## Implementation and Analysis of Scrypt Algorithm in FPGA (Proof of concept)

## Call Flow

Scrypt algorithm, consists of 2048 iterations of the blockmix function. Each iteration of blockmix transforms 128 bytes of input into 128 bytes of output through the use of Salsa20/8 function. Salsa20/8 transforms 64 bytes input into 64 bytes output, so it must be run twice for each blockmix. The blockmix function also performs an xor operation and rearranges the bytes to get its output.


Scrypt has two parts. The first part, consisting of 1024 iterations of blockmix, produces 128 kB (one megabit) of data, starting from a seed value. Each blockmix produces 128 bytes, and the result is written to memory and also used as the input to the next iteration of the blockmix function. The result therefore is $1024 \times 128$ bytes, 128 kB . The second set of 1024 iterations is used to reprocess some of the data. The second set of iterations occur in an unpredictable order: the next block to be processed is determined from the result of processing the current block. The reprocessed block then overwrites its previous location.

Sandwiched around all this are two iterations of SHA-256, one used to generate the initial seed, the other used to generate a final hash value from the final state of the 128 kB of working data.

## The Salsa20/8 core Function

```
#define R(a,b) (((a) << (b)) | ((a) >> (32 - (b))))
void salsa208_word_specification(uint32 out[16],uint32 in[16])
{
int i;
uint32 x[16];
for (i = 0;i < 16;++i) x[i] = in[i]; // one cycle
for (i = 8;i > 0;i -= 2) {
//upper half//
// 4 cycles
x[ 4] ^= R(x[ 0]+x[12], 7); x[ 8] ^= R(x[ 4]+x[ 0], 9);
x[12] ^= R(x[ 8]+x[ 4],13); x[ 0] ^= R(x[12]+x[ 8],18);
// 4 cycles
x[ 9] ^= R(x[ 5]+x[ 1], 7); x[13] ^= R(x[ 9]+x[ 5], 9);
x[ 1] ^= R(x[13]+x[ 9],13); x[ 5] ^= R(x[ 1]+x[13],18);
// 4 cycles
x[14] ^= R(x[10]+x[ 6], 7); x[ 2] ^= R(x[14]+x[10], 9);
x[ 6] ^= R(x[ 2]+x[14],13); x[10] ^= R(x[ 6]+x[ 2],18);
// 4 cycles
x[ 3] ^= R(x[15]+x[11], 7); x[ 7] ^= R(x[ 3]+x[15], 9);
x[11] ^= R(x[ 7]+x[ 3],13); x[15] ^= R(x[11]+x[ 7],18);
//lower half//
// 4 cycles
x[ 1] ^= R(x[ 0]+x[ 3], 7); x[ 2] ^= R(x[ 1]+x[ 0], 9);
x[ 3] ^= R(x[ 2]+x[ 1],13); x[ 0] ^= R(x[ 3]+x[ 2],18);
// 4 cycles
x[ 6] ^= R(x[ 5]+x[ 4], 7); x[ 7] ^= R(x[ 6]+x[ 5], 9);
x[ 4] ^= R(x[ 7]+x[ 6],13); x[ 5] ^= R(x[ 4]+x[ 7],18);
// 4 cycles
x[11] ^= R(x[10]+x[ 9], 7); x[ 8] ^= R(x[11]+x[10], 9);
x[ 9] ^= R(x[ 8]+x[11],13); x[10] ^= R(x[ 9]+x[ 8],18);
// 4 cycles
x[12] ^= R(x[15]+x[14], 7); x[13] ^= R(x[12]+x[15], 9);
x[14] ^= R(x[13]+x[12],13); x[15] ^= R(x[14]+x[13],18);
}
for (i = 0;i < 16;++i) out[i] = x[i] + in[i];//one cycle
}
```

One salsa consists of 34 cycles

- One cycle to read
- Inside for loop can be divided into two lower half can operate only when upper half operation is finished. Within upper half we have four sections which can function parallel and each section takes 4 cycles. So for one iteration of inner loop it takes 8 cycles ( 4 for upper and 4 for lower section each). Loop will have 4 iterations ( $4 \times 8=32$ cycles)
- One cycle for last loop.


## Block Mix Algorithm

## Parameters:

r :Block size parameter

## Input

$\mathrm{B}[0], \ldots, \mathrm{B}[2 * \mathrm{r}-1]$ :Input vector of $2 * \mathrm{r} 64$-octet blocks.

Output:
B'[0], $\ldots, \mathrm{B}^{\prime}[2$ * r-1] :Output vector of 2 * r 64-octet blocks.

## Steps:

1. $\mathrm{X}=\mathrm{B}[2 * \mathrm{r}-1]$
2. for $\mathrm{i}=0$ to $2 * \mathrm{r}-1$ do
$\mathrm{T}=\mathrm{X}$ xor $\mathrm{B}[\mathrm{i}]$
$\mathrm{X}=$ Salsa (T)
$\mathrm{Y}[\mathrm{i}]=\mathrm{X}$
end for
3. $\mathrm{B}^{\prime}=(\mathrm{Y}[0], \mathrm{Y}[2], \ldots, \mathrm{Y}[2 * \mathrm{r}-2]$,
$\mathrm{Y}[1], \mathrm{Y}[3], \ldots, \mathrm{Y}[2 * \mathrm{r}-1])$

## ROM Mix Algorithm

## Input:

r Block size parameter.
B Input octet vector of length 128 * r octets.
N CPU/Memory cost parameter, must be larger than 1 , a power of 2 and less than $2^{\wedge}(128 * r / 8)$.

