 31
Initial margin payable is $31 \times ₹ 24,000=₹ 7,44,000$
On July 1 Close at 0.0147
Receipts = US\$3,00,000/0.0146 = ₹ 2,05,47,945
Variation Margin
$=[(0.0151-0.0147) \times 31 \times 640000 /-] / 0.0146$
OR ( $0.0004 \times 31 \times 640000) / 0.0146=7936 / 0.0146$
5,43,562
2,10,91,507
Less: Interest Cost $-7,44,000 \times 0.085 \times 3 / 12 \quad 15,810$
Net Receipts
₹ $2,10,75,697$
iii) No hedge

US\$ 3,00,000/0.0146
₹ $2,05,47,945$
The most advantageous option would have been to hedge with futures.

## SOLUION 9

In the given case, the exchange rates are indirect. These can be converted into direct rates as follows:
Spot rate
1 USD

$$
=\frac{1}{1.5673} \text { GBP } \quad---\quad \frac{1}{1.5617} \text { GBP }
$$

1 USD = GBP 0.63804 ---- GBP 0.64033

## 6 months' forward rate

1 USD
$=\frac{1}{1.5609}$ GBP
---- $\frac{1}{1.5455}$ GBP
1 USD = GBP 0.64066 ---- GBP 0.64704

Payoff in 3 alternatives
(i) Forward Cover

| Amount payable | USD 3,64,897 |
| :--- | ---: |
| Forward rate | GBP 0.64704 |
| Payable in | GBP $2,36,103$ |

## (ii) Money market Cover

Amount payable
PV @ 4.5\% for 6 months i.e $\frac{1}{1.0225}=0.9779951$
Spot rate purchase
Borrow GBP 3,56,867 $\times 0.64033$
Interest for 6 months @ 7 \%
Payable after 6 months

USD 3,64,897
USD 3,56,867
GBP 0.64033
GBP 2,28,512
GBP 7,998
GBP 2,36,510
(iii) Currency options

Amount payable
Unit in Options contract
Value in USD at strike rate of $1.70($ GBP $12,500 \times 1.70)$
Number of contracts USD 3,64,897/ USD 21,250
Exposure covered USD 21,250 $\times 17$
Exposure to be covered by Forward ( USD 3,64,897 - USD 3,61,250)
Options premium $17 \times$ GBP 12,500 $\times 0.096$
Premium in GBP (USD $20,400 \times 0.64033$ )
Total payment in currency option
Payment under option ( $17 \times 12,500$ )
Premium payable
Payment for forward cover (USD 3,647 $\times 0.64704$ )

USD 3,64,897
GBP 12,500
USD 21,250
17.17

USD 3,61,250
USD 3,647
USD 20,400
GBP 13,063
GBP 2,12,500
GBP 13,063
GBP 2,360
GBP 2,27,923

Thus total payment in:

| (i) | Forward Cover | $2,36,103 \mathrm{GBP}$ |
| :--- | :--- | :--- |
| (ii) | Money Market | $2,36,510 \mathrm{GBP}$ |
| (iii) | Currency Option | $2,27,923 \mathrm{GBP}$ |

The company should take currency option for hedging the risk.

## SOLUTION 10

(i) Return of a US Investor
$=\frac{\text { Ending Price }- \text { Initial Price }}{\text { Initial Price }} \times 100$
$=\frac{1919-2028}{2028} \times 100=-5.37 \%$
(ii) Return of Mr. X

| Initial Investment $(₹)$ | 1.58 Crore |
| :--- | :--- |
| Applicable Exchange Rate on 1.1.20x1 | $₹ 62.25$ |
| Equivalent US\$ | US\$ 2,53,815.26 |
| Purchase Price of Standard \& Poor Index | 2028 |
| No. of Standard \& Poor Indices Purchased | 125.16 |
| Ending Price of Standard \& Poor Index | 1919 |
| Proceeds realised in US\$ on sale of Standard \& Poor Index | US\$ 2,40,182.04 |
| Applicable Exchange Rate on 1.1.20x2 | $₹ 67.25$ |
| Proceeds realised in INR on sale of Standard \& Poor Index | $₹ 1,61,52,242$ |
| Rate of Return $\left(\frac{16152242-15800000}{15800000} \times 100\right)$ | $2.23 \%$ |

(iii) Rate of Return had the amount been invested in India

| Initial Investment (₹) | 1.58 Crore |
| :--- | :--- |
| Purchase Price of Indian Index | 7395 |
| No. of Standard \& Poor Indices Purchased | 2136.58 |
| Let Ending Price of Indian Index | X |
| Then to be indifferent with return in International Market | $\frac{2136.58 \times X-1.58}{1.58} \times 100=2.23$ |
| Price of Indian Index to be indifferent | $\mathbf{7 5 5 9 . 9 0}$ say 7560 |

## SOLUTION 11

Net Cost under each of the Options is as follows:
(i) Loan from German Bank Cost $=5 \%+0.25 \%=5.25 \%$
(ii) Loan from US Parent Bank

| Effective Rate of Interest $\left(\frac{4}{1-0.08}\right)$ | $4.35 \%$ |
| :--- | :--- |
| Premium on US\$ $\left(\frac{1.05}{1.04}-1\right)$ | $0.96 \%$ |


| Net Cost | $5.31 \%$ |
| :--- | :--- |

(iii) Loan from Swiss Bank

| Effective Rate of $\operatorname{Interest}\left(\frac{3}{1-0.08}\right)$ | $3.26 \%$ |
| :--- | :--- |
| Premium on US\$ $\left(\frac{1.05}{1.03}-1\right)$ | $1.94 \%$ |
| Net Cost | $5.20 \%$ |

Thus, loan from Swiss Bank is the best option as the Total Outflow including Interest is Less i.e. € 105200
SOLUTION 12
Exchange Position:

| Particulars | Purchase Sw. Fcs. | Sale Sw. Fcs. |
| :---: | :---: | :---: |
| Opening Balance Overbought | 50,000 |  |
| Bill on Zurich | 80,000 |  |
| Forward Sales - TT |  | 60,000 |
| Cancellation of Forward Contract |  | 30,000 |
| TT Sales |  | 75,000 |
| Draft on Zurich cancelled | 30,000 | - |
|  | 1,60,000 | 1,65,000 |
| Closing Balance Oversold | 5,000 | - |
|  | 1,65,000 | 1,65,000 |
| Cash Position (Nostro A/c) |  |  |
|  | Credit | Debit |
| Opening balance credit | 1,00,000 | - |
| TT sales | - | 75,000 |
|  | 1,00,000 | 75,000 |
| Closing balance (credit) | - | 25,000 |
|  | 1,00,000 | 1,00,000 |

The Bank has to buy spot TT Sw. Fcs. 5,000 to increase the balance in Nostro account to Sw. Fcs. 30,000.
This would bring down the oversold position on Sw. Fcs. as Nil.
Since the bank requires an overbought position of Sw. Fcs. 10,000, it has to buy forward Sw. Fcs. 10,000.

## SOLUTION 13

(i) Calculation of Overall Cost

Upfront Fee (GBP 10 M @ 1.20\%)
₹ 1,20,000

Interest Payment (GBP $10 \mathrm{M} \times 3.55 \% \times 3.4$ ) ₹ 12,07,000
Hedging Cost (GBP $10 \mathrm{M} \times 4 \% \times 3.4$ ) ₹ $13,60,000$

$$
\begin{array}{ll}
\text { Total } & ₹ 26,87,000 \\
\text { Or } & ₹ 2.687 \text { million }
\end{array}
$$

Overall cost in \% terms on Annual Basis $=\frac{2.687 \text { million }}{1,00,00,000-1,20,000} \quad \times \frac{1}{3.4}$
$=\frac{2.687}{9.88} \times \frac{1}{3.4} \times 100$
$=8 \%$
Overall Cost in Rupee terms@ GBP $1=₹ 90 \times \frac{2.687}{9.88} \times 100=₹ 711.26$ lakhs
OR
Overall cost in \% terms on Annual Basis $=\frac{2.687 \text { million }}{1,00,00,000} \times \frac{1}{3.4}$
$=\frac{2.687}{1.00} \times \frac{1}{3.4} \times 100$
= 7.9\%

Overall Cost in Rupee terms@ GBP 1
OR
Calculation of overall cost
Interest \& Margin
Hedging cost
Onetime fee
Average loan maturity
Per annum cost 1.2/3.4
Annual overall cost in \% terms ( $A+B+C$ )
Overall Cost in Rupee terms@ GBP 1
$=10,000,000 \times 7.90 \% \times 90$
= ₹ $71,100,000$
(ii) Cost of Hedging in terms of Rupees $₹ 13,60,000 \times 90=₹ 12,24,00,000=₹ 12.24$ crores in Total OR
GBP10,000,000 X $90 \times 4 \%=₹ 3,60,00,000$ on Annual Basis
(iii) If K Ltd. pursues an aggressive approach then Gain/Loss in INR Depreciation/ Appreciation
shall be computed as follows:
(a) If INR depreciates by 10\%

| Re. loss per GBP $=90 \times 10 \%$ | $=₹ 9$ |
| :--- | :--- |
| Total Losses GBP10M | $=₹ 90$ Million |
| Less: Cost of Hedging | =₹ 36 Million |
| $\quad$ Net Loss | =₹ 54 million |

(b) If INR appreciates by $10 \%$
₹ Gains per GBP = ₹ $90 \times 10 \%$
= ₹ 9
Total Gain on Repayment of loan
Add: Saving in Cost of Hedging Net Gain
(A) $=3.55 \%$
(B) $=4 \%$
7.55\%
= $1.20 \%$
$=3.4$ years
(C) $\quad=0.35 \%$
$=7.9 \%$
$=10,000,000 \times 7.90 \% \times 90$
$=₹ 71,100,000$

Total Losses GBP10M
= ₹ 9
= ₹ 36 Million
₹ ₹ 54 million
$=90$ Million
$=36$ Million
$\equiv 126$ Million

## SOLUTION 14

(i) Do Nothing

We shall compute the cross rates in Spot Market on both days and shall compare the amount payable in INR on these two days.
On 1st February 2020

$$
\begin{array}{ll}
\text { Rupee - Dollar selling rate } & =₹ 75.50 \\
\text { Dollar - SKW } & =\text { SKW } 1190.00 \\
\text { Rupee - SKW cross rate } & =₹ 75.50 / 1190.00 \\
& =₹ 0.0634
\end{array}
$$

Amount payable to Importer as per above rate (1190 Million x ₹ 0.0634) ₹ 754.4600 Lakh On 1st March 2020

$$
\begin{array}{ll}
\text { Rupee - Dollar selling rate } & =₹ 75.75 \\
\text { Dollar - SKW } & =\text { SKW } 1188.00 \\
\text { Rupee - SKW cross rate } & =₹ 75.75 / 1188.00 \\
& =₹ 0.0638
\end{array}
$$

Amount payable to Importer as per above rate ( 1190 Million x ₹ 0.0638) ₹ 759.2200 Lakh Thus, Exchange Rate Loss $=(₹ 759.2200$ Lakh - ₹ 754.4600 Lakh) ₹ 4.7600 Lakh
(ii) Hedging in NDF

Since company needs SKW after one month it will take long position in SKW at quoted rate of SKW 1190/ USD and after one-month it will reverse its position at fixing rate of SKW 1187/USD.
The profit/ loss position will be as follows:

| Buy SKW 1190 Million and sell USD (1190 Million/ 1190) | USD 1,000,000 |
| :--- | :--- |
| Sell SKW 1190 Million and buy USD at Fixing Rate (1190 Million/1185) | USD 1,004,219 |
| Profit | USD 4,219 |

Final Position

| Amount Payable in Spot Market (as computed earlier) | ₹ 759.2200 Lakh |
| :--- | :--- |
| Less : Profit from NDF Market USD 4219×75.50 | $₹ 3.1853$ Lakh |
|  | $₹ 756.0347$ Lakh |

Thus, Exchange Rate Loss $=(₹ 756.0347$ Lakh - ₹ 754.4600 Lakh) ₹ 1.5747 Lakh
Decision: Since Exchange Loss is less in case of NDF same can be opted for.

