## 4.1 PRE-TEST

Course name: Calculus Calculus I Essential Skills Professor name: Homeschool Studies College name: Homeschool Studies Course code: Section code:

Directions: Ready to test your smarts?

Have a shot at this 15-question practice test!

Take it as many times as you want to. Once you're done, be sure to click the "Guide" button to review any questions you missed, a step-by-step explanation for the question, and a link to the video where that content is discussed.

Need Help? No Problem! Contact support@thinkwell.com with questions.

| Question: 1       | QID: 15149   |  |
|-------------------|--|--|
| velocity is given | particular moving object's<br>ven by the equation<br>$2t^2$ , what is the equation for the<br>leration?      | a(t) = 65 + 4t<br>a(t) = 65<br>a(t) = 65 - 4t<br>a(t) = 61 |
| Question: 2       | QID: 15152   |  |
| position is gi    | particular moving object's<br>ven by the equation<br>$t^2 + 110$ , what is the equation for the<br>deration? | a(t) = 64t<br>a(t) = -64t<br>a(t) = 64<br>a(t) = -64       |

## **Question: 3** QID: 11849

The alien Shaxxt is flying around the solar system in his new Insight Driven Flying Saucer. The saucer starts off pretty slow, but it picks up speed quickly.

The position function for the saucer in miles is  $P(t) = 2e^{2t}$ where *t* is in minutes. What is Shaxxxt's velocity when t = 6?

- 325509.58 miles per minute
- 651019.17 miles per minute
- 651019.17 miles per hour
- 3 astronomical units per day

**Question: 4** QID: 11860

$$x^{2} + y^{2} = 9. \text{ Find } \frac{d^{2}y}{dx^{2}}.$$

$$\frac{d^{2}y}{dx^{2}} = -\frac{x}{y^{3}}$$

$$\frac{d^{2}y}{dx^{2}} = -\frac{9}{y^{3}}$$

$$\frac{d^{2}y}{dx^{2}} = -1$$
None of the above
$$\boxed{\text{Question: 5 QID: 11878}}$$
Use the linear approximation formula to approximate  $\sqrt{15.9} \approx \frac{319}{80}$ 

$$\sqrt{15.9} \approx \frac{319}{80}$$

$$\sqrt{15.9} \approx \frac{321}{80}$$

$$\sqrt{15.9} \approx \frac{30}{80}$$

$$\sqrt{15.9} \approx \frac{319}{80}$$

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$$\sqrt{15.9} \approx \frac{319}{80}$$

$$\sqrt{15.9} \approx \frac{30}{80}$$

$$\sqrt{15.9} \approx \frac{127/48}{10/3}$$

$$\sqrt{10/3}$$

$$\sqrt{$$

| A farmer needs a new pen for some of his livestock and decides to build a rectangular fence. The farmer has 60 feet of fence. What is the greatest area the farmer could enclose?  | <ul> <li>0 feet <sup>2</sup></li> <li>300 feet <sup>2</sup></li> <li>200 feet <sup>2</sup></li> <li>225 feet <sup>2</sup></li> </ul>           |
|--|--|
| Question: 9 QID: 11899   |  |
| A man is constructing an open-faced box from a rectangular sheet of metal. To do so, he cuts 4 equal sized squares from the corners of the sheet and then folds the remaining metal upwards to create the sides of a box. What is the maximum possible volume that he could hold with an $18 \times 14$ inch sheet of metal? | <ul> <li>59.02 cubic inches</li> <li>112.42 cubic inches</li> <li>252.00 cubic inches</li> <li>292.86 cubic inches</li> </ul>                  |
| <b>Question: 10</b> QID: 11904   |  |
| The average soda can is made up of 15. $625\pi$ square inches of material. What dimensions (to the nearest hundredth) would maximize the volume of this cylindrical can?   | r = 1.25 inches<br>h = 5 inches<br>r = 3.23 inches<br>h = 1.61 inches<br>r = 5 inches<br>h = 1.25 inches<br>r = 1.61 inches<br>h = 3.23 inches |
| Question: 11 QID: 15180  |  |
| A 16 inch wire is cut in two and shaped into two squares.  | • $A_{\text{sum}} = 16 \text{ in}^2$   |

What is the minimum possible sum of the two areas?

- $A_{sum} = 16 \text{ in}^2$  $A_{sum} = 8 \text{ in}^2$  $A_{sum} = 4 \text{ in}^2$
- $A_{\rm sum} = 0 \ {\rm in}^2$

**Question: 12** QID: 15200

A pebble is dropped into a pool of water, generating circular ripples. The radius of the largest ripple is increasing at a constant rate of 3 inches per second. By how many inches did the circumference of the ripple increase between 0 and 2 seconds?

- $12\pi$  in.
- 🔵 6π in.
- $\bigcirc$   $2\pi$  in.
- O 3π in.

| <b>Question: 13</b> QID: 15201   |   |
|--|---|
| A 10 ft ladder is being pulled away from<br>a wall at a rate of 3 ft/sec. What is the rate<br>of change in the area beneath the ladder<br>when the ladder is 6 ft from the wall?   | $\frac{dA}{dt} = 0 \text{ ft}^2/\text{sec}$ $\frac{dA}{dt} = \frac{9}{4} \text{ ft}^2/\text{sec}$ $\frac{dA}{dt} = \frac{21}{4} \text{ ft}^2/\text{sec}$ $\frac{dA}{dt} = \frac{65}{8} \text{ ft}^2/\text{sec}$ |
| <b>Question: 14</b> QID: 15203   |   |
| Two cars leave an intersection at the same time, one headed<br>west and the other north. The westbound car is moving at<br>40 mph and the northbound car is moving at 50 mph.<br>Fifteen minutes later, what is the rate of change in the<br>perimeter of the right triangle created using the two cars<br>and the intersection? | 64.02 mph<br>90.00 mph<br>134.50 mph<br>154.02 mph  |
| <b>Question: 15</b> QID: 27936   |   |

A baseball diamond has the shape of a square with sides 90 feet long. A player is running from second to third at a speed of 28 ft/sec. At the time he is 30 feet from third, what is the rate of change of his distance from the home plate?

$$-\frac{28}{\sqrt{10}} \text{ ft/sec}$$

$$-\frac{280}{\sqrt{10}} \text{ ft/sec}$$

$$\frac{107}{\sqrt{10}} \text{ ft/sec}$$

○ -28 ft/sec