## Output:

B' Output octet vector of length $128 * \mathrm{r}$ octets.

## Steps:

1. $\mathrm{X}=\mathrm{B}$
2. for $\mathrm{i}=0$ to $\mathrm{N}-1$ do
$\mathrm{V}[\mathrm{i}]=\mathrm{X}$
X = Block Mix (X)
end for
3. for $\mathrm{i}=0$ to $\mathrm{N}-1$ do
$\mathrm{j}=$ Integerify $(\mathrm{X}) \bmod \mathrm{N}$ where Integerify $(\mathrm{B}[0] \ldots \mathrm{B}[2 * r-1])$ is defined as the result of interpreting $\mathrm{B}[2 * \mathrm{r}-1]$ as a little-endian integer.
$\mathrm{T}=\mathrm{X}$ xor $\mathrm{V}[\mathrm{j}]$
$\mathrm{X}==$ Block Mix (T)
end for
4. $\mathrm{B}^{\prime}=\mathrm{X}$

## The Scrypt Algorithm

## Input:

P : Passphrase, an octet string.
S : Salt, an octet string.
r : Block size parameter.
$\mathrm{N}:$ CPU/Memory cost parameter, must be larger than 1 , a power of 2 and less than $2^{\wedge}(128 * r$ / 8).
P : Parallelization parameter, a positive integer less than or equal to ( $\left.\left(2^{\wedge} 32-1\right) * h L e n\right) /$ MFLen where hLen is 32 and MFlen is 128 * r. dkLen : Intended output length in octets of the derived key; a positive integer less than or equal to ( $2^{\wedge} 32-1$ ) * hLen where hLen is 32.

## Output:

DK : Derived key, of length dkLen octets.

## Steps:

1. $\mathrm{B}[0]||\mathrm{B}[1]|| \ldots|\mid \mathrm{B}[\mathrm{p}-1]=$ PBKDF2-HMAC-SHA256 (P, S, 1, p * 128 *r)
2. for $\mathrm{i}=0$ to $\mathrm{p}-1$ do

B[i] = ROM Mix (r, B[i], N)
end for
3. DK = PBKDF2-HMAC-SHA256 (P, B[0] || B[1] || ... || B[p-1],1, dkLen)

## Performance Analysis (Theoretical - Based on Optimized algorithm)

Loop1: 1024 * (2*salsa time)
Salsa is called two times during first 1024 iterations of loop1
1024 * (2*salsa time) $=1024$ * $(2 * 34)=69632$ Cycles
Loop2 :1024*(fetching latency from scratch pad+ (2* salsa time))
Salsa is called two times during first 1024 iterations of loop 2
Considering a 256 bus width for RAM fetching latency (minimum) $=2$ cycles $1024^{*}$ (fetching latency from scratch pad+ (2* salsa time) $)=1024^{*}\left(2+2^{*} 34\right)$

$$
\text { = } 71680 \text { Cycles }
$$

Total cycles for ROM Mix = 69632 Cycles $\boldsymbol{+} 73728$ Cycles $\mathbf{= 1 4 1 3 1 2}$ Cycles
If one cycle $=10 \mathrm{~ns}(100 \mathrm{MHz})$
Time for 1 ROM Mix = 1413.2 us ie, without the over head of PBKDF2-HMAC-SHA-256 theoretical Hash rate will be 700 Hash/s.

| One Cycle | Frequency | Hash rate |
| :--- | :--- | :--- |
| 10 ns | 100 MHz | $700 \mathrm{Hash} / \mathrm{s}$ |
| 5 ns | 200 MHz | $1.4 \mathrm{KHash} / \mathrm{s}$ |
| 3.3 ns | 300 MHz | $2.15 \mathrm{KHash} / \mathrm{s}$ |
| 2.5 ns | 400 MHz | $2.8 \mathrm{KHash} / \mathrm{s}$ |

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## Implementation Result

- Target device - xc7z020-2clg484 (on ZedBoard Zynq Development and Evaluation Kit)


Figure : ZedBoard Zynq Development and Evaluation Kit

## Resource utilization summary

Number of BSCANs
Number of BUFGs
Number of External IOB33s
Number of LOCed IOB33s
Number of MMCME2_ADVs
Number of RAMB18E1s
Number of RAMB36E1s
Number of Slices
Number of Slice Registers
Number used as Flip Flops
Number used as Latches
Number used as LatchThrus
Number of Slice LUTS
Number of Slice LUT-Flip Flop pairs

1 out of $4 \quad 25 \%$
3 out of $32 \quad 9 \%$
6 out of $2003 \%$
6 out of $6 \quad 100 \%$
1 out of $4 \quad 25 \%$
21 out of $280 \quad 7 \%$
55 out of $140 \quad 39 \%$
7156 out of $1330053 \%$
18042 out of $10640016 \%$
18041
1
0
20271 out of $5320038 \%$
23480 out of $5320044 \%$

## Performance analysis:

Clock used by algorithm : $120 \mathrm{MHz}(8.33 \mathrm{~ns}$ )
No of clock pulses from start to done : 562870
Used by algorithm

## Latency

## : $\mathbf{4 . 6 9 \mathrm { ms }}$

A 32 bit counter was implemented in the design to count the number of clock pulses used by algorithm to produce one complete Hash.


Figure: Chip Scope Snap short (start and done combined)

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