## SOLUTION 15

(i) Nominal rate of return to the US investor

| Size of investment (\$) | $20,00,000$ |
| :--- | ---: |
| Size of investment (₹) $(\$ 20,00,000 \times 42.50)$ | $8,50,00,000$ |
| Sensex at To | 3,256 |
| No. of units of Sensex that can be purchased at |  |
| To | 26,105 |
| (₹ 8,50,00,000/3,256) | 3,765 |
| Sensex at T1 | $9,82,85,325$ |
| Sale of Sensex (26,105 x 3,765) | $₹ 43.90$ |
| US\$ at T1 | $22,38,846$ |
| Equivalent Amount in US\$ | $2,38,846$ |
| Gain in US\$ | $11.94 \%$ |
| Nominal rate to US investor |  |

(ii) Real Appreciation/Depreciation of Rupee

Real Exchange Rate (Buying) $=43.85 \frac{1+0.05}{1+0.09}=42.24$
Real Appreciation of $₹=\frac{42.50-42.24}{42.50} \times 100=0.61 \%$
(iii) Exchange rate if relevant purchasing power parity holds

Buying Rate $=42.50 \frac{1+0.09}{1+0.05}=44.12$
Selling rate $=42.60 \frac{1+0.09}{1+0.05}=44.22$
Exchange rate $=44.12 / 44.22$
(iv) Real return to Indian Investor in Sensex

Nominal Return $=\frac{3765-3256}{3256} \times 100=15.63 \%$
Real return $=\frac{1.1563}{1.09}-1=0.0608$ or $6.08 \%$

## SOLUTION 16

(i) Transit and usance period is 80 days. It will be rounded off to the lower of months and @ months forward bid rate is to be taken

| ₹/USD | ₹ 67.8000 |
| :---: | :---: |
| Add: Premium for 2 months | ₹ 0.2100 |
|  | ₹ 68.0100 |
| Less: Exchange margin @ 0.1\% | ₹ 0.0680 |
| Bid rate for USD | ₹ 67.9420 |
| USD/EUR | USD 1.0775 |
| Add: Premium | USD 0.0040 |
|  | USD 1.0815 |
| ₹/EUR Rate (67.942 $\times 1.0815$ ) | ₹ 73.4793 |
| Amount of Export Bill | EUR 5,00,000 |
| Less: EEFC | EUR 2,50,000 |
|  | EUR 2,50,000 |
| Exchange Rate | ₹ 73.4793 |

(ii) Cash Inflow ₹ $1,83,69,825$
(iii) Interest for 80 days @ $8 \%$ ₹ $3,22,101$

## SOLUTION 17

Amount realized on selling Danish Kroner 10,00,000 at ₹ 6.5150 per Kroner $=₹ 65,15,000$.

## Cover at London:

Bank buys Danish Kroner at London at the market selling rate.
Pound sterling required for the purchase (DKK 10,00,000 $\div$ DKK 11.4200 ) $=$ GBP $87,565.67$
Bank buys locally GBP $87,565.67$ for the above purchase at the market
selling rate of ₹ 74.3200 .
The rupee cost will be $\quad=₹ 65,07,88$
Profit (₹ $65,15,000$ - ₹ $65,07,881$ ) $=$ ₹ 7,119

## Cover at New York:

Bank buys Kroners at New York at the market selling rate.
Dollars required for the purchase of Danish Kroner (DKK10,00,000 $\div 7.5670$ ) $=$ USD 1,32,152.77
Bank buys locally USD 1,32,152.77 for the above purchase at the market
selling rate of ₹ 49.2625 .
The rupee cost will be
$=$ ₹ $65,10,176$.
Profit (₹ $65,15,000-₹ 65,10,176$ )
$=$ ₹ 4,824
The transaction would be covered through London which gets the maximum profit of ₹ 7,119 or lower cover cost at London Market by (₹ 65,10,176 - ₹ $65,07,881$ ) = ₹ 2,295

## SOLUTION 18

Forward Rate $=\frac{2.50(1+0.075)}{1+0.060}=$ Can $\$ 2.535 / £$
(i) If spot rate decline by $2 \%$ Spot Rate $=$ Can\$ $2.50 \times 1.02=$ Can\$ $2.55 / £$

|  | $£$ |
| :--- | ---: |
| £ receipt as per Forward Rate (Can \$ 5,00,000/ Can\$ <br> 2.535) | $1,97,239$ |
| $£$ receipt as per Spot Rate (Can \$5,00,000/ Can\$ 2.55) | $1,96,078$ |
| Gain due to forward contract | 1,161 |

(ii) If spot rate gains by $4 \%$

Spot Rate $=$ Can $\$ 2.50 \times 0.96=$ Can\$ $2.40 / £$

|  | $£$ |
| :--- | ---: |
| £ receipt as per Forward Rate (Can \$ 5,00,000/ Can\$ <br> $2.535)$ | $1,97,239$ |
| $£$ receipt as per Spot Rate (Can \$ 5,00,000/ Can\$ 2.40) | $2,08,333$ |
| Loss due to forward contract | 11,094 |

(iii) If spot rate remains unchanged

|  | $£$ |
| :--- | ---: |
| £ receipt as per Forward Rate (Can \$ 5,00,000/ Can\$ <br> $2.535)$ | $1,97,239$ |
| $£$ receipt as per Spot Rate (Can \$ 5,00,000/ Can\$ 2.50) | $2,00,000$ |
| Loss due to forward contract | 2,761 |

SOLUTION 19

| USD/ ₹ on 3rd September | 49.3800 |
| :--- | ---: |
| Swap Point for October | 0.1300 |
|  | 49.5100 |
| Add: Exchange Margin | 0.0500 |
|  | 49.5600 |
| USD/ SGD on 3rd September | 1.7058 |
| Swap Point for 2nd month Forward | 0.0096 |
|  | 1.7154 |

$$
\begin{array}{ll}
\text { Cross Rate for SGD/ ₹ of 30th October } \\
\begin{array}{ll}
\text { USD/ ₹ selling rate } & =\text { ₹ } 49.5600 \\
\text { SGD/ ₹ buying rate } & \text { SGD } 1.7154 \\
\text { SGD/ ₹ cross rate } & \text { = } 49.5600 / 1.7154 \\
& \\
& \text { ₹ } 28.8912
\end{array}
\end{array}
$$

## Interest Rate Risk Management

## Study Session 9

## SOLUTION 1

1. $\mathbf{3}$ Months Interest rate is $\mathbf{4 . 5 0 \%}$ \& $\mathbf{6}$ Months Interest rate is 5\% p.a.

Future Value 6 Months from now is a product of Future Value 3 Months now \& 3 Months Future Value from after 3 Months.
$(1+0.05 * 6 / 12)=(1+0.045 * 3 / 12) \times(1+\mathrm{i} \mathrm{i} 3,6 * 3 / 12)$
$i 3,6=\left[\left(1+0.05^{*} 6 / 12\right) /(1+0.045 * 3 / 12)-1\right] * 12 / 3$
i.e. $5.44 \%$ p.a.
2. 6 Months Interest rate is $\mathbf{5 \%}$ p.a \& 12 Month interest rate is $\mathbf{6 . 5 \%}$ p.a.

Future value 12 month from now is a product of Future value 6 Months from now and 6 Months Future value from after 6 Months.
$(1+0.065)=(1+0.05 * 6 / 12) \times(1+i 6,6 * 6 / 12)$
i6,6 = [(1+0.065/1.025)-1] *12/6
6 Months forward 6 month rate is $7.80 \%$ p.a.
The Bank is quoting 6/12 USD FRA at 6.50-6.75\%
Therefore, there is an arbitrage Opportunity of earning interest @ 7.80\% p.a. \& Paying @ 6.75\%

Borrow for 6 months, buy an FRA \& invest for 12 months
To get $\quad \$ 1.065$ at the end of 12 months for $\$ 1$ invested today
To pay $\quad \$ 1.060$ \# at the end of 12 months for every $\$ 1$ Borrowed today
Net gain $\quad \$ 0.005$ i.e. risk less profit for every $\$$ borrowed

$$
\#(1+0.05 / 2)(1+.0675 / 2)=(1.05959) \text { say } 1.060
$$

## SOLUTION 2

(i) If company borrows in $\$$ then outflow would be as follows:

| Let company borrows \$ 100 | $\$ 100.00$ |
| :--- | :--- |
| Add: Interest for 6 months @ 5.5\% | $\$ 2.75$ |
| Amount Repayable after 6 months | $\$ 102.75$ |
| Applicable 6 month forward rate | 36.4 |
| Amount of Cash outflow in Indian Rupees | $₹ 3,740.10$ |

If company borrows equivalent amount in Indian Rupee, then outflow would be as follows:
Equivalent ₹ amount ₹ $36.10 \times 100$ ₹ $3,610.00$
Add: Interest @11.50\% ₹ 207.58
Amount of Cash outflow in Indian Rupees
₹ 3817.58
Since cash outflow is more in ₹ borrowing then borrowing should be made in $\$$.
(ii) (a) Let ' $1 r^{\prime}$ ' be the interest rate of ₹ borrowing make indifferent between 3 months borrowings and 6 months borrowing then
$(1+0.03)(1+\operatorname{lr})=(1+0.0575)$
Ir $=\mathbf{2 . 6 7 \%}$ or $10.68 \%$ (on annualized basis)
(b) Let 'id' be the interest rate of $\$$ borrowing after 3 months to make indifference
between 3 months borrowings and 6 months borrowings. Then,
$(1+0.015)(1+i d)=(1+0.0275)$
id $=1.232 \%$ or $4.93 \%$ (on annualized basis)

SOLUTION 3

| Opportunity gain of A Inc under currency swap | Receipt | Payment | Net |
| :---: | :---: | :---: | :---: |
| Interest to be remitted to B. Inc in |  |  |  |
| \$ 2,00,000×9\%=\$18,000 |  | ¥ $21,60,000$ |  |
| Converted into (\$18,000x¥120) |  |  |  |
| Interest to be received from B. Inc in \$ | \#14,40,000 | - |  |
| converted into $\mathrm{Y}(6 \% \times \$ 2,00,000 \times ¥ 120)$ |  |  |  |
| Interest payable on Y loan | - | ¥12,00,000 |  |
|  | \#14,40,000 | $¥ 33,60,000$ |  |
| Net Payment | ¥19,20,000 | - |  |
|  | $¥ 33,60,000$ | $¥ 33,60,000$ |  |
| \$ equivalent paid $¥ 19,20,000 \times(1 / \neq 120)$ |  |  | \$16,000 |
| Interest payable without swap in \$ |  |  | \$18,000 |
| Opportunity gain in \$ |  |  | \$ 2,000 |
| Opportunity gain of B inc under currency swap | Receipt | Payment | Net |
| Interest to be remitted to A. Inc in (\$2,00,000 $\times 6 \%$ ) |  | \$12,000 |  |
| Interest to be received from A. Inc in Y converted into | \$18,000 |  |  |
| \$ $=\mp 21,60,000 / \neq 120$ |  |  |  |
| Interest payable on \$ loan@10\% | - | \$20,000 |  |
|  | \$18,000 | \$32,000 |  |
| Net Payment | \$14,000 | - |  |
|  | \$32,000 | \$32,000 |  |
| Y equivalent paid \$14,000 X ¥120 |  |  | ¥16,80,000 |
| Interestpayable <br> $(\$ 2,00,000 X ¥ 120 \times 8 \%)$ without swap in $\neq$ |  |  | ¥19,20,000 |
| Opportunity gain in Y |  |  | \# 2,40,000 |

## Alternative Solution

## Cash Flows of A Inc

(i) At the time of exchange of principal amount

| Transactions |  | Cash Flows |
| :--- | ---: | ---: |
| Borrowings |  | $+00,000 \times ¥ 120$ |
| Swap |  | $-\neq 240,00,000$ |
| Swap |  | $+\$ 2,00,000$ |
| Net Amount | $+\$ 2,00,000$ |  |

(ii) At the time of exchange of principal amount Transactions

| Interest to the lender | $\neq 240,00,000 \times 5 \%$ | $\neq 12,00,000$ |
| :--- | ---: | ---: |
| Interest Receipt from B | $¥ 2,00,000 \times 120 \times 6 \%$ | $\neq 14,40,000$ |
| Inc. |  |  |
| Net Saving (in \$) | $\neq 2,40,000 / ¥ 120$ | $\$ 2,000$ |
| Interest to B Inc. | $\$ 2,00,000 \times 9 \%$ | $-\$ 18,000$ |
| Net Interest Cost |  | $-\$ 16,000$ |

A Inc. used $\$ 2,00,000$ at the net cost of borrowing of $\$ 16,000$ i.e. $8 \%$. If it had not opted for swap agreement the borrowing cost would have been $9 \%$. Thus there is saving of $1 \%$.

## Cash Flows of B Inc

(i) At the time of exchange of principal amount

| Transactions |  | Cash Flows |
| :--- | :--- | ---: |
| Borrowings |  | $+\$ 2,00,000$ |
| Swap | $\$ 2,00,000 X ¥ 120$ | $+¥ 240,00,000$ |
| Swap |  | $+¥ 240,00,000$ |
| Net Amount |  |  |

(ii) At the time of exchange of principal amount

Transactions
Interest to the lender
Interest Receipt from A Inc.

| Net Saving (in $¥$ ) | $-\$ 2,000 X \neq 120$ | $-\neq 2,40,000$ |
| :--- | ---: | ---: |
| Interest to A Inc. | $\$ 2,00,000 X 6 \% X \neq 120$ | $-\neq 14,40,000$ |
| Net Interest Cost |  | $-\neq 16,80,000$ |

B Inc. used $¥ 240,00,000$ at the net cost of borrowing of $¥ 16,80,000$ i.e. $7 \%$. If it had not opted for swap agreement the borrowing cost would have been $8 \%$. Thus there is saving of $1 \%$.

## SOLUTION 4

(a) The pay-off of each leg shall be computed as follows:

Cap Receipt
Max \{0, [Notional principal x (LIBOR on Reset date - Cap Strike Rate) x
$\left.\frac{\text { Number of days in the settlement period }}{365}\right\}$
Floor Pay-off
Max \{0, [Notional principal $x$ (Floor Strike Rate - LIBOR on Reset date) $x$ $\left.\frac{\text { Number of days in the settlement period }}{365}\right\}$
Statement showing effective interest on each re-set date
$\left.\begin{array}{|l|l|l|l|l|l|l|}\hline \text { Reset Date } & \begin{array}{l}\text { LIBOR } \\ \text { (\%) }\end{array} & \text { Days } & \begin{array}{l}\text { Interest } \\ \text { Payment (\$) } \\ \text { LIBOR+0.50\% }\end{array} & \begin{array}{l}\text { Cap } \\ \text { Receipts } \\ \text { (\$) }\end{array} & \begin{array}{l}\text { Floor } \\ \text { off } \\ \text { (\$) }\end{array} & \text { Pay- }\end{array} \begin{array}{l}\text { Effective } \\ \text { Interest }\end{array}\right]$
(b) Average Annual Effective Interest Rate shall be computed as follows: $\frac{16,26,094}{1,00,0,000} \times \frac{365}{1096} \times 100=5.42 \%$
SOLUTION 5

| Qtrs. (1) | Sensex (2) | Sensex Return (\%) | Amount Payable (₹ Crore) <br> (4) | Fixed Return (Receivable) (₹ Crore) | Net ${ }^{(F}$ Crore) $(5)-(4)$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 21,600 | - | - | - |  |
| 1 | 21,860 | 1.2037 | 4.8148 | 4.6000 | - 0.2148 |
| 2 | 21,780 | -0.3660 | -1.4640 | 4.6000 | 6.0640 |
| 3 | 22,080 | 1.3774 | 5.5096 | 4.6000 | - 0.9096 |
| 4 | 21,960 | -0.5435 | -2.1740 | 4.6000 | 6.7740 |

LIST OF IMPORTANT QUESTIONS'

## SOLUTION 6

(1) Yield from Investment in Equity Trading Index in Japan

Conversion of GBP 200 million in JPY (148.0002) JPY 29600.04 Million

| Dividend Income | JPY | 1182.00 Million |
| :--- | :--- | :--- |
| Stock Lending | JPY | 10.00 Million |
| Investment Value at End | JPY | 29008.0392 Million |
| Amount available at End | JPY | 30200.0392 Million |
| Forward Rate of 30.06 .2019 | JPY | $150 /$ GBP |
| Amount to be Remitted back to London Gain = GBP | GBP | 201.3336 Million |
| $201.3336-$ GBP 200 | GBP | 1.3336 Million |

(2) Fixed Income Desk of US

| Conversion of GBP 200 million in USD (1.28000) | USD 256.00 Million |  |
| :--- | :--- | :--- |
| Add: Interest @ 5\% p.a. for 6 months | USD | 6.40 Million |
| Amount available at End | USD | 262.40 Million |
| Forward Rate of 30.06 .2019 | USD | $1.30331 /$ GBP |
| Amount to be Remitted back to London Gain = GBP | GBP | 201.3335 Million |
| $201.3335-G B P 200$ | GBP | 1.3335 Million |

## Decision:

The equivalent amount at the end of 6 months shall be almost same in both the options. The bank can go for any of the options.
However, from risk perspective, the investment in fixed income desk of US is more beneficial as the chance of variation in fixed income securities is less as compared to Equity Desk.

## SOLUTION 7

Though Company IB has an advantage in both the markets but it has comparative more advantage in the INR floating-rate market. Company Zaki has a comparative advantage in the JPY fixed interest rate market.
However, company IB wants to borrow in the JPY fixed interest rate market and company Zaki wants to borrow in the INR floating-rate market. This gives rise to the swap opportunity.
IB raises INR floating rate at BPLR + 0.50\% and Zaki raises JPY at 2.25\%
Total Potential Gain $=$ (INR interest differential) $-($ Yen rate differential)
$=(B P L R+2.50 \%-$ BPLR $+0.50 \%)+(2 \%-2.25 \%)=1.75 \%$
Less Banker's commission (To be shared equally) $=0.25 \%$
Net gain (To be shared equally: $0.75 \%$ each) $=1.50 \%$
(i) Yes, a beneficial swap can be arranged
(ii) Effective cost of borrowing = pays to lenders + pays to other party -receives from other party + banker's commission
$\mathrm{IB}=\mathrm{BPLR}+0.50 \%+1.125 \%^{*}-(B P L R+0.50 \%)+0.125 \%=1.25 \%$
(* has been arrived as $2 \%-0.75 \%-0.125 \%$ )
Zaki $=2.25 \%+$ BPLR $+0.50 \%-1.125 \%+0.125 \%=B P L R+1.75 \%$
Note: Candidates can also present the above Swap arrangement in a different manner. In such case they should be awarded due marks provided solution be ended up in correct answer.

## Bond Valuation

## Study Session 10

## SOLUTION 1

Since the bonds were sold at par, the original YTM was $10 \%$.
YTM $=\frac{\text { Interest }}{\text { Principal }}=\frac{₹ 100}{₹ 1000}=10 \%$
Price of the bond as on 1st July, 2018

$$
\begin{aligned}
& =₹ 50 \times 9.712+₹ 1,000 \times 0.417 \\
& =₹ 485.60+₹ 417 \\
& =₹ 902.60 \\
& =₹ 902.60+₹ 50 \text { interest date }=₹ 952.60 \\
& =₹ 952.60 \times \frac{1}{(1+0.06)^{2 / 3}} \\
& =₹ 952.60 \times 0.9620 \text { (by using excel) } \\
& =₹ 916.40 \dagger
\end{aligned}
$$

Total value of the bond on the next Value of bond at purchase date

The amount to be paid to complete the transaction is ₹916.40. Out of this amount ₹ 16.67 represent accrued interest* and ₹ 899.73 represent the bond basic value.
$\dagger$ Alternatively, it can also be calculated as follows:

$$
\begin{aligned}
& =₹ 952.60 \times \frac{1}{\left(1+0.06 \times \frac{2}{3}\right)} \\
& =₹ 952.60 \times \frac{1}{(1+0.04)} \\
& =₹ 915.96
\end{aligned}
$$

The amount to be paid to complete the transaction is ₹915.96. Out of this amount ₹ 16.67 represent accrued interest* and ₹899.29 represent the bond basic value.

* Accrued Interest can also be calculated as follows:

Accrued Interest on Bonds $=1,000 \times \frac{10}{100} \times \frac{2}{12}=16.67$

## SOLUTION 2

(i) Current yield $=\frac{7}{90} \times \frac{12}{6}=0.1555$ or $15.55 \%$

YTM can be determined from the following equation
$7 \times$ PVIFA $($ YTM, 10$)+100 \times$ PVIF $($ YTM, 10$)=90$
Let us discount the cash flows using two discount rates $7.50 \%$ and $9 \%$ as follows:

| Year | Cash Flows | PVF@7.50\% | PV@7.50\% | PVF@9\% | PV@9\% |
| :--- | :--- | ---: | ---: | ---: | ---: |
| 0 | -90 | 1 | -90 | 1 | -90 |
| 1 | 7 | 0.930 | 6.51 | 0.917 | 6.419 |
| 2 | 7 | 0.865 | 6.055 | 0.842 | 5.894 |
| 3 | 7 | 0.805 | 5.635 | 0.772 | 5.404 |
| 4 | 7 | 0.749 | 5.243 | 0.708 | 4.956 |
| 5 | 7 | 0.697 | 4.879 | 0.650 | 4.550 |
| 6 | 7 | 0.648 | 4.536 | 0.596 | 4.172 |
| 7 | 7 | 0.603 | 4.221 | 0.547 | 3.829 |
| 8 | 7 | 0.561 | 3.927 | 0.502 | 3.514 |
| 9 | 7 | 0.522 | 3.654 | 0.460 | 3.220 |
| 10 | 107 | 0.485 | 51.90 | 0.422 | 45.154 |
|  |  |  | 6.560 |  | -2.888 |

Now we use interpolation formula
$=7.50 \%+\frac{6.560}{6.560-(-2.888)} \times 1.50 \%$
$7.50 \%+\frac{6.560}{9.448} \times 1.50 \%=7.50 \%+1.041 \%$

YTM $=8.541 \%$ say $8.54 \%$
Note: Students can also compute the YTM using rates other than $15 \%$ and $18 \%$.
(ii) The duration can be calculated as follows:

| Year | Cash Flow | PVF@ <br> $\mathbf{8 . 5 4 \%}$ | PV <br> $8.54 \%$ | Proportion of NCD <br> value | Proportion of NCD <br> value $\times$ time |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 7 | 0.921 | 6.447 | 0.0717 | 0.0717 |
| 2 | 7 | 0.849 | 5.943 | 0.0661 | 0.1322 |
| 3 | 7 | 0.782 | 5.474 | 0.0608 | 0.1824 |
| 4 | 7 | 0.721 | 5.047 | 0.0561 | 0.2244 |
| 5 | 7 | 0.664 | 4.648 | 0.0517 | 0.2585 |
| 6 | 7 | 0.612 | 4.284 | 0.0476 | 0.2856 |
| 7 | 7 | 0.563 | 3.941 | 0.0438 | 0.3066 |
| 8 | 7 | 0.519 | 3.633 | 0.0404 | 0.3232 |
| 9 | 7 | 0.478 | 3.346 | 0.0372 | 0.3348 |
| 10 | 107 | 0.441 | 47.187 | 0.5246 | 5.2460 |
|  |  |  | 89.95 |  | 7.3654 |

Duration $=7.3654$ half years i.e. 3.683 years.
(iii) Realized Yield can be calculated as follows:
$\frac{(7 \times 10)+100}{(1+R)^{10}}=90$
$(1+R)^{10}=\frac{170}{90}$
$\mathrm{R}=\left(\frac{170}{90}\right)^{1 / 10}-1=0.06380$ or $6.380 \%$ for half yearly and $12.76 \%$ annually.

## SOLUTION 3

1. Conversion Value of Debenture
$=$ Market Price of one Equity Share $\times$ Conversion Ratio $=₹ 25 \times 30=₹ 750$
2. Market Conversion Price
$=\frac{\text { Market Price of Convertible Debenture }}{\text { Conversion Ratio }}=\frac{900}{30}=₹ 30$
3. Conversion Premium per share
= Market Conversion Price - Market Price of Equity Share
= ₹ 30 - ₹ 25 = ₹ 5
4. Ratio of Conversion Premium
$=\frac{\text { Conversion Premium per share }}{\text { Market Price of Equity Share }}=\frac{5}{25}=20 \%$
5. Premium over Straight Value of Debenture
$=\frac{\text { Market Price of Convertible Debenture }}{\text { Straight Value of Debenture }}-1=\frac{900}{700}-1=28.6 \%$
6. Favourable income differential per share
$=\frac{\text { Coupon Interest from Debenture }- \text { Conversion Ratio } \times \text { Dividend Per Share }}{\text { Conversion Ratio }}$
$=\frac{85-30 \times 1}{30}=₹ 1.833$
7. Premium pay back period

$$
=\frac{\text { Conversion Premium per Share }}{\text { Favorable Income differential per share }}=5 \quad 1.833=2.73 \text { Years }
$$

## SOLUTION 4

1. Calculation of initial outlay:-

| b. Gross proceed of new issue | 200.00 |
| :---: | :---: |
| Less : Issue costs | 2.50 |
| Net proceeds of new issue | 197.50 |
| c. Tax savings on call premium and unamortized cost $0.30(10+3)$ | ₹ 3.90 lakhs |
| $\therefore$ Initial outlay $=$ ₹ 210 lakhs - ₹ 197.50 lakhs - ₹ 3.90 lakhs | 8.60 lakhs |
| Calculation of net present value of refunding the bond:- | ₹ (lakhs) |
| Saving in annual interest expenses |  |
| [₹ $200 \times(0.11-0.09)$ ] | 4.000 |
| Less:-Tax saving on interest and amortization $0.30 \times[4+(3-2.5) / 10]$ | 1.215 |
| Annual net cash saving | 2.785 |
| PVIFA (7\%, 10 years) | 7.024 |
| $\therefore$ Present value of net annual cash saving | ₹ 19.56 lakhs |
| Less : Initial outlay | ₹ 8.61 lakhs |
| Net present value of refunding the bond | ₹ 10.96 lakhs |

## Decision : The bonds should be refunded

## SOLUTION 5

i) Forward Rates for year $2 \&$ years 3:

For year $2: \frac{1}{(1+0.1050)(1+\mathrm{X})}=\frac{1}{(1+0.1125)^{2}} \rightarrow(1+0.1050)(1+X)=(1+0.1125) 2=12 \%$
For year 3: $\frac{1}{(1+0.1050)(1+0.12)(1+\mathrm{X})}=\frac{1}{(1+.12)^{3}} \rightarrow(1+.1050)(1+.12)(1+\mathrm{X})=(1+1.12) 3$ $\rightarrow X=13.52 \%$
ii) Percentage Change in the Price of the Bond: $B O=\frac{1000 \times(1+.12)^{5}}{(1+.125)^{5}}=978$

Therefore, $\%$ change in the price of the bond $=\frac{978-1000}{1000} \times 100=-2.2 \%$

## SOLUTION 6

(a) Calculation of Bond Duration

Bond A

| Year | Cash flow | P.V. @ 9\% |  | Proportion of bond value | Proportion of bond value (years) | $x$ time |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 10 | 0.917 | 9.17 | 0.086 | 0.086 |  |
| 2 | 10 | 0.842 | 8.42 | 0.079 | 0.158 |  |
| 3 | 10 | 0.772 | 7.72 | 0.073 | 0.219 |  |
| 4 | 10 | 0.708 | 7.08 | 0.067 | 0.268 |  |
| 5 | 10 | 0.650 | 6.50 | 0.061 | 0.305 |  |
| 6 | 10 | 0.596 | 5.96 | 0.056 | 0.336 |  |
| 7 | 10 | 0.547 | 5.47 | 0.051 | 0.357 |  |
| 8 | 10 | 0.502 | 5.02 | 0.047 | 0.376 |  |
| 9 | 10 | 0.460 | 4.60 | 0.043 | 0.387 |  |
| 10 | 110 | 0.4224 | 46.46 | 0.437 | 4.370 |  |
|  |  |  | 106.40 | 1.000 | 6.862 |  |

Duration of the bond is 6.862 years or 6.86 year

## Bond B

| Year | Cash flow | P.V. @ 9\% |  | Proportion of <br> bond value | Proportion of bond <br> value $\mathbf{x}$ time (years) |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 11 | 0.917 | 10.087 | 0.091 | 0.091 |
| 2 | 11 | 0.842 | 9.262 | 0.083 | 0.166 |
| 3 | 11 | 0.772 | 8.492 | 0.076 | 0.228 |


| 4 | 11 | 0.708 | 7.788 | 0.070 | 0.280 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 5 | 11 | 0.650 | 7.150 | 0.064 | 0.320 |
| 6 | 11 | 0.596 | 6.556 | 0.059 | 0.354 |
| 7 | 11 | 0.547 | 6.017 | 0.054 | 0.378 |
| 8 | 111 | 0.502 | 55.772 | 0.502 | 4.016 |
|  |  |  | 111.224 | 1.000 | 5.833 |

Duration of the bond B is 5.833 years or 5.84 years
Bond C

| Year | Cash <br> flow | P.V. @ 9\% |  | Proportion of bond <br> value | Proportion of bond <br> value x time (years) |
| :--- | :--- | :--- | :--- | :--- | :--- |
| 1 | 9 | 0.917 | 8.253 | 0.082 | 0.082 |
| 2 | 9 | 0.842 | 7.578 | 0.076 | 0.152 |
| 3 | 9 | 0.772 | 6.948 | 0.069 | 0.207 |
| 4 | 9 | 0.708 | 6.372 | 0.064 | 0.256 |
| 5 | 109 | 0.650 | 70.850 | 0.709 | 3.545 |
|  |  |  | 100.00 | 1.000 | 4.242 |

Duration of the bond C is 4.242 years or 4.24 years
(ii) Amount of Investment required in Bond B and C

| Period required to be immunized | 6.000 Year |
| :--- | :--- |
| Less: Period covered from Bond A | 3.087 Year |
| To be immunized from B and C | 2.913 Year |

Let proportion of investment in Bond $B$ and $C$ is $b$ and $c$ respectively then
$b+c=0.55$
$5.883 b+4.242 c=2.913$
(2)

On solving these equations, the value of $b$ and $c$ comes 0.3534 or 0.3621 and 0.1966 or 0.1879 respectively and accordingly, the \% of investment of B and C is $35.34 \%$ or $36.21 \%$ and 19.66 \% or $18.79 \%$ respectively.
(iii) With revised yield the Revised Duration of Bond stands
$0.45 \times 7.15+0.36 \times 6.03+0.19 \times 4.27=6.20$ year
No portfolio is not immunized as the duration of the portfolio has been increased from 6 years to 6.20 years.
(iv) New percentage of $B$ and $C$ bonds that are needed to immunize the portfolio.

| Period required to be immunized | 6.0000 Year |
| :--- | :--- |
| Less: Period covered from Bond A | 3.2175 Year |
| To be immunized from B and C | 2.7825 Year |

Let proportion of investment in Bond $B$ and $C$ is $b$ and $c$ respectively, then
$b+c=0.55$
$6.03 b+4.27 c=2.7825$
$b=0.2466$
On solving these equations, the value of $b$ and $c$ comes 0.2466 and 0.3034 respectively and accordingly, the \% of investment of B and C is $24.66 \%$ or $25 \%$ and $30.34 \%$ or $30.00 \%$ respectively.

## SOLUTION 7

(i) Current Market Price of Bond

$$
\begin{aligned}
& =₹ 850(\text { PVIAF } 10 \%, 5)+₹ 10,000(\text { PVIF } 10 \%, 5) \\
& =₹ 850(3.79)+₹ 10,000(0.621)=₹ 3,221.50+₹ 6,210=₹ 9,431.5
\end{aligned}
$$

(ii) Macaulay's Duration

| Year | Cash flow | P.V. @ 10\% |  | Proportion of <br> bond value | Proportion of bond <br> value x time (years) |
| :--- | ---: | ---: | ---: | ---: | ---: |
| 1 | 850 | 0.909 | 772.65 | 0.082 | 0.082 |


| 2 | 850 | 0.826 | 702.10 | 0.074 | 0.148 |
| :--- | ---: | ---: | ---: | ---: | ---: |
| 3 | 850 | 0.751 | 638.35 | 0.068 | 0.204 |
| 4 | 850 | 0.683 | 580.55 | 0.062 | 0.248 |
| 5 | 10,850 | 0.621 | $6,737.85$ | 0.714 | 3.57 |

Duration of the Bond is 4.252 years
(iii) Volatility of Bond

Volatility of Bonds $=\frac{\text { Duration }}{(1+Y T M)}=\frac{4.252}{1.10}=3.865$
(iv) Convexity of Bond

C* $x(\Delta y)^{2} \times 100$
$\mathrm{C}^{*}=\frac{V_{+}+V_{-}-2 V_{0}}{2 V_{0}\left(\Delta^{2}\right)}$

| Year | Cash flow |  | P.V. @ 8\% |  | P.V @12\% |
| :--- | ---: | ---: | ---: | ---: | ---: |
| 1 | 850 | 0.926 | 787.10 | 0.892 | 758.20 |
| 2 | 850 | 0.857 | 728.45 | 0.797 | 677.45 |
| 3 | 850 | 0.794 | 674.90 | 0.712 | 605.20 |
| 4 | 850 | 0.735 | 624.75 | 0.636 | 540.60 |
| 5 | 10,850 | 0.681 | 7388.85 | 0.567 | $6,151.95$ |

$C^{*}=\frac{10,204.05+8733.40-2 \times 9431.50}{2 \times 9431.50 \times 0.02^{2}}$
$=\frac{74.45}{7.5452}=9.867$
Convexity of Bond $=9.867 \times 0.02^{2} \times 100=0.395 \%$
(v) The expected market price if decrease in YTM by 200 basis points.
(A) By Macaulay's duration-based estimate
$=₹ 9431.50 \times 2(3.865 / 100)=₹ 729.05$
Hence expected market price is ₹ $9431.50+₹ 729.05=₹ 10,160.55$
Hence, the market price will increase.
(B) By Intrinsic Value method

| Intrinsic Value at YTM of 10\% | $₹ 9,431.50$ |
| :--- | ---: |
| Intrinsic Value at YTM of 8\% | $₹ 10,204.05$ |
| Price increased by | $₹ 772.55$ |

Hence, expected market price is ₹ $10,204.05$

## SOLUTION 8

The XYZ Bank shall choose those CTD (Cheapest-to-Deliver) Bonds from the basket of deliverable Bonds which gives maximum profit computed as follows:
Profit = Future Settlement Price x Conversion Factor - Quoted Spot Price of Deliverable Bond Accordingly, the profit of each bond shall be computed as follows:

| Security | Future Settlement <br> Price <br> $\mathbf{( 2 )}$ | Conversion <br> Factor <br> $\mathbf{( 3 )}$ | $\mathbf{( 4 )}=\mathbf{( 2 )} \mathbf{x}$ <br> $\mathbf{( 3 )}$ | Quoted Price <br> of Bonds <br> $\mathbf{( 5 )}$ | Profit |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $\mathbf{( 1 )}$ | 1.0370 | 1037.00 | 1037.40 | (6) |  |

Since maximum profit to the Bank is in case of 6.80 GOI 2029, same should be opted for.

## SOLUTION 9

(i) For finding expected market price first we shall calculate PV of Interest + PV of Maturity Value of Bond Forward rate of interests

| 1st Year | $12 \%$ |
| :--- | :--- |
| 2nd Year | $11.62 \%$ |
| 3rd Year | $11.33 \%$ |
| 4th Year | $11.06 \%$ |
| 5th Year | $10.80 \%$ |

PV of interest $=\frac{90}{(1+0.12)^{1}}+\frac{90}{(1+0.1162)^{2}}+\frac{90}{(1+0.1133)^{3}}+\frac{90}{(1+0.1106)^{4}}+\frac{90}{(1+0.1080)^{5}}$
$=₹ 90 \times 0.8929+₹ 90 \times 0.8026+₹ 90 \times 0.7247+₹ 90 \times 0.6573+₹ 90 \times 0.5988$
= ₹ $80.36+₹ 72.23+₹ 65.22+₹ 59.16+₹ 53.89$
= ₹ 330.86
PV of Maturity Value of Bond $=$

$$
\frac{1000}{(1+0.1080)^{5}}
$$

$=₹ 1,000 \times 0.5988=₹ 598.80$
Intrinsic value of Bond = ₹ $330.86+₹ 598.80=₹ 929.66$
Expected Price $=$ Intrinsic Value $\times$ Beta Value
$=₹ 929.66 \times 1.10=₹ 1,022.63$
(ii) The given yield curve is inverted yield curve.

The main reason for this shape of curve is expectation for forthcoming recession when investors are more interested in Short-term rates over the long term.

Intrinsic Value of Bond as follows:

## Portfolio Management

## Study Session 11

## SOLUTION 1

(i) Computation of Beta of Portfolio

| Investmen t | No. of shares | Marke t Price | Market Value | Dividen Yield | Dividen | Compositio n | $\beta$ | Weighte <br> d <br> $\beta$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| I. | 60,000 | 4.29 | 2,57,400 | 19.50\% | 50,193 | 0.2339 | $\begin{array}{r} 1.1 \\ 6 \end{array}$ | 0.27 |
| II. | 80,000 | 2.92 | 2,33,600 | 24.00\% | 56,064 | 0.2123 | $\begin{array}{r} 2.2 \\ 8 \end{array}$ | 0.48 |
| III. | $\begin{array}{r} 1,00,00 \\ 0 \end{array}$ | 2.17 | 2,17,000 | 17.50\% | 37,975 | 0.1972 | $\begin{array}{r} 0.9 \\ 0 \end{array}$ | 0.18 |
| IV. | $\begin{array}{r} 1,25,00 \\ 0 \end{array}$ | 3.14 | 3,92,500 | 26.00\% | 1,02,050 | 0.3566 | $\begin{array}{r} 1.5 \\ 0 \end{array}$ | 0.53 |
|  |  |  | $\begin{array}{r} 11,00,50 \\ 0 \end{array}$ |  | $2,46,28$ | 1.0000 |  | 1.46 |

Return of the Portfolio $\frac{2,46,282}{11,00,500}=0.2238$
Beta of Port Folio 1.46
Market Risk implicit
$0.2238=0.11+\beta \times(0.19-0.11)$
Or, $\quad 0.08 \beta+0.11=0.2238$
$\beta=\frac{0.2238-0.11}{0.08}=1.42$
Market $\beta$ implicit is 1.42 while the port folio $\beta$ is 1.46 . Thus the portfolio is marginally risky compared to the market.
(ii) The decision regarding change of composition may be taken by comparing the dividend yield (given) and the expected return as per CAPM as follows:
Expected return $R_{S}$ as per CAPM is:

|  | $\mathrm{R}_{\mathrm{S}}=$ | $\mathrm{I}_{\mathrm{RF}}+\left(\mathrm{R}_{\mathrm{M}}-\mathrm{I}_{\mathrm{RF}}\right) B$ |
| :--- | :--- | :--- |
| For Investment I | $\mathrm{R}_{\mathrm{S}}=$ | $\mathrm{I}_{\mathrm{RF}}+\left(\mathrm{R}_{\mathrm{M}}-\mathrm{I}_{\mathrm{R}}\right) B$ |
|  | $=$ | $.11+(.19-.11) 1.16$ |
|  | $=$ | $20.28 \%$ |
|  |  |  |
| For Investment II | $\mathrm{R}_{\mathrm{S}}=$ | $.11+(.19-11) 2.28=29.24 \%$ |
| For Investment III, | $\mathrm{R}_{\mathrm{S}}=$ | $.11+(.19-11) .90$ |
|  | $=$ | $18.20 \%$ |
| For Investment IV, | $\mathrm{R}_{\mathrm{S}}=$ | $.11+(.19-.11) 1.50$ |
|  | $=$ | $23 \%$ |

Comparison of dividend yield with the expected return Rs shows that the dividend yields of investment I, II and III are less than the corresponding Rs,. So, these investments are over-priced and should be sold by the investor. However, in case of investment IV, the dividend yield is more than the corresponding Rs, so, XYZ Ltd. should increase its proportion.

## SOLUTION 2

Working Notes:
(i) Decomposition of Funds in Equity and Cash Components

|  | D Mutual <br> Ltd. | Fund | K Mutual <br> Ltd. |
| :--- | :--- | :--- | :--- | Fund.

(ii) Calculation of Beta
(a) D Mutual Fund Ltd.

$$
\text { Sharpe Ratio }=2=\frac{E(R)-R_{f}}{\sigma_{D}}=\frac{E(R)-R_{f}}{11.25}
$$

$$
E(R)-R_{f}=22.50
$$

Treynor Ratio $=15=\frac{\mathrm{E}(\mathrm{R})-\mathrm{R}_{\mathrm{f}}}{\beta_{\mathrm{D}}}=\frac{22.50}{\beta_{\mathrm{D}}}$ $\beta_{\mathrm{D}}=22.50 / 15=1.50$
(b) K Mutual Fund Ltd.

Sharpe Ratio $=3.3=\frac{E(R)-R_{f}}{\sigma_{K}}=\frac{E(R)-R_{f}}{5}$
$\mathrm{E}(\mathrm{R})-\mathrm{R}_{\mathrm{f}}=16.50$
Treynor Ratio $=15=\frac{\mathrm{E}(\mathrm{R})-\mathrm{R}_{\mathrm{f}}}{\beta_{\mathrm{K}}}=\frac{16.50}{\beta_{\mathrm{K}}}$
$\beta_{\mathrm{K}}=16.50 / 15=1.10$
(iii) Decrease in the Value of Equity

|  | D Mutual Fund <br> Ltd. | K Mutual Fund <br> Ltd. |
| :--- | ---: | ---: |
| Market goes down by | $5.00 \%$ | $5.00 \%$ |
| Beta | 1.50 | 1.10 |
| Equity component <br> down | goes | $7.50 \%$ |

(iv) Balance of Cash after 1 month

|  | D Mutual Fund <br> Ltd. | K Mutual Fund <br> Ltd. |
| :--- | ---: | ---: |
| Cash in Hand on 31.12.14 | $₹ 0.71$ | $₹ 2.50$ |
| Less: Exp. Per month | ₹ 0.25 | $₹ 0.25$ |
| Balance after 1 month | $₹ 0.46$ | $₹ 2.25$ |

NAV after 1 month

|  | D Mutual Fund <br> Ltd. | K Mutual Fund <br> Ltd. |
| :--- | ---: | ---: |
| Value of Equity after 1 <br> month |  |  |
| $70 \times(1-0.075)$ | ₹ 64.75 |  |
| $60 \times(1-0.055)$ | - | - |
| Cash Balance | 0.46 |  |
|  |  |  |

## SOLUTION 3

(i) Variance of Returns

Cor $_{\mathrm{i}, \mathrm{i}}=\frac{\operatorname{Cov}(i, j)}{\sigma_{\mathrm{j}} \sigma_{\mathrm{j}}}$
Accordingly, for MFX
$1=\frac{\operatorname{Cov}(X, X)}{\sigma_{X} \sigma_{X}}$
$\sigma_{X}^{2}=4.800$
Accordingly, for MFY
$1=\frac{\operatorname{Cov}(Y, Y)}{\sigma_{Y} \sigma_{Y}}$
$\sigma_{Y}^{2}=4.250$
Accordingly, for Market Return

$$
1=\frac{\operatorname{Cov}(M, M)}{\mathrm{Ma}_{M}}
$$

$\sigma_{M}^{2}=3.100$
(ii) Portfolio return, beta, variance and standard deviation

Weight of MFX in portfolio $=\frac{1,20,000}{2,00,000}=0.60$
Weight of MFY in portfolio $=\frac{80,000}{2,00,000}=0.40$
Accordingly Portfolio Return
$0.60 \times 15 \%+0.40 \times 14 \%=14.60 \%$
Beta of each Fund
$\beta=\frac{\text { Cov (Fund,Market) }}{\text { Variance of Market }}$
$\beta_{X}=\frac{3.370}{3.100}=1.087$
$\beta_{Y}=\frac{2.800}{3.100}=0.903$
Portfolio Beta
$0.60 \times 1.087+0.40 \times 0.903=1.013$
Portfolio Variance
$\sigma_{X Y}^{2}=W_{X}^{2} \sigma_{X}^{2}+W_{Y}^{2} \sigma_{Y}^{2}+2 w_{X} w_{Y} \operatorname{Cov}_{X, Y}$
$=(0.60) 2(4.800)+(0.40) 2(4.250)+2(0.60)(0.40)(4.300)$
$=4.472$
Or Portfolio Standard Deviation
$\sigma_{X Y}=\sqrt{4.472}=2.115$
(iii) Expected Return, Systematic and Unsystematic Risk of Portfolio

Portfolio Return $\quad=10 \%+1.0134(12 \%-10 \%)=12.03 \%$
MF X Return $\quad=10 \%+1.087(12 \%-10 \%)=12.17 \%$
MF Y Return $\quad=10 \%+0.903(12 \%-10 \%)=28.06 \%$
Systematic Risk

$$
=\beta^{2} \sigma^{2}
$$

Accordingly,
Systematic Risk of MFX $=(1.087) 2 \times 3.10=3.663$
Systematic Risk of MFY $=(0.903) 2 \times 3.10=2.528$
Systematic Risk of Portfolio =
$(1.013) 2 \times 3.10=3.181$
Unsystematic Risk = Total Risk - Systematic Risk
Accordingly,
Unsystematic Risk of MFX $=$ 4.80-3.663
$=1.137$
UnSystematic Risk of MFY $=4.250-2.528$
$=1.722$
UnSystematic Risk of Portfolio=

$$
4.472-3.181=1.291
$$

## (iv) Sharpe and Treynor Ratios and Alpha

Sharpe Ratio
MFX $=\frac{15 \%-10 \%}{\sqrt{4.800}} \quad=2.282$
MFY $=\frac{14 \%-10 \%}{\sqrt{4.250}} \quad=1.94$
Portfolio $=\frac{14.6 \%-10 \%}{2.115}=2.175$
Treynor Ratio
MFX $=\frac{15 \%-10 \%}{1.087} \quad=4.60$

MFY $=\frac{14 \%-10 \%}{0.903}=4.43$
Portfolio $=\frac{14.6 \%-10 \%}{1.0134}=4.54$
Alpha
MFX $=15 \%-12.17 \%=2.83 \%$
MFY $=14 \%-11.81 \%=2.19 \%$
Portfolio $=14.6 \%-12.03 \%=2.57 \%$

## SOLUTION 4

(i) Mr. X 's position in the two securities are +1.50 in security A and -0.5 in security B . Hence the portfolio sensitivities to the two factors:-
b prop. $1=1.50 \times 0.80+(-0.50 \times 1.50)=0.45$
b prop. $2=1.50 \times 0.60+(-0.50 \times 1.20)=0.30$
(ii) Mr. X's current position:-

Security A
₹ $3,00,000 / ₹ 1,00,000=3$
Security B
-₹ $1,00,000 / ₹ 1,00,000=-1$
Risk free asset -₹ 100000 / ₹ $100000=-1$
b prop. $1=3.0 \times 0.80+(-1 \times 1.50)+(-1 \times 0)=0.90$
b prop. $2=3.0 \times 0.60+(-1 \times 1.20)+(-1 \times 0)=0.60$
(iii) Expected Return $=$ Risk Free Rate of Return + Risk Premium Let $\lambda_{1}$ and $\lambda_{2}$
are the Value Factor 1 and Factor 2 respectively. Accordingly
$15=10+0.80 \lambda_{1}+0.60 \lambda_{2}$
$20=10+1.50 \lambda_{1}+1.20 \lambda 2$
On solving equation, the value of $\lambda 1=0$, and Securities $A \& B$ shall be as follows:
Security A
Total Return $=15 \%$
Risk Free Return = 10\%
Risk Premium $=5 \%$
Security B
Total Return $=20 \%$
Risk Free Return = 10\%
Risk Premium = 10\%

## SOLUTION 5

(i) Expected Return on X Ltd.'s Share

Average \% Annual Capital Gain [197 $\div 95]^{1 / 4}-1=0.20$ i.e. $20 \%$
Average $\%$ dividend yield $=\frac{10 \%+12 \%+8 \%+10 \%+10 \%}{5}=10 \%$
Therefore, expected return on share of X Ltd. $=20 \%+10 \%=30 \%$
(ii) Expected Return on Market Index

Average Annual \% Capital gain
$[2182 \div 1490]^{1 / 4}-1=0.10$ i.e. $10 \%$
Average \% of dividend yield $=\frac{16 \%+15 \%+16 \%+10 \%+18 \%}{5}=15 \%$
Thus, expected return on Market Index $=10 \%+15 \%=25 \%$
(iii) Return from Central Govt. Securities
$\frac{15 \%+15 \%+16 \%+14 \%+15 \%}{5}=15 \%$
Thus, Risk Free Rate of Return $=R_{f}=15 \%$
(iv) Beta Value of X Ltd.
$E\left(R_{x}\right)=R_{f}+\left[E\left(R_{m}\right)-R_{f}\right] \beta_{x}$
$30=15+[25-15] \beta_{x}$
$\beta_{\mathrm{x}}=1.5$ times

SOLUTION 6

| Particulars of Securities | Cost ₹ | Dividend | Capital gain |
| :--- | ---: | ---: | ---: |
| Gold Ltd. | 10,000 | 1,725 | -200 |
| Silver Ltd. | 15,000 | 1,000 | 1,200 |
| Bronz Ltd. | 14,000 | 700 | 6,000 |
| GOI Bonds | 36,000 | 3,600 | $-1,500$ |
| Total | 75,000 | 7,025 | 5,500 |

Expected rate of return on market portfolio
$\frac{\text { Dividend Earned }+ \text { Capital appreciation }}{\text { Initial investment }} \times 100$
$=\frac{₹ 7,025+₹ 5,500}{₹ 75,000} \times 100=16.7 \%$
Risk free return
Average of Betas $=\frac{0.6+0.8+0.6+0.01}{4}$
Average of Betas* $=0.50$
Average return $=$ Risk free return + Average Betas (Expected return - Risk free return)
$15.7=$ Risk free return +0.50 ( 16.7 - Risk free return)
Risk free return $=14.7 \%$

* Alternatively it can also be calculated through Weighted Average Beta.

Expected Rate of Return for each security is
Rate of Return $\quad=\mathrm{Rf}+\mathrm{B}(\mathrm{Rm}-\mathrm{Rf})$
Gold Ltd. $=14.7+0.6(16.7-14.7)=15.90 \%$
Silver Ltd. $\quad=14.7+0.8(16.7-14.7)=16.30 \%$
Bronze Ltd. $=14.7+0.6$ (16.7-14.7) $=15.90 \%$
GOI Bonds $\quad=14.7+0.01(16.7-14.7)=14.72 \%$

* Alternatively it can also be computed by using Weighted Average Method.


## SOLUTION 7

Characteristic line is given by
$\alpha+\beta R_{m}$
$\beta_{\mathrm{i}}=\frac{\sum \mathrm{xy}-\mathrm{nxy}}{\sum \mathrm{x}^{2}-\mathrm{n}(\mathrm{x})^{2}}$
$\alpha i=y-\beta_{x}$

| Return on B <br> (Y) | Return on <br> Market (X) | $\mathbf{X Y}$ | $\mathbf{X}^{2}$ | $(\mathbf{x}-\overline{\boldsymbol{x})}$ | $(\mathbf{x}-\boldsymbol{x})^{\mathbf{2}}$ | $(\mathbf{y}-\overline{\boldsymbol{y}})$ | $(\mathbf{y}-\boldsymbol{y})^{\mathbf{2}}$ |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 10 | $\mathbf{8}$ | 80 | 64 | 1.50 | 2.25 | 1.50 | 2.25 |
| 12 | 10 | 120 | 100 | 3.50 | 12.25 | 3.50 | 12.25 |
| 9 | 9 | 81 | 81 | 2.50 | 6.25 | 0.50 | 0.25 |
| 3 | -1 | -3 | 1 | -7.50 | 56.25 | -5.50 | 30.25 |
| 34 | 26 | 278 | 246 |  | 77.00 |  | 45.00 |

$Y=34 / 4=8.50$
$X=26 / 4=6.50$
$\beta=\frac{\sum \mathrm{xy}-\mathrm{nxy}}{\sum \mathrm{x}^{2}-\mathrm{n}(\mathrm{x})^{2}}=\frac{278-4(6.50)(8.50)}{246-4(6.50)^{2}}=\frac{278-221}{246-169}$
$=\frac{57}{77}=0.74$
$\alpha=y-\beta x=8.50-0.74$ (6.50) $=3.69$
Hence the characteristic line is $3.69+0.74\left(R_{m}\right)$

Total Risk of Market $=\sigma \quad m^{2}=\frac{\sum(X-X)^{2}}{n}=\frac{77}{4}=19.50$ (\%)
Total Risk of Stock $=\frac{45}{4}=11.25(\%)$
Systematic Risk $=\beta_{\mathrm{i}}{ }^{2} \sigma_{\mathrm{m}}{ }^{2}=(0.74)^{2} \times 19.25=10.54(\%)$
Unsystematic Risk is = Total Risk - Systematic Risk
$=11.25-10.54=0.71(\%)$

## SOLUTION 8

Maximum decline in one month $=\frac{5326-4793.40}{5326} \times 100=10 \%$
(1) Immediately to start with

Investment in equity $=$ Multiplier $\mathrm{x}($ Portfolio value - Floor value $)=2(3,00,000-2,70,000)=$ ₹ 60,000

Indira may invest ₹ 60,000 in equity and balance in risk free securities.
(2) After 10 days

Value of equity $\quad=60,000 \times 5122.96 / 5326$

$$
\begin{aligned}
& =₹ 57,713 \\
& =\text { ₹ } 2,40,000 \\
& =\text { ₹ } 2,97,713
\end{aligned}
$$

Value of risk free investment
Total value of portfolio
Investment in equity $=$ Multiplier $\times$ (Portfolio value - Floor value)

$$
=2(2,97,713-2,70,000) \quad=₹ 55,426
$$

Revised Portfolio:
Equity $=$ ₹ 55,426
Risk free Securities = ₹ $2,97,713$ - ₹ 55,426
$=$ ₹ $2,42,287$
(3) After another 10 days

Value of equity $=55,426 \times 5539.04 / 5122.96$
Value of risk free investment
$=\quad ₹ 59,928$
Total value of portfolio
$=\quad ₹ 2,42,287$
Investment in equity $=$ Multiplier $\times$ (Portfolio value - Floor value)

$$
=2(3,02,215-2,70,000) \quad=\quad ₹ 64,430
$$

## Revised Portfolio:

Equity $=$ ₹ 64,430
Risk Free Securities = ₹ $3,02,215-₹ 64,430=$ ₹ $2,37,785$
The investor should off-load ₹ 4502 of risk free securities and divert to Equity.

## SOLUTION 9

(i) Equilibrium price of Equity using CAPM
$=5 \%+1.5(11 \%-5 \%)$
$=5 \%+9 \%=14 \%$
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.08)}{0.14-0.08}=\frac{2.16}{0.06}=₹ 36.00$
(ii) New Equilibrium price of Equity using CAPM (assuming 3\% on 5\% is inflation increase)
$=5.15 \%+1.3(11 \%-5.15 \%)$
$=5.15 \%+7.61 \%=12.76 \%$
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.05)}{0.1276-0.05}=₹ ₹ 27.06$
Alternatively, it can also be computed as follows, assuming it is $3 \%$ in addition to $5 \%$
$=8 \%+1.3(11 \%-8 \%)$
$=8 \%+3.9 \%=11.9 \%$
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.05)}{0.119-0.05}=₹ 30.43$
Alternatively, if all the factors are taken separately then solution of this part will be as follows:
(i) Inflation Premium increase by 3\%.

This raises $R X$ to $17 \%$. Hence, new equilibrium price will be:
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.08)}{0.17-0.08}=₹ 24$
(ii) Expected Growth rate decrease by $3 \%$.

Hence, revised growth rate stand at $5 \%$ :
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.05)}{0.14-0.05}=₹ 23.33$
(iii) Beta decreases to 1.3 .

Hence, revised cost of equity shall be:
$=5 \%+1.3(11 \%-5 \%)$
$=5 \%+7.8 \%=12.8 \%$
As a result New Equilibrium price shall be:
$\mathrm{P}=\frac{\mathrm{D}_{1}}{\mathrm{~K}_{\mathrm{e}}-\mathrm{g}}=\frac{2.00(1.08)}{0.128-0.08}=₹ 45$

## International Financial Management

 Study Session 12
## SOLUTION 1

Calculation of NPV

| Year | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ |
| :--- | ---: | ---: | ---: | ---: |
| Inflation factor in India | 1.00 | 1.10 | 1.21 | 1.331 |
| Inflation factor in Africa | 1.00 | 1.40 | 1.96 | 2.744 |
| Exchange Rate (as per IRP) | 6.00 | 7.6364 | 9.7190 | 12.3696 |
| Cash Flows in ₹ 000 |  |  |  |  |
| Real | -50000 | -1500 | -2000 | -2500 |
| Nominal (1) | -50000 | -1650 | -2420 | -3327.50 |
| Cash Flows in African Rand |  |  |  |  |
| '000 |  |  |  |  |
| Real | -200000 | 50000 | 70000 | 90000 |
| Nominal | -200000 | 70000 | 137200 | 246960 |
| In Indian ₹ '000 (2) | -33333 | 9167 | 14117 | 19965 |
| Net Cash Flow in ₹ $000(1)+(2)$ | -83333 | 7517 | 11697 | 16637 |
| PVF@20\% | 1 | 0.833 | 0.694 | 0.579 |
| PV | -83333 | 6262 | 8118 | 9633 |

NPV of 3 years $=-59320(₹ \times 000)$
NPV of Terminal Value $=\frac{16637}{0.20} \times 0.579=48164\left(₹^{\prime} 000\right)$
Total NPV of the Project $=-59320\left(₹^{\prime} 000\right)+48164$ (₹ $\left.{ }^{\prime} 000\right)=-11156\left(₹^{\prime} 000\right)$

## SOLUTION 2

## Working Notes:

1. Calculation of Cost of Capital (GDR)
Current Dividend ( $\mathrm{D}_{0}$ ) 2.50

Expected Dividend ( $\mathrm{D}_{1}$ ) 2.75
Net Proceeds (₹ 200 per share - 1\%) 198.00
Growth Rate 10.00\%
$\mathbf{K}_{\mathrm{e}}=\frac{2.75}{198}+0.10=0.1139$ i.e. $11.39 \%$
2. Calculation of Expected Exchange Rate as per Interest Rate Parity

Year Expected Rate

1. $=9.50 \times \frac{(1+0.12)}{(1+0.10)}=9.67$
2. $=9.50 \times \frac{(1+0.12)^{2}}{(1+0.10)^{2}}=9.85$
3. Realization on the disposal of Land net of Tax

|  | CN¥ |
| :--- | ---: |
| Sale value at the end of project | 3500000.00 |
| Cost of Land | 3000000.00 |
| Capital Gain | 500000.00 |
| Tax paid | 125000.00 |
| Amount realized net of tax | 3375000.00 |

4. Realization on the disposal of Office Complex
(CN¥)
Sale value at the end of project

| WDV | 0.00 |
| :--- | ---: |
| Capital Gain | 500000.00 |
| Tax paid | 125000.00 |
| Amount realized net of $\operatorname{tax}(A)$ | 375000.00 |

5. Computation of Annual Cash Inflows

| Year | 1 | 2 |
| :---: | :---: | :---: |
| Annual Units | 10000 | 10000 |
| Price per bottle (CN\#) | 540.00 | 583.20 |
| Annual Revenue (CN\#) | 5400000.00 | 5832000.00 |
| Less: Expenses |  |  |
| Variable operating cost (CN\#) | 2160000.00 | 2332800.00 |
| Depreciation (CN\#) | 750000.00 | 750000.00 |
| Fixed Cost per annum (CN\# | 2376000.00 | 2566080.00 |
| PBT (CN*) | 114000.00 | 183120.00 |
| Tax on Profit (CN\# | 28500.00 | 45780.00 |
| Net Profit (CN\# | 85500.00 | 137340.00 |
| Add: Depreciation (CN¥) | 750000.00 | 750000.00 |
| Cash Flow | 835500.00 | 887340.00 |

(a) Computation of NPV of the project in CN¥
$\left.\begin{array}{|l|r|r|r|}\hline \text { Year } & \mathbf{0} & & \text { 1 } \\ \hline \text { Initial Investment } & -4500000.00 & & \\ \hline \text { Annual Cash Inflows }\end{array}\right)$
(b) Evaluation of Project from Opus Point of View
(i) Assuming that inflow funds are transferred in the year in which same are generated i.e. first year and second year.

| Year | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ |
| :--- | ---: | ---: | ---: |
| Cash Flows (CN¥⿻) | -4500000.00 | 835500.00 | 4637340.00 |
| Exchange Rate (₹/ | 9.50 | 9.67 | 9.85 |
| CN¥) |  |  |  |
| Cash Flows (₹) | -42750000.00 | 8079285.00 | 45677799.00 |
| PVF @ 12\% | 1.00 | 0.893 | 0.797 |
|  | -42750000.00 | 7214802.00 | 36405206.00 |
| NPV |  | 870008.00 |  |

(ii) Assuming that inflow funds are transferred at the end of the project i.e. second year

| Year | $\mathbf{0}$ | $\mathbf{2}$ |
| :--- | ---: | ---: |
| Cash Flows (CN\#$\neq)$ | -4500000.00 | 5472840.00 |
| Exchange Rate (₹/ | 9.50 | 9.85 |
| CN\#) |  |  |
| Cash Flows (₹) | -42750000.00 | 53907474.00 |
| PVF @ 12\% | 1.00 | 0.797 |
|  | -42750000.00 | 42964257.00 |
| NPV |  | $\mathbf{2 1 4 2 5 7 . 0 0}$ |

Though in terms of CN¥ the NPV of the project is negative but in ₹ it has positive NPV due to weakening of ₹ in comparison of CN¥. Thus Opus can accept the project.

## SOLUTION 3

(i) Equity Beta

To calculate Equity Beta first we shall calculate Weighted Average of Asset Beta as follows:
$=1.45 \times 0.74+1.20 \times 0.26$
$=1.073+0.312=1.385$
Now we shall compute Equity Beta using the following formula:
$\beta_{\text {Asset }}=\beta_{\text {Equity }} \times \frac{\text { Equity }}{\text { Equity }+ \text { Debt (1-tax) }}+\beta_{\text {Debt }} \times \frac{\text { Debt (1-tax) }}{\text { Equity }+ \text { Debt }(1-\text { tax })}$
$1.385=\beta_{\text {Equity }}\left[\frac{410}{410+170}\right]+\beta_{\text {Debt }}\left[\frac{170}{410+170}\right]$
$1.385=\beta_{\text {Equity }}\left[\frac{410}{580}\right]+0.24\left[\frac{170}{580}\right]$
$\beta_{\text {Equity }}=1.86$
(ii) Equity Beta on change in Capital Structure

Amount of Debt to be raised:

| Particulars | Value |
| :--- | ---: |
| Total Value of Firm (Equity ₹ 410 cr + Debt ₹ 170 cr ) | ₹ 580 Cr |
| Desired Debt Equity Ratio | $1.90: 1.00$ |
| Desired Debt Level = Total Value x Debt Ratio <br> Debt Ratio +Equity Ratio <br> Less: Value of Existing Debt | ₹ 380 Cr |
| Value of Debt to be Raised | (₹ 170 Cr ) |

Equity after Repurchase $\quad=$ Total value of Firm - Desired Debt Value
= ₹ 580 Cr - ₹ 380 Cr
$=₹ 200 \mathrm{Cr}$
Weighted Average Beta of KGFL:

| Source <br> Finance | Investment <br> (₹ $\mathbf{C r}$ ) | Weight | Beta of the <br> Division | Weighted Beta |
| :--- | :--- | :--- | :--- | :--- |
| Equity | 200 | 0.345 | $\beta(E=X)$ | 0.345 x |
| Debt -1 | 170 | 0.293 | 0.35 | 0.103 |
| Debt -2 | 210 | 0.362 | 0.40 | 0.145 |
|  | 580 | Weighted Average Beta | $0.248+(0.345 \mathrm{x})$ |  |

$\beta_{\mathrm{KGFL}}=0.248+0.345 \mathrm{x}$
$1.385=0.248+0.345 x$
$0.345 x=1.385-0.248$
$X=1.137 / 0.345=3.296$
$\beta_{\mathrm{KGFL}}=3.296$
(iii) Yes, it justifies the increase as it leads to increase in the Value of Equity due to increase in Beta.

## SOLUTION 4

(i) Calculation of Annual CFAT

|  | Scenario 1 | Scenario 2 | Scenario 3 |
| :--- | ---: | ---: | ---: |
| Annual Sales (in units) (A) | $10,00,000$ | $10,00,000$ | $10,00,000$ |
| Selling price p.u. | US \$ | US \$ | US \$ |
|  | 10.00 | 10.00 | 10.00 |


| Cost p.u. | 6.00 | 5.70 | 5.55 |
| :--- | ---: | ---: | ---: |
| Profit p.u. (B) | 4.00 | 4.30 | 4.45 |
| Total Profit (A x B) | $40,00,000$ | $43,00,000$ | $44,50,000$ |
| Less: Depreciation | $10,00,000$ | $9,00,000$ | $8,50,000$ |
| PBT | $30,00,000$ | $34,00,000$ | $36,00,000$ |
| Less: Tax @30\% | $9,00,000$ | $10,20,000$ | $10,80,000$ |
| PAT | $21,00,000$ | $23,80,000$ | $25,20,000$ |
| Add: Depreciation | $10,00,000$ | $9,00,000$ | $8,50,000$ |
| Expected CFAT (US\$) | $31,00,000$ | $32,80,000$ | $33,70,000$ |

(ii) Expected Value of CFAT
$=$ US\$ $31,00,000 \times 0.4+$ US\$ $32,80,000 \times 0.4+$ US $\$ 33,70,000 \times 0.2$
= US\$ 32,26,000
(iii) Viability of proposal:

Expected CFAT $=$ US $\$ 32,26,000$
Expected Growth Rate $=3 \%$
Expected Value of inflow in perpetuity

$$
=\frac{U S \$ 32,26,000(1.03)}{0.11-0.03}
$$

$=\frac{33,22,780}{0.08}=$ US\$ 4, 15,34,750

|  | US \$ |
| :--- | ---: |
| Value of Inflows | $4,15,34,750$ |
| Less: Initial Outlay | $2,50,00,000$ |
| NPV of project | $1,65,34,750$ |

Since NPV is positive, project is viable.

## CA FINAL LIST OF IMPORTANT QUESTIONS' SFM SOLUTIONS NOV 2022 <br> Miscellaneous Topic (OId + New)

## Study Session 13

## SOLUTION 1

(a) Price At Which the Shares Can Be Repurchased:

Let $P$ be the buyback price decided by Abhishek Ltd.
MPS After Buyback x No. of shares After Buyback $=400,00,000$.
$\rightarrow 1.15 \times \mathrm{P} \times$ [Existing Number of Share - Buy Back Share $]=400,00,000$
$\rightarrow 1.15 \times \mathrm{P} \times\left[20,00,000-\frac{\text { Total amount available for Buyback }}{\text { Buy Back price }}\right]=400,00,000$
$\rightarrow 1.15 \times \mathrm{P} \times\left[20,00,000-\frac{50 \% \text { of } 180,00,000}{\text { Buy Back price }}\right]=400,00,000$
$\rightarrow P=21.89$
(b) Number of shares to be bought back:
$=\frac{90}{21.89}=4.11$ Lacs (approx)
(c) EPS After Buy back :

New Equity Shares i.e Equity Share After Buy back $=(20-4.11)$ lacs $=15.89$ lacs
EPS after Buy Back $=(5 \times 20) / 15.89=6.29$

## SOLUTION 2

Working Notes:
Calculation of Cost of Capital
$\mathrm{ke}=\frac{\mathrm{Do}(1+\mathrm{g})}{P o}+\mathrm{g}$
D1 $=₹ 1.40$
$P 0=₹ 22.60-₹ 1.40=₹ 21.20$
$K e=\frac{1.40(1+0.06)}{21.20}+0.06=13 \%$
(a) NPV of the Project

This ke shall be used to value PV of income stream
$\mathrm{V}=\frac{₹ 15.30 \text { crore }}{k e-g}=\frac{₹ 15.30 \text { crore }}{0.13-0.04}=₹ 170$ crore

| PV of Cash Inflows from Expansion Project | ₹ I 70 crore |
| :--- | :--- |
| Less: PV of Initial Outlay | ₹ I 50 crore |
| NPV | $₹ 20$ crore |

Since NPV is positive we should accept the project.
(b) By right issue new number of equity shares to be issued shall be:

50 crore (Existing) +10 crore(Right Issue) $=60$ crore
Market Value of Company $=$ PV of existing earnings + PV of earnings from Expansion
$=\frac{₹ 1.40 \times 50 \text { crore } \times(1+0.06)}{0.13-0.06}+₹ 170$ crore
= ₹ 1060 crore $+₹ 170$ crore
= ₹ 1230 crore
Price Per Share $=₹ 1230$ crore $/ 60$ crore $=₹ 20.50$
(c) Let n be the number of new equity shares to be issued then such shares are to be issued at such price that new shareholders should not suffer any immediate loss after subscribing shares.
Accordingly,

$$
\begin{aligned}
& \frac{n}{50 \text { crore }+n} \times ₹ 1230 \text { crore }=₹ 150 \text { crore } \\
& 1230 n=7500+150 n \\
& n=7500 / 1080=6.9444 \text { crore }
\end{aligned}
$$

$$
\text { Issue Price Per Share }=\frac{\text { ₹150 crore }}{6.9444 \text { crore }}=₹ 21.60
$$

or
Ex - Dividend Price Per Share $=\frac{₹ 1230 \text { crore }}{56.9444 \text { crore }}=₹ 21.60$
(d) Benefit from expansion

| (i) | Right Issue |  |  |
| :---: | :---: | :---: | :---: |
|  |  |  | ₹ Crore |
|  | Shareholder's Current Wealth (₹ $22.60 \times 50$ crore) |  | 1130 |
|  | Less: | ₹ Crore |  |
|  | Value of 60 crore shares @ ₹ 20.50 | 1230 |  |
|  | Cash Dividend Received @ ₹ 1.40 per share on 50 crore shares | 70 |  |
|  | Cash paid to subscribe Right Shares (₹ $15 \times 10$ crore) | (150) | 1150 |
|  | Net Gain |  | 20 |
|  | or |  |  |
|  |  |  | ₹ Crore |
|  | Shareholder's Current Wealth (₹21.20 $\times 50$ crore) |  | 1060 |
|  | Less: | ₹ Crore |  |
|  | Value of 60 crore shares @ ₹ 20.50 | 1230 |  |
|  | Cash paid to subscribe Right Shares ( $₹ 15 \times 10$ crore) | (150) | 1080 |
|  | Net Gain |  | 20 |

(ii) Fresh Issue

|  |  | ₹ Crore |
| :--- | ---: | ---: |
| Shareholder's Current Wealth (₹22.60 x 50 crore) |  | 1130 |
| Less: | ₹ Crore |  |
| Value of existing 50 crore shares @ ₹21.60 | 1080 |  |
| Cash Dividend Received @ ₹1.40 per share on 50 crore shares | 70 | 1150 |
| Net Gain |  | 20 |
| or |  |  |
|  |  |  |
| Shareholder's Current Wealth (₹21.20 $\times 50$ crore) |  | 1060 |
| Value of existing 50 crore shares @ ₹21.60 |  | 1080 |
| Net Gain |  | 20 |

## SOLUTION 3

Effective Interest $=\left[\frac{\mathrm{F}-\mathrm{P}}{\mathrm{P}}\right] \times \frac{12}{\mathrm{M}} \times 100$
Where

$$
\begin{aligned}
& F=\text { Face Value } \\
& P=\text { Issue Price } \\
&=\frac{1,00,000-97,550}{97,550} \times \frac{12}{3} \times 100=0.025115 \times 4 \times 100=10.046=105 \% \text { p.a. } \\
& \therefore \quad \text { Effective interest rate }=10.5 \% \text { p.a. }
\end{aligned}
$$

## Cost of Funds to the Company

Effective Interest 10.05\%
Brokerage ( $0.150 \times 4$ )
0.60\%

Rating Charge
0.50\%

Stamp duty ( $0.175 \times 4$ )
0.70\%
11.85\%

## SOLUTION 4

|  | $₹$ |
| :--- | ---: |
| Issue Price | $50,00,000$ |
| Less: Interest @ 12.5\% for 4 months | $2,08,333$ |
| Issue Expenses | 2,500 |
| Minimum Balance | $1,50,000$ |
|  | $46,39,167$ |

Cost of Funds $=\frac{2,10,833(1-30)}{46,39,167} \times \frac{12}{4} \times 100=9.54 \%$

## SOLUTION 5

| Date | Closing <br> Sensex | Sign of Price <br> Charge |
| :--- | :---: | :---: |
| 1.10 .07 | 2800 |  |
| 3.10 .07 | 2780 | - |
| 4.10 .07 | 2795 | + |
| 5.10 .07 | 2830 | + |
| 8.10 .07 | 2760 | - |
| 9.10 .07 | 2790 | + |
| 10.10 .07 | 2880 | + |
| 11.10 .07 | 2960 | + |
| 12.10 .07 | 2990 | + |
| 15.10 .07 | 3200 | + |
| 16.10 .07 | 3300 | + |
| 17.10 .07 | 3450 | + |
| 19.10 .07 | 3360 | - |
| 22.10 .07 | 3290 | - |
| 23.10 .07 | 3360 | + |
| 24.10 .07 | 3340 | - |
| 25.10 .07 | 3290 | - |
| 29.10 .07 | 3240 | - |
| 30.10 .07 | 3140 | - |
| 31.10 .07 | 3260 | + |

Total of sign of price changes $(r)=8$
No of Positive changes $=n_{1}=11$
No. of Negative changes $=\mathrm{n}_{2}=8$
$\mu_{r}=\frac{2 n_{1} n_{2}}{n_{1}+n_{2}}+1$
$\mu=\frac{2 \times 11 \times 8}{11+8}+1=\frac{176}{19}+1=10.26$
$\sigma_{r}^{\wedge}=\sqrt{\frac{2 n_{1} n_{2}\left(2 n_{1} n_{2}-n_{1}-n_{2}\right)}{\left(n_{1}+n_{2}\right)^{2}\left(n_{1}+n_{2}-1\right)}}$
$\sigma_{r}^{\wedge}=\sqrt{\frac{(2 \times 11 \times 8)(2 \times 11 \times 8-11-8)}{(11+8)^{2}(11+8-1)}}=\sqrt{\frac{176 \times 157}{(19)^{2}(18)}}=\sqrt{4.252}=2.06$
Since too few runs in the case would indicate that the movement of prices is not random. We employ a two- tailed test the randomness of prices.

Test at $5 \%$ level of significance at 18 degrees of freedom using $\dagger$ - table
The lower limit
$=\mu-t \times \sigma_{r}^{\wedge}=10.26-2.101 \times 2.06=5.932$
Upper limit
$=\mu+t \times \sigma_{r}^{\wedge}=10.26+2.101 \times 2.06=14.588$
At $10 \%$ level of significance at 18 degrees of freedom
Lower limit
$=10.26-1.734 \times 2.06=6.688$
Upper limit
$=10.26+1.734 \times 2.06=13.832$
As seen $r$ lies between these limits. Hence, the market exhibits weak form of efficiency.
*For a sample of size $n$, the $t$ distribution will have $n-1$ degrees of freedom.

## SOLUTION 6

Cornett, GMBH. - Break-up valuation

| Business Segment | Capital-to-Sales | Segment Sales | Theoretical Values |
| :--- | ---: | ---: | ---: |
| Consumer wholesaling | 0.75 | $€ 1,500,000$ | $€ 1,125,000$ |
| Specialty services | 1.10 | $€ 800,000$ | $€ 880,000$ |
| Assorted centers | 1.00 | $€ 2,000,000$ | $€ 2,000,000$ |
| Total value |  |  | $€ 4,005,000$ |
| Business Segment | Capital-to-Sales | Segment Sales | Theoretical Values |
| Consumer wholesaling | 0.60 | $€ 750,000$ | $€ 450,000$ |
| Specialty services | 0.90 | $€ 700,000$ | $€ 630,000$ |
| Assorted centers | 0.60 | $€ 3,000,000$ | $€ 1,800,000$ |
| Total value |  |  | $€ 2,880,000$ |
| Business Segment | Capital-to-Sales | Segment Sales | Theoretical Values |
| Consumer wholesaling | 10.00 | $€ 100,000$ | $€ 1,000,000$ |
| Specialty services | 7.00 | $€ 150,000$ | $€ 1,050,000$ |
| Assorted centers | 6.00 | $€ 600,000$ | $€ 3,600,000$ |
| Total value |  |  | $€ 5,650,000$ |

Average theoretical value $=\frac{4,005,000+2,880,000+5,650,000}{3}=4,178,333.33$ say $4,178,000$
Average theoretical value of Cornett GMBH. $=€ 4,178,000$

| SOLUTION 7 |  |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: |
| Period 1 | Closing Prices | Change | Period 2 | Closing Prices | Change |
| 1 | 33453.99 |  | 11 | 33251.53 |  |
| 2 | 33434.83 | -19.16 | 12 | 33285.89 | 34.36 |
| 3 | 33431.93 | -2.90 | 13 | 33329.28 | 43.39 |
| 4 | 33383.41 | -48.52 | 14 | 33284.17 | -45.11 |
| 5 | 33370.93 | -12.48 | 15 | 33298.78 | 14.61 |
| 6 | 33340.75 | -30.18 | 16 | 33325.38 | 26.6 |
| 7 | 33330.98 | -9.77 | 17 | 33329.95 | 4.57 |
| 8 | 33335.08 | 4.1 | 18 | 33319.67 | -10.28 |
| 9 | 33301.97 | -33.11 | 19 | 33302.32 | -17.35 |
| 10 | 33259.03 | -42.94 | 20 | 33319.61 | 17.29 |


|  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| X | Y | X2 | Y2 | XY |
| -19.16 | 34.36 | 367.11 | 1180.61 | -658.34 |
| -2.90 | 43.39 | 8.41 | 1882.69 | -125.83 |
| -48.52 | -45.11 | 2354.19 | 2034.91 | 2188.74 |
| -12.48 | 14.61 | 155.75 | 213.45 | -182.33 |
| -30.18 | 26.6 | 910.83 | 707.56 | -802.79 |
| -9.77 | 4.57 | 95.45 | 20.88 | -44.65 |
| 4.1 | -10.28 | 16.81 | 105.68 | -42.15 |
| -33.11 | -17.35 | 1096.27 | 301.02 | 574.46 |
| -42.94 | 17.29 | 1843.84 | 298.94 | -742.43 |
| $\sum \mathrm{X}=-194.96$ | $\sum^{Y}=68.08$ | $\sum \mathrm{X}^{2}=6848.66$ | $\sum \mathrm{Y}^{2}=6745.74$ | $\sum \mathrm{XY}=164.68$ |
| $\bar{X}=-21.66$ | $\overline{\mathrm{Y}}=7.56$ |  |  |  |

$\mathrm{a}=\bar{Y}-\mathrm{b} \bar{X}=7.56-0.624(-21.66)=21.08$
$r^{2}=\frac{a \sum Y+b \sum X Y-n(\bar{Y})^{2}}{\sum Y^{2}-n(\bar{Y})^{2}}=\frac{21.08(68.08)+0.624(164.68)-9(7.56)^{2}}{6745.74-9(7.56)^{2}}$
$r^{2}=0.164$
$r=0.405$
There is moderate degree of correlation between the returns of two periods hence it can be concluded that the market does not show the weak form of efficiency.

## SOLUTION 8

(i) Dirty Price
$=$ Clean Price + Interest Accrued
(ii) First Leg (Start Proceed)
$=$ Nominal Value $\times \frac{\text { Dirty Price }}{100} \times \frac{100-\text { Initial margin }}{100}$
$=₹ 5,00,00,000 \times \frac{102.63}{100} \times \frac{100-1.50}{100}=₹ 5,05,45,275$
Second Leg (Repayment at Maturity) $=$ Start Proceed $\times\left(1+\right.$ Repo rate $\left.\times \frac{\text { No.of days }}{360}\right)$
$=₹ 5,05,45,275 \times\left(1+0.0610 \times \frac{21}{360}\right)=₹ 5,07,25,132$

## SOLUTION 9

For calculating probability of financial difficulty, we shall calculate the area under Normal Curve corresponding to the $Z$ Score obtained from the following equation (how many SD is away from Mean Value of financial difficulty):
$z=\frac{x-\mu}{\sigma}$
$=\frac{-1.00 \text { crore }-2.00 \text { crore }}{1.60 \text { crore }}$
$=-1.875$ say 1.875
Corresponding area from Z Score Table by using interpolation shall be found as follows:

| Z Score | Area under Normal Curve |
| :--- | :--- |
| 1.87 | 0.4693 |
| 1.88 | 0.4699 |
| 0.01 | 0.0006 |

The corresponding value of 0.005 Z score $=0.005 \times \frac{0.0006}{0.01}=0.0003$
Thus the Value of 1.875 shall be $=0.4693+0.0003=0.4696$
Thus the probability the company shall be in financial difficulty is $46.96 \%$